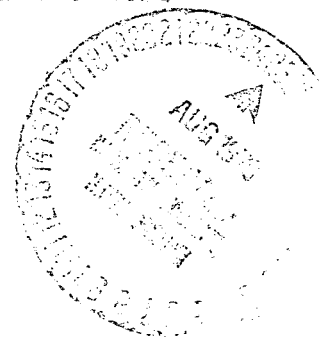


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AN ANALYSIS OF A CHARRING ABLATION  
THERMAL PROTECTION SYSTEM

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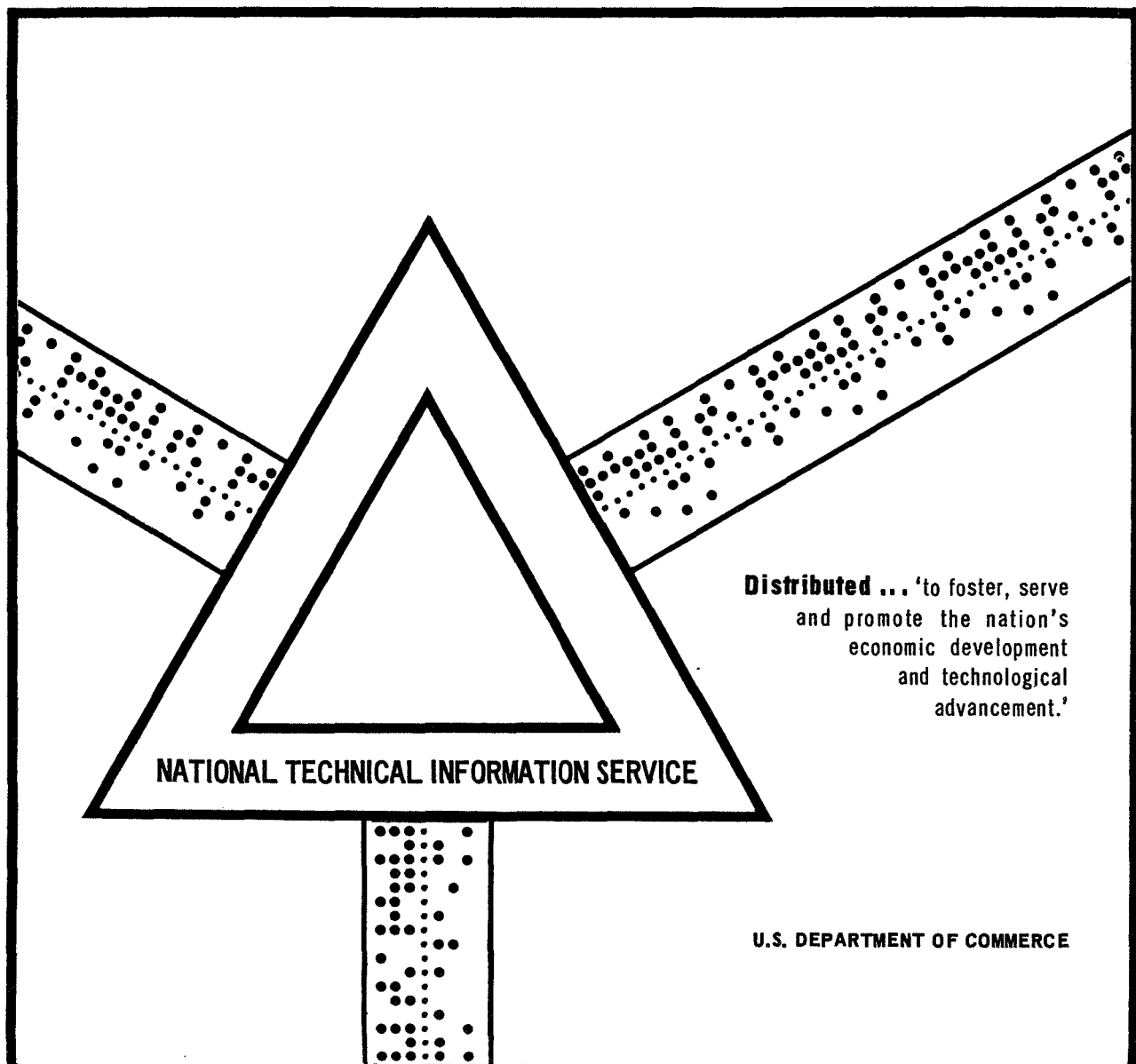
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AN ANALYSIS OF A CHARRING ABLATION THERMAL  
PROTECTION SYSTEM

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AN ANALYSIS OF A CHARRING ABLATION  
THERMAL PROTECTION SYSTEM

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MANNED SPACECRAFT CENTER  
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## AN ANALYSIS OF A CHARRING ABLATION

### THERMAL PROTECTION SYSTEM

By Donald M. Curry

#### SUMMARY

An analytical model is presented for predicting the transient one-dimensional thermal performance of a charring ablator heat protection system when exposed to a hyperthermal environment. The heat protection system is considered to consist of an ablation material and backup structure. The ablating material is further considered to consist of three distinct regions or zones; char, reacting, and virgin material.

A Fortran IV digital computer program (STAB II) utilizing an implicit finite difference formulation has been written for the IBM 7094/40 computer system. The program considers one ablating material and a maximum of 12 backup materials with conduction or radiation and/or convection allowed between materials. Thermal properties of all materials are temperature dependent with the properties of the charring material also state dependent.

The governing differential equations and their implicit finite difference formulation are presented. The program input and output is described in detail. Also, a comparison of theoretical and experimental results is shown.

#### INTRODUCTION

The analysis and design of thermal protection systems for entry into an atmospheric environment has resulted in a voluminous amount of literature on the general subject of ablation. (See refs. 1 and 2 for a survey of information on ablation.) The ablation materials may generally be classified into three categories; subliming, melting and vaporizing, and charring. The charring ablator normally provides the most efficient thermal protection shield for the major portion of a manned entry vehicle. This report describes a method for predicting the thermal response of a typical charring ablation material. The

response of a charring material to a hyperthermal environment is extremely complex and the mathematical model presented to analyze the transient behavior of the material contains simplifying assumptions and approximations necessary to afford even a numerical solution.

The equations derived in this analysis have been programed in Fortran IV for an IBM 7094/40 computer system. The numerical formulation of this digital program, designated STAB II, is such that an implicit solution is obtained. The input, output, and various program options are discussed in detail.

The thermal response of a typical charring material as predicted by STAB II is compared with arc tunnel test results. As shown, the predicted in-depth temperatures are in excellent agreement with the measured values.

The author wishes to express his appreciation to Barbara D. Arabian, Bette J. Stafford, and Davis D. Bland for their assistance in the preparation of the digital computer program.

#### SYMBOLS

$C_p$	specific heat
$F$	exterior view factor
$F_{env}$	view factor-emissivity product to cabin environment
$H_d$	heat of virgin material degradation
$H_T$	total enthalpy
$H_w$	wall enthalpy
$H_{300}$	enthalpy of air at 300° K
$h$	film coefficient between backup materials
$h_{env}$	film coefficient between last backup material and cabin environment
$k$	thermal conductivity
$\dot{m}_c$	mass loss rate of char material



$\dot{m}_g$	gas ablation rate
NP	number of nodes in ablation material
$\dot{q}_{c \text{ Blow}}$	hot wall convective heat flux with blowing
$\dot{q}_{\text{comb}}$	heat flux due to combustion
$\dot{q}_{\text{cw}}$	cold wall convective heat flux without blowing
$\dot{q}_{\text{rad}}$	radiation heat flux
S	surface recession depth
$\dot{S}$	surface recession rate
T	temperature of node beginning of time step
$T_{\text{env}}$	cabin environment temperature
$T'$	temperature of node at end of time step
$T_{\infty}$	radiation heat sink temperature
VL	thickness of ablation material
$\Delta H_c$	heat of combustion per unit weight of char
$\Delta X$	thickness of a node
$\Delta \theta$	time step ( $\theta' - \theta$ )
$\epsilon$	emissivity of material
$\eta$	transpiration cooling efficiency
$\theta$	initial time
$\theta'$	final time
$\rho$	density
$\sigma$	Stephan-Boltzman constant

## Subscripts:

c	charred state
i	node number
j	material number
v	virgin state

## PROGRAM DESCRIPTION

The following general requirements were established before writing a digital computer program to analyze a charring ablation system:

- a. Stability of the equation for all applications.
- b. Machine running time short enough to make use of the program economically feasible (a minimum of turn around time per problem).
- c. A minimum of input per problem.
- d. A wide variety of boundary conditions for application to both trajectory data and ground or flight test data analysis.

STAB II has been formulated in Fortran IV to analyze the transient thermal performance of a charring ablator heat protection system. The program considers one ablating material and up to 12 different backup materials with or without air gaps. Pure conduction or radiation and/or convection between backup materials is allowed. The ablation material may be divided into a maximum of 50 nodes and each backup material may be subdivided into a maximum of 10 nodes. The thermal properties of the materials are in tabular form and are temperature dependent. The ablation material is also dependent upon its state, that is, fully charred, partially charred, et cetera.

The following surface boundary condition options are provided:

- a. Cold wall convective and radiative heat flux tables as a function of time. These components are specified separately, since mass transfer at the surface blocks part of the convective heating, but in general, has no effect on the radiant heating.
- b. Surface temperature as a function of time.

c. Surface recession as a function of temperature or time. Surface recession as a function of temperature and pressure is also available.

Heat loss to the interior environment for the last node of the backup structure can be specified by two methods:

a. Conduction into the node and radiation and/or convection loss to the interior environment.

b. Conduction into the node and adiabatic wall.

The STAB II numerical formulation of the equations describing the response of the heat shield is such that an implicit solution has been obtained. It is well known that numerical solutions of partial differential equations are subject to several different types of errors. The first of these is the truncation error, due to the use of a finite subdivision. This error may be reduced by simply choosing a smaller subdivision,  $\Delta X$ . The exact values are approached more and more closely as  $\Delta X$  decreases. The second kind of error is the numerical, or round-off error. The way in which this numerical error grows or decays with time determines the stability of the difference equation.

To illustrate the differences in the explicit and implicit equation form, consider a nonablating homogeneous solid. The one-dimensional Fourier conduction equation, neglecting any heat generation terms, is:

$$\frac{\partial}{\partial X} \left( k \frac{\partial T}{\partial X} \right) = \rho c_p \frac{\partial T}{\partial \theta} \quad (1)$$

The finite difference form of equation (1) written in the conventional forward time step or explicit form for the  $i^{\text{th}}$  node is

$$\frac{\frac{(T_{i-1} - T_i)}{\Delta X}}{2k_{i-1}} + \frac{\frac{(T_i - T_{i+1})}{\Delta X}}{2k_i} = \rho c_p \frac{\Delta X (T_i' - T_i)}{\Delta \theta} \quad (2)$$

where the prime superscript denotes values at the end of the time step,

$$\Delta \theta = \theta' - \theta$$

For explicit conduction solutions, the following stability criteria has been established:

$$\frac{\rho c_p}{k} \frac{(\Delta x)^2}{\Delta \theta} \geq 2$$

which places an upper limit on the time step  $\Delta \theta$  for a fixed truncation error. This criteria can require a prohibitive amount of machine time.

Liebmann (ref. 3) advocated a solution of the equation which does not require this stability criteria. The finite difference equations are written in a backward time step form which affords an implicit solution.

The implicit (backward time step) difference form of equation (1) for the  $i^{\text{th}}$  node is:

$$\frac{\left( \frac{T'_{i-1} - T'_i}{\Delta x} + \frac{\Delta x}{2k_{i-1}} \right) - \left( \frac{T'_i - T'_{i+1}}{\Delta x} + \frac{\Delta x}{2k_i} \right)}{\frac{\Delta x}{2k_{i-1}} + \frac{\Delta x}{2k_i}} = \rho c_p \frac{\Delta x (T'_i - T_i)}{\Delta \theta} \quad (3)$$

Equation (3) uses the temperature differences at the end of the finite time interval instead of the beginning, as in the explicit method, equation (2).  $T'_i$  is the only known temperature in equation (3), but there are corresponding equations for each point in the system and all are solved simultaneously yielding the temperature at each node.

Collecting all unknown temperatures on the left side of the equation and the known temperature on the right side, equation (3) is:

$$\left( \frac{1}{\frac{\Delta x}{2k_{i-1}} + \frac{\Delta x}{2k_i}} \right) T'_{i-1} - \left( \frac{1}{\frac{\Delta x}{2k_{i-1}} + \frac{\Delta x}{2k_i}} + \frac{1}{\frac{\Delta x}{2k_i} + \frac{\Delta x}{2k_{i+1}}} \right) T'_i + \frac{\rho_i c_i \Delta x}{\Delta \theta} T'_i + \left( \frac{1}{\frac{\Delta x}{2k_i} + \frac{\Delta x}{2k_{i+1}}} \right) T'_{i+1} = - \left( \frac{\rho_i c_i \Delta x}{\Delta \theta} \right) T_i \quad (4)$$

Equation (4) is in the form of:

$$AT'_{i-1} + BT'_i + CT'_{i+1} = D \quad (5)$$

STAB II generates such an equation for each node in the system.

Since radiation is an important mode of heat transfer in charring ablative systems, a problem is encountered in any equation containing a radiation term. The radiation heat flux, written in a backward difference form is:

$$\dot{q}_r = F\epsilon\sigma(T'^4_i - T_\infty^4) \quad (6)$$

This term cannot be used in an implicit solution since the unknown temperature  $T'_i$  is to the 4th power. The 4th power unknown can be eliminated by the following linearization:

$$(T'_i)^4 = (T_i + \Delta T)^4 = T_i^4 \left(1 + \frac{\Delta T}{T_i}\right)^4 \quad (7)$$

where

$$\Delta T = T'_i - T_i$$

let

$$X \equiv \frac{\Delta T}{T_i}$$

and rewrite equation (7)

$$(T'_i)^4 = (T_i)^4 (1 + X)^4 \quad (8)$$

If X has an absolute value near zero, the following is true:

$$(1 + X)^4 \cong 1 + 4X \quad (9)$$

Now substituting (9) into (8)

$$\begin{aligned} (T'_i)^4 &\cong (T_i)^4 (1 + 4X) = (T_i)^4 \left(1 + 4 \frac{\Delta T}{T_i}\right) (T'_i)^4 \\ &\cong 4T_i^3 T'_i - 3T_i^4 \end{aligned} \quad (10)$$

Equation (10) is a linearized approximation of equation (7) in which the unknown temperature is only to the first power. The assumption in equation (10) is that  $\Delta T/T_1$  has an absolute value near zero. Figure 1 is a plot of the error obtained when  $(1 + 4X)$  is substituted for  $(1 + X)^4$ . For most ablation problems where the surface temperature is high and the radiation losses are significant, the value of  $\Delta T/T_1$  can easily be controlled to values of less than  $\pm 0.1$ .

Therefore, equation (6) can now be written

$$\dot{q}_r = F\epsilon\sigma \left( 4T_1^3 T_1' - 3T_1^4 - T_\infty^4 \right) \quad (11)$$

Using the linearized approximation for the radiation terms, the resulting system of implicit difference equations constitute a tridiagonal matrix of the following form:

$$\begin{array}{rcl} B_1 T_1 + C_1 T_2 & & = D_1 \\ A_2 T_1 + B_2 T_2 + C_2 T_3 & & = D_2 \\ A_3 T_2 + B_3 T_3 + C_3 T_4 & & = D_3 \\ \vdots & \vdots & \vdots \\ A_N T_{N-1} + B_N T_N & = & D_N \end{array}$$

Gauss' elimination method, as discussed in reference 4, is applied to solve the system of equations. This method affords a fast and accurate solution for matrices containing a dominant diagonal. The solution of this matrix gives the temperature of each node in the system for the next future time step. The entire process is repeated for each time step throughout the run, giving a time history of the temperature at each node.

Using this method of solution, residual errors in the temperature computations at the beginning of the time step are distributed throughout the entire system of nodal equations and tend to cancel out rapidly. The principle advantage in using the implicit method is a set of equations that are mathematically stable in time and distance. Therefore, the magnitude of the time step is not limited by a convergence criteria. However, care must be taken in selecting the magnitude of the time step in order to minimize truncation errors when the second derivative of temperature with respect to time is large. A similar approach is used

to minimize truncation errors in distance by choosing small node dimensions in locations where large second derivatives of temperature with respect to distance are expected.

In the case of a char forming ablative heat shield where approximately 80 percent of the heat is reradiated, instability can arise in taking large time steps such that the temperature of the surface node can start oscillating on successive time steps on achieving a balance between the radiation source and sink. Therefore, in ablation problems in which the surface node loses a large percentage of heat by radiation, oscillations of the node can be damped out by taking small time steps during conditions of high heat flux and near radiation equilibrium temperatures.

### ANALYSIS

Figure 2 is a schematic of the thermal protection system that is to be analyzed. A receding surface has been assumed with the formation of a residual char layer and reaction zone. The thermal protection system is composed of 1 charring material and a maximum of 12 different backup materials with or without air gaps. The analysis is such that the entire system may be composed of noncharring materials. The thermal properties of all materials are temperature dependent; also, the charring material properties are state dependent (fully or partially charred).

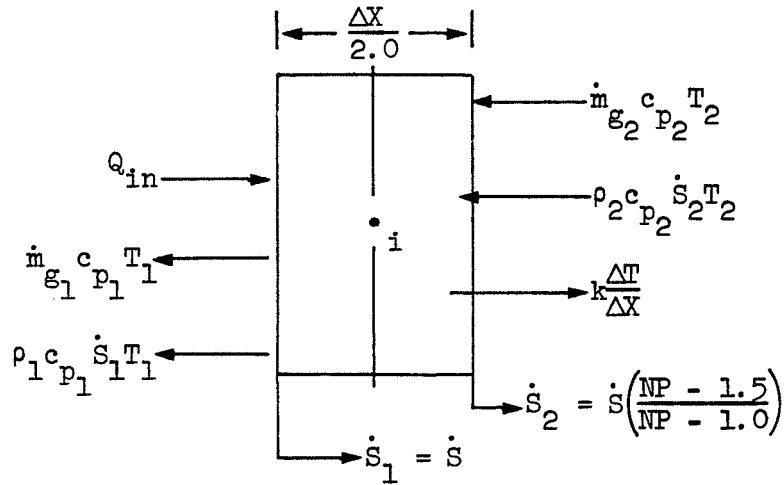
The response of charring ablation heat shields to a hyperthermal environment is extremely complex, and simplifying assumptions and approximations are necessary to afford a numerical solution. The following assumptions and approximations are utilized in the equations developed in this report:

- a. The material decomposes from the virgin state to a porous char layer in the reaction zone.
- b. The reaction zone can be defined by an upper and lower temperature limit.
- c. The gas generated within the reaction zone is assumed to pass out of the structure with no pressure loss. No gas accumulation within a node is allowed.
- d. Local thermal equilibrium is maintained between the gas and solid.
- e. The gas undergoes no further chemical reaction within the residual material after having been formed.

## Derivation of Equations

The equations are derived for a moving boundary coordinate system, where the front face is the moving surface (ref. 5). With this system, the ablating material is divided into a fixed number of nodes with a thickness ( $\Delta X$ ) which depends on the instantaneous location of the front face. The surface recession is handled in a continuous manner eliminating the need of throwing away or lumping off of nodes.

The physical model for the front surface including all heating terms is shown below



The energy equation at the front char surface is:

$$\begin{aligned}
 \frac{d}{d\theta} \left( \frac{1}{2} \Delta X \rho_1 c_{p1} T_1 \right) &= \frac{1}{2} \Delta X \rho_1 c_{p1} \frac{dT_1}{d\theta} + \frac{1}{2} \rho_1 c_{p1} T_1 \frac{d(\Delta X)}{d\theta} \\
 &= Q_{in} + \dot{m}_{g2} c_{p2} T_2' + \rho_2 \dot{s}_2 c_{p2} T_2' - \dot{m}_{g1} c_{p1} T_1' \\
 &\quad - \rho_1 c_{p1} \dot{s}_1 T_1' - k_{1-2} \left( \frac{\Delta T}{\Delta X} \right) \quad (12)
 \end{aligned}$$

where

$$Q_{in} = \dot{q}_{c \text{ Blow}} + \dot{q}_{rad} + \dot{q}_{comb} - F\epsilon\sigma (T_1^4 - T_\infty^4)$$



and

$$\frac{d(\Delta X)}{d\theta} = \frac{d}{d\theta} \left( \frac{VL - S}{NP - 1} \right) = - \frac{\dot{S}}{NP - 1}$$

where  $\dot{S}$  is the linear surface recession rate, NP the total number of nodes in the ablation material of thickness VL.

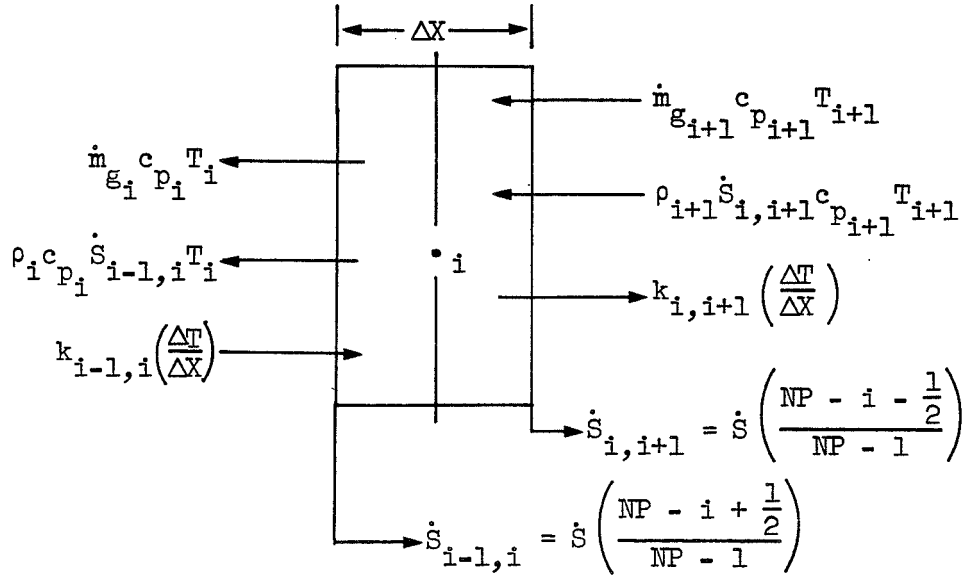
Rewriting equation (12) in implicit finite difference form:

$$\begin{aligned} Q_{in} + \dot{m}_{g_2} c_{p_2} T_2' - \dot{m}_{g_1} c_{p_1} T_1' - \dot{S} \rho_1 c_{p_1} T_1' - \frac{(T_1' - T_2')}{\frac{\Delta X}{2k_1} + \frac{\Delta X}{2k_2}} \\ + \rho_2 c_{p_2} \dot{S} \left( \frac{NP - 1.5}{NP - 1.0} \right) T_2' = \rho_1 c_{p_1} \frac{\Delta X}{2} \left( \frac{T_1' - T_1}{\Delta \theta} \right) \\ - \frac{1}{2} \rho_1 c_{p_1} T_1' \left( \frac{\dot{S}}{NP - 1} \right) \end{aligned} \quad (12a)$$

Rearranging and collecting terms:

$$\begin{aligned} - \left( \dot{m}_{g_1} c_{p_1} + \dot{S} \rho_1 c_{p_1} + \rho_1 c_{p_1} \frac{\Delta X}{2\Delta \theta} + \frac{1}{\frac{\Delta X}{2k_1} + \frac{\Delta X}{2k_2}} - \frac{1}{2} \rho_1 c_{p_1} \left( \frac{\dot{S}}{NP - 1} \right) \right) T_1' \\ + \left( \dot{m}_{g_2} c_{p_2} + \frac{1}{\frac{\Delta X}{2k_1} + \frac{\Delta X}{2k_2}} + \rho_2 c_{p_2} \dot{S} \left( \frac{NP - 1.5}{NP - 1.0} \right) \right) T_2' \\ = - \rho_1 c_{p_1} \frac{\Delta X}{2\Delta \theta} T_1' - Q_{in} \end{aligned} \quad (12b)$$

The physical model for interior points in the mature char zone, including all heating terms, is shown below:



The energy equation for interior points in the char matrix is:

$$\begin{aligned}
 \frac{d}{d\theta} \left( \Delta X_i \rho_i c_{p_i} T_i \right) &= \Delta X \rho_i c_{p_i} \frac{dT_i}{d\theta} - \rho_i c_{p_i} T_i' \left( \frac{\dot{S}}{NP - 1} \right) \\
 &= \dot{m}_{g_{i+1}} c_{p_{i+1}} T_{i+1}' + k_{i-1,i} \left( \frac{\Delta T}{\Delta X} \right) + \rho_{i+1} c_{p_{i+1}} \dot{S} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) T_{i+1}' \\
 &\quad - k_{i,i+1} \left( \frac{\Delta T}{\Delta X} \right) - \dot{m}_{g_i} c_{p_i} T_i' - \rho_i c_{p_i} \dot{S} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) T_i'
 \end{aligned}
 \tag{13}$$

Putting equation (13) in an implicit finite difference form:

$$\begin{aligned}
 & \left( \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} \right) T'_{i-1} - \left( \dot{m}_{g_i} c_{p_i} + \rho_i c_{p_i} \dot{S} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) + \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} \right. \\
 & \quad \left. + \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} + \rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} - \rho_i c_{p_i} \left( \frac{\dot{S}}{NP - 1} \right) \right) T'_i \\
 & \quad + \left( \dot{m}_{g_{i+1}} c_{p_{i+1}} + \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} + \rho_{i+1} c_{p_{i+1}} \dot{S} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) \right) T'_{i+1} \\
 & \quad = -\rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} T_i
 \end{aligned} \tag{13a}$$

NOTE: In the mature char zone, no internal gaseous ablation products are assumed to form. The reaction zone is the source for the formation of the internal gaseous products. Therefore, in equations (12) and (13),  
 $\dot{m}_{g_i} = \dot{m}_{g_{i+1}}$ .

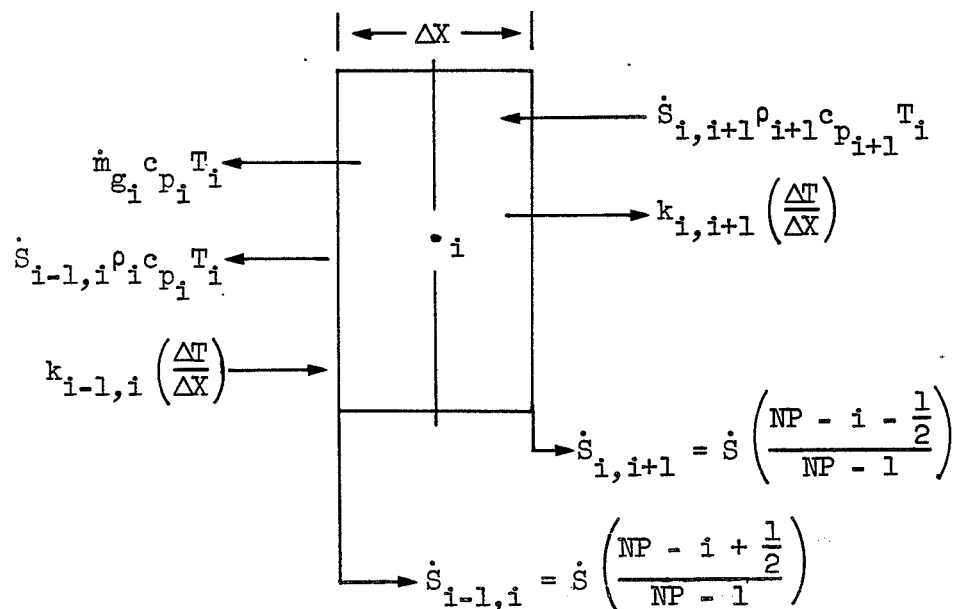
The physical model for nodes in the reaction zone is identical to schematic shown for the interior nodes in the char except for considering the energy absorbed in formation of the gaseous ablation products. The heat balance equation for a node in the reaction zone is:

$$\begin{aligned}
 \frac{d}{d\theta} (\Delta X \rho_i c_{p_i} T_i) &= \Delta X \rho_i c_{p_i} \frac{dT_i}{d\theta} - \rho_i c_{p_i} T'_i \left( \frac{\dot{S}}{NP - 1} \right) - (\dot{m}_{g_i} - \dot{m}_{g_{i+1}}) H_d \\
 &= \dot{m}_{g_{i+1}} c_{p_{i+1}} T'_{i+1} + k_{i-1,i} \left( \frac{\Delta T}{\Delta X} \right) + \rho_{i+1} c_{p_{i+1}} \dot{S} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) T'_{i+1} \\
 &\quad - k_{i,i+1} \left( \frac{\Delta T}{\Delta X} \right) - \dot{m}_{g_i} c_{p_i} T'_i - \rho_i c_{p_i} \dot{S} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) T'_i
 \end{aligned} \tag{14}$$

rearranging:

$$\begin{aligned}
 & \left( \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} \right) T'_{i-1} - \left( \dot{m}_{g_i} c_{p_i} + \rho_i c_{p_i} \dot{S} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) + \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} \right. \\
 & \quad \left. + \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} + \rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} - \rho_i c_{p_i} \left( \frac{\dot{S}}{NP - 1} \right) \right) T'_i + \left( \dot{m}_{g_{i+1}} c_{p_{i+1}} \right. \\
 & \quad \left. + \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} + \rho_{i+1} c_{p_{i+1}} \dot{S} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) \right) T'_{i+1} \\
 & \quad = -\rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} T_i - \left( \dot{m}_{g_i} - \dot{m}_{g_{i+1}} \right) H_d
 \end{aligned}
 \tag{14a}$$

The physical model for the interface between the reaction zone and virgin material is illustrated below:



The heat balance equation for this node is:

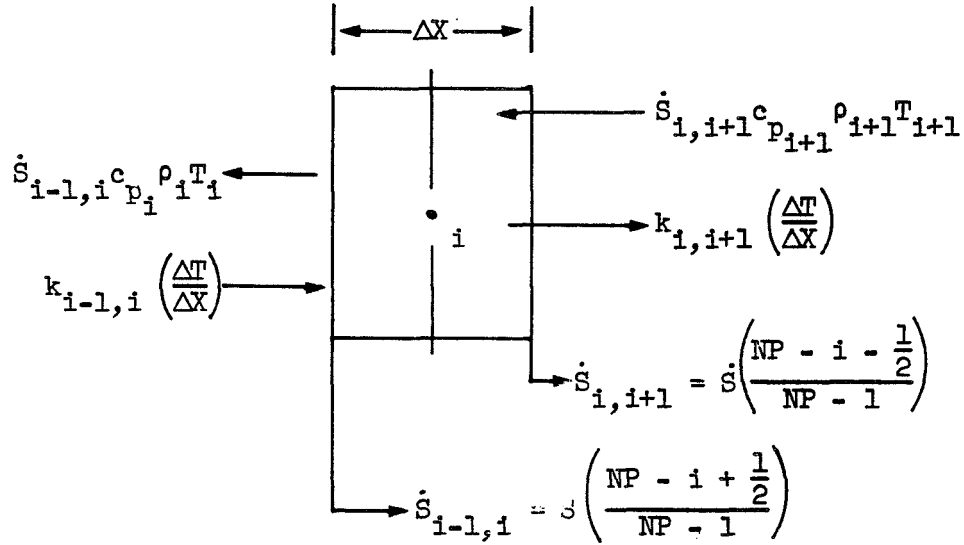
$$\begin{aligned}
 \frac{d}{d\theta} (\Delta X \rho_i c_{p_i} T_i) &= \Delta X \rho_i c_{p_i} \frac{dT_i}{d\theta} - \rho_i c_{p_i} T_i' \left( \frac{\dot{S}}{NP - 1} \right) - \dot{m}_{g_i} H_d \\
 &= k_{i-1,i} \left( \frac{\Delta T}{\Delta X} \right) + \rho_{i+1} c_{p_{i+1}} \dot{S} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) T_{i+1}' \\
 &\quad - k_{i,i+1} \left( \frac{\Delta T}{\Delta X} \right) - \dot{m}_{g_i} c_{p_i} T_i' - \rho_i c_{p_i} \dot{S} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) T_i'
 \end{aligned} \tag{15}$$

Rearranging:

$$\begin{aligned}
 \left( \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} \right) T_{i-1}' &- \left( \dot{m}_{g_i} c_{p_i} + \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} + \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} \right. \\
 &+ \left. \rho_i c_{p_i} \dot{S} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) + \rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} - \rho_i c_{p_i} \left( \frac{\dot{S}}{NP - 1} \right) \right) T_i' \\
 &+ \left( \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} + \rho_{i+1} c_{p_{i+1}} \dot{S} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) \right) T_{i+1}' \\
 &= -\rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} T_i' - \dot{m}_{g_i} H_d
 \end{aligned}$$

(15a)

The physical model for an interior node in the virgin material is:



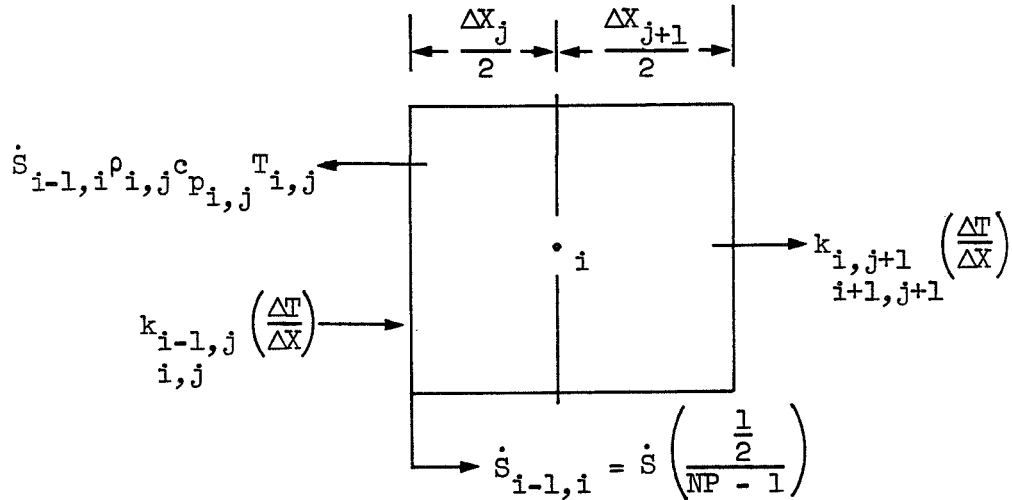
The heat balance for this nonablating node is:

$$\begin{aligned}
 \frac{d}{d\theta} (\Delta X \rho_i c_{p_i} T_i) &= \Delta X \rho_i c_{p_i} \frac{dT_i}{d\theta} - \rho_i c_{p_i} T_i' \left( \frac{\dot{S}}{NP - 1} \right) \\
 &= k_{i-1,i} \left( \frac{\Delta T}{\Delta X} \right) + \rho_{i+1} c_{p_{i+1}} \dot{S} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) T_{i+1}' - k_{i,i+1} \left( \frac{\Delta T}{\Delta X} \right) \\
 &\quad - \rho_i c_{p_i} \dot{S} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) T_i' \quad (16)
 \end{aligned}$$

Rearranging:

$$\begin{aligned}
 & \left( \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} \right) T'_{i-1} - \left( \frac{1}{\frac{\Delta X}{2k_{i-1}} + \frac{\Delta X}{2k_i}} + \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} \right) \\
 & + \rho_i c_{p_i} \dot{s} \left( \frac{NP - i + \frac{1}{2}}{NP - 1} \right) + \rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} - \rho_i c_{p_i} \left( \frac{\dot{s}}{NP - 1} \right) T'_i \\
 & + \left( \frac{1}{\frac{\Delta X}{2k_i} + \frac{\Delta X}{2k_{i+1}}} + \rho_{i+1} c_{p_{i+1}} \dot{s} \left( \frac{NP - i - \frac{1}{2}}{NP - 1} \right) \right) T'_{i+1} = -\rho_i c_{p_i} \frac{\Delta X}{\Delta \theta} T'_i
 \end{aligned} \tag{16a}$$

The physical model for the last node in the ablation material and first node in the backup structure is:



The heat balance equation for this node:

$$\begin{aligned}
 & \frac{d}{d\theta} \left( \left( \frac{\Delta X_j}{2} \rho_{i,j} c_{p_{i,j}} + \frac{\Delta X_{j+1}}{2} c_{p_{i,j+1}} \rho_{i,j+1} \right) T_i \right) \\
 &= \left( \frac{\Delta X_j \rho_{i,j} c_{p_{i,j}} + \Delta X_{j+1} c_{p_{i,j+1}} \rho_{i,j+1}}{2} \right) \frac{dT_i}{d\theta} - \frac{1}{2} \left( \frac{\dot{S}}{NP - 1} \right) c_{p_{i,j}} \rho_{i,j} T_i' \\
 &= k_{i-1,j} \left( \frac{\Delta T}{\Delta X} \right)_{i,j} - c_{p_{i,j}} \rho_{i,j} \dot{S} \left( \frac{\frac{1}{2}}{NP - 1} \right) T_i' - k_{i,j+1} \left( \frac{\Delta T}{\Delta X} \right)_{i+1,j+1} \quad (17)
 \end{aligned}$$

Rearranging:

$$\begin{aligned}
 & \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) T_{i-1}' - \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} + \frac{1}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} \right) \\
 & + \left( \frac{\Delta X_j \rho_{i,j} c_{p_{i,j}} + \Delta X_{j+1} c_{p_{i,j+1}} \rho_{i,j+1}}{2} \right) T_i' + \left( \frac{1}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} \right) T_{i+1}' \\
 & = - \left( \frac{\Delta X_j c_{p_{i,j}} \rho_{i,j} + \Delta X_{j+1} c_{p_{i,j+1}} \rho_{i,j+1}}{2} \right) T_i \quad (17a)
 \end{aligned}$$

The backup structure may contain up to a maximum of 12 different materials with or without air gaps between materials. Therefore, conduction or radiation and/or convection between materials is allowed. The heat balance equations for the various modes of heat transfer in the back backup structure are now presented:



a. Interior node material:

$$\frac{\left( \frac{T'_{i-1,j} - T'_{i,j}}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) - \left( \frac{T'_{i,j} - T'_{i+1,j}}{\frac{\Delta X_j}{2k_{i,j}} + \frac{\Delta X_j}{2k_{i+1,j}}} \right)}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} = \rho_{i,j} c_{p_{i,j}} \frac{\Delta X_j}{\Delta \theta} (T'_{i,j} - T_{i,j}) \quad (18)$$

Rearranging:

$$\begin{aligned} & \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) T'_{i-1,j} - \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} + \frac{1}{\frac{\Delta X_j}{2k_{i,j}} + \frac{\Delta X_j}{2k_{i+1,j}}} \right) \\ & \quad + \rho_{i,j} c_{p_{i,j}} \frac{\Delta X_j}{\Delta \theta} T'_{i,j} + \left( \frac{1}{\frac{\Delta X_j}{2k_{i,j}} + \frac{\Delta X_j}{2k_{i+1,j}}} \right) T'_{i+1,j} \\ & \quad = -\rho_{i,j} c_{p_{i,j}} \frac{\Delta X_j}{\Delta \theta} T_{i,j} \end{aligned} \quad (18a)$$

b. First node of two interior materials with no gap:

$$\begin{aligned} & \frac{\left( \frac{T'_{i-1,j} - T'_{i,j}}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) - \left( \frac{T'_{i,j+1} - T'_{i+1,j+1}}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} \right)}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \\ & \quad = \left( \frac{\rho_{i,j} c_{p_{i,j}} \Delta X_j + \rho_{i,j+1} c_{p_{i,j+1}} \Delta X_{j+1}}{2} \right) (T'_{i,j} - T_{i,j}) \end{aligned} \quad (19)$$

NOTE:  $T'_{i,j} = T'_{i,j+1}$  for this case.

Rearranging:

$$\begin{aligned}
 & \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) T'_{i-1,j} - \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} + \frac{1}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} \right. \\
 & \quad \left. + \left( \frac{\rho_{i,j}^c p_{i,j} \Delta X_j + \rho_{i,j+1}^c p_{i,j+1} \Delta X_{j+1}}{2.0} \right) \right) T'_{i,j} \\
 & \quad + \left( \frac{1}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} \right) T'_{i+1,j+1} \\
 & = - \left( \frac{\rho_{i,j}^c p_{i,j} \Delta X_j + \rho_{i,j+1}^c p_{i,j+1} \Delta X_{j+1}}{2.0} \right) T_{i,j} \\
 & \hspace{25em} (19a)
 \end{aligned}$$

c. First node of interior material with an air gap between materials:

$$\begin{aligned}
 & h_j (T'_{i-1,j} - T'_{i,j+1}) + \left( \frac{\sigma}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) (T'^4_{i-1,j} - T'^4_{i,j+1}) \\
 & - \left( \frac{T'_{i,j+1} - T'_{i+1,j+1}}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} \right) = \frac{\rho_{i,j+1}^c p_{i,j+1} \Delta X_{j+1}}{2\Delta\theta} (T'_{i,j+1} - T_{i,j+1}) \quad (20)
 \end{aligned}$$

Equation (20) may be linearized using the approximation

$$T'^4 \cong 4T^3 T' - 3T^4$$

as discussed in the Program Description section.

Therefore, rearranging and linearizing, equation (20) becomes:

$$\begin{aligned}
 & \left( h_j + \left( \frac{4\sigma T_{i-1,j}^3}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) \right) T'_{i-1,j} - \left( h_j + \left( \frac{4\sigma T_{i,j+1}^3}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) \right. \\
 & \quad \left. + \frac{1}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} + \frac{\rho_{i,j+1}^c p_{i,j+1} \Delta X_{j+1}}{2\Delta\theta} \right) T'_{i,j+1} \\
 & \quad - \left( \frac{1}{\frac{\Delta X_{j+1}}{2k_{i,j+1}} + \frac{\Delta X_{j+1}}{2k_{i+1,j+1}}} \right) T'_{i+1,j+1} \\
 & \quad = - \frac{\rho_{i,j+1}^c p_{i,j+1} \Delta X_{j+1}}{2\Delta\theta} T_{i,j+1} \\
 & \quad - \left( \frac{3\sigma}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) (T_{i,j+1}^4 - T_{i-1,j}^4) \tag{20a}
 \end{aligned}$$

d. Last node of an interior material with an air gap between materials:

$$\begin{aligned}
 & \frac{\left( \frac{T'_{i-1,j} - T'_{i,j}}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right)}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} - h_j (T'_{i,j} - T'_{i,j+1}) \\
 & - \left( \frac{\sigma}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) (T_{i,j}^4 - T_{i,j+1}^4) = \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} (T'_{i,j} - T_{i,j}) \tag{21}
 \end{aligned}$$

Rearranging and linearizing:

$$\begin{aligned}
 & \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) T'_{i-1,j} - \left( h_j + \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} + \left( \frac{4\sigma T_{i,j}^3}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) \right. \\
 & \quad \left. + \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} \right) T'_{i,j} + \left( h_j + \left( \frac{4\sigma T_{i,j+1}^3}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) \right) T'_{i,j+1} \\
 & = - \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} T_i + \left( \frac{3\sigma}{\frac{1}{\epsilon_j} + \frac{1}{\epsilon_{j+1}} - 1} \right) (T_{i,j+1}^4 - T_{i,j}^4)
 \end{aligned} \tag{21a}$$

e. Final node in backup structure:

(1) Adiabatic surface

$$\frac{T'_{i-1,j} - T'_{i,j}}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} = \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} (T'_{i,j} - T_{i,j}) \tag{22}$$

Rearranging:

$$\begin{aligned}
 & \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) T'_{i-1,j} - \left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right. \\
 & \quad \left. + \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} \right) T'_{i,j} = - \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} T_{i,j}
 \end{aligned} \tag{22a}$$

(2) Radiation and/or convection loss to cabin environment

$$\left( \frac{T'_{i-1,j} - T'_{i,j}}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) - h_{\text{env}} (T'_{i,j} - T_{\text{env}}) - F_{\text{env}} \sigma \left( T_{i,j}^4 - T_{\text{env}}^4 \right) = \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} (T'_{i,j} - T_{i,j}) \quad (23)$$

Rearranging:

$$\left( \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} \right) T'_{i-1,j} - \left( h_{\text{env}} + \frac{1}{\frac{\Delta X_j}{2k_{i-1,j}} + \frac{\Delta X_j}{2k_{i,j}}} + F_{\text{env}} \sigma T_{i,j}^3 + \frac{\rho_{i,j}^c p_{i,j} \Delta X_j}{2\Delta\theta} \right) T'_{i,j} = - \frac{\rho_{i,j}^c p_{i,j} \Delta X_k}{2\Delta\theta} T_{i,j} - h_{\text{env}} T_{\text{env}} - F_{\text{env}} \sigma \left( 3T_{i,j}^4 + T_{\text{env}}^4 \right) \quad (23a)$$

#### Discussion of Assumptions

A brief discussion of several assumptions and approximations made in deriving the heat balance equations is now presented.

As shown in the Derivation of Equations section, transient heat conduction, thermal degradation, and the flow of the gaseous products from the reaction zone are the internal thermal transport phenomena of interest. Several methods are available in the treatment of the thermal decomposition process and they differ primarily in whether the chemical decomposition occurs in a single plane at a fixed temperature or a spatially continuous decomposition in depth is assumed. This analysis

assumes that the decomposition from the virgin to the char state occurs in a reaction zone that is defined by known temperature limits. These temperature limits are determined from thermogravimetric (TGA) test data for the particular material being investigated. Figure 3 is a TGA curve for typical charring ablation material. From this curve, the rate of pyrolysis ( $\dot{m}_g$ ) is calculated by knowing the temperature change of a particular node with time, that is,

$$\dot{\rho}_i = \frac{\rho_i' - \rho_i}{\Delta\theta} \quad (24)$$

$$\dot{m}_{g_i} = \sum_i^{NP} \dot{\rho}_i \Delta X_i \quad (25)$$

This method of computing the gas generation rates and local instantaneous density may be subject to error since the TGA curve of a material is influenced by temperature rise rate (DEG/SEC) and the reaction zone may shift up and down the temperature scale. This error can be eliminated by the use of an Arrhenius expression of the form

$$\frac{d\rho}{d\theta} = -A(\rho - \rho_c)^n \rho^{-\frac{E}{RT}} \quad (26)$$

The method now being used in STAB II (equation (25)) to calculate the pyrolysis rate is being investigated to determine its validity. The final formulation of the pyrolysis rate law must rest heavily on the experimental rate data for the material under investigation. The use of simple expressions such as equations (24) and (25) may be entirely adequate depending upon activation energy for the decomposition process and order of reaction.

The aerodynamic heating input in the analysis consists of convective and radiative components treated separately. This distinction is necessary since the convective heating can be significantly reduced due to the injection of the ablation gases into the boundary layer with generally no effect on radiant heating. Reduction in the convective heating rate can be approximated by the following expression (ref. 6)

$$\dot{q}_{\text{Block}} \equiv \dot{m}_g (H_T - H_w) \quad (27)$$

Therefore,

$$\dot{q}_{\text{Blow}} = \dot{q}_{\text{cw}} \left( \frac{H_T - H_w}{H_T - H_{300}} \right) - \dot{q}_{\text{Block}} \quad (28)$$

However, equation (28) is unsatisfactory for high blowing rates, since  $\dot{q}_{\text{Block}}$  can become greater than  $\dot{q}_{\text{cw}}$ . An experimental curve of blocking effectiveness  $\psi \left( \frac{\dot{q}}{\dot{q}_{\text{cw}}} \right)$  as a function of the mass transfer parameter  $\frac{\dot{m}H_T}{\dot{q}_{\text{cw}}}$  can be employed to determine the heating reduction at high

blowing rates. Both methods have been employed in the STAB II analysis. Equation (28) is presently in use. However, no satisfactory method for accurately predicting the convective heat blockage has been determined.

Another source of heating is the combustion of the ablation products in the boundary layer. Reference 7 presents an analysis of the oxidation of a carbon surface and the resulting combustive heating. The heating due to combustion as derived in reference 7 is

$$\dot{q}_{\text{comb}} = \dot{m}_c \Delta H_c \quad (29)$$

where  $\Delta H_c$  is the heat of combustion per unit weight of char.

The thermal properties of the ablation material are both temperature and state dependent (fully or partially charred). Figure 4 is an illustration of the variation of these properties with temperature and state. The thermal properties are assumed to vary as follows:

a. Char zone  $\left( T_i \geq T_{\text{CHAR}} \right)$

$$k_c = f(\text{temp})$$

$$c_{p_c} = f(\text{temp})$$

$$\rho_c = \text{constant}$$

b. Reaction zone  $\left( T_{\text{ABL}} \leq T_i < T_{\text{CHAR}} \right)$

$$\rho = f(\text{temp}) = \rho_v + (\rho_v - \rho_c) \left( \frac{T_i - T_{\text{ABL}}}{T_{\text{ABL}} - T_{\text{CHAR}}} \right)$$

$$k = f(\rho) = k_c + (k_v - k_c) \left( \frac{\rho_i - \rho_c}{\rho_v - \rho_c} \right)$$

$$c_p = f(\rho) = c_{p_c} + (c_{p_v} - c_{p_c}) \left( \frac{\rho_i - \rho_c}{\rho_v - \rho_c} \right)$$

c. Virgin zone  $(T_i < T_{ABL})$

$$\rho_v = \text{constant}$$

$$k_v = f(\text{temp})$$

$$c_{p_v} = f(\text{temp})$$

The calculation of char removal, due to chemical, thermal, mechanical, or by combination of these mechanisms, has been examined by a multitude of investigators and numerous correlations exist, depending on the specific material involved.

To provide a maximum degree of flexibility for analyzing both ground and flight test data and synthesizing trajectories, the following provisions for char removal (surface movement) are provided:

- a. Removal of char as a function of surface temperature.
- b. Removal of char at a rate which is a function of time.

As the char is removed, the surface moves with respect to a coordinate fixed in the material. The distance between the initial surface location and the char surface is

$$S = \int_0^\theta \dot{S} d\theta$$

## CUSTOMER UTILIZATION INSTRUCTIONS

### Introduction

IBM 7094/40 program FO21, standard ablation program, designated STAB II, is designed to evaluate the transient thermal performance of a charring ablation heat protection system. The program considers 1 ablating material and up to 12 different materials in the supporting



backup structure. A maximum of 50 nodes may be considered in the ablation material and a maximum of 10 nodes per material is allowed for each backup structure material. Air gaps can be considered between successive materials in the backup, thus allowing for both radiative and/or convective heat transfer between materials. The heat loss to the cabin environment from the backup structure can be accomplished by both radiation and/or convection or an adiabatic backface surface may be prescribed.

Unless otherwise specified, the input problem data is in "floating point" form (E12.8 format) and must end in columns 12, 24, 36, 48, 60, and 72. It is suggested that each floating point number have a sign, a two-digit exponent, and a decimal point. For example, the number 145.23 can be written as +1.4523 +02, +145.23 +00, or +14523 +03

#### Input Nomenclature

The nomenclature used in the problem data input is as follows:

NCASE	number of problems to be run successively				
HEAD	any 72 alphabetical and/or numerical characters				
TITLE	control card for reading in new input for successive problems <ol style="list-style-type: none"> <li>1. blank card - new data will be read in</li> <li>2. 6 asterisks in columns 1 to 6. Skip to next read statement</li> </ol>				
TLIM	time limit of problem, sec				
TINT	starting time of problem, sec				
NPTT	number of points in time-step table (the minimum value of NPTT is 2)				
NPL <del>OT</del>	output plot control <table border="0" style="margin-left: 20px;"> <tr> <td>=1</td><td>plot routine will be used</td></tr> <tr> <td>=0</td><td>plot routine will be ignored</td></tr> </table>	=1	plot routine will be used	=0	plot routine will be ignored
=1	plot routine will be used				
=0	plot routine will be ignored				
TTABLE	time in time-step table, sec				

DELTT	time step to be used for each calculation - starting at time TTABLE, sec
IPRC	variable print frequency in TTABLE table; that is, if DELTT = 1.0 and IPRC = 10, the output will be printed at 10-second intervals
FC $\phi$ NV	factor to correct convective heating rate for various body locations
FRAD	factor to correct radiative heating for various body locations
TABL	temperature at which ablation starts, °R
TCHAR	temperature at which ablation stops, °R
TREC	surface temperature, (°R) <u>or</u> time (second) at which char removal is to start
RH $\phi$ V	density of virgin ablation material, lb/ft <sup>3</sup>
RH $\phi$ C	density of mature char material, lb/ft <sup>3</sup>
FBL $\phi$ W	blowing efficiency of ablation gases in reducing convective heating
EMV	emissivity of virgin ablation material
EMC	emissivity of charred ablation material
H300	enthalpy of air at 300° K, 129.06 Btu/lb <sub>m</sub>
VL	initial thickness of virgin ablation material, in.
HV	heat of degradation of virgin material, Btu/lb <sub>m</sub>
VPT	test to determine if the reaction zone and char zone thermal properties are irreversible with temperature
=0	properties are irreversible and equal to the value at the maximum individual node temperature (this is the recommended value for VPT)
=1	properties are reversible
FV	view factor for external environment

TV	sink temperature of external environment, °R
CHARK	thermal conductivity of material at TCHAR, Btu/hr-ft-°R
CHARC	specific heat of material at TCHAR, Btu/lb <sub>m</sub> -°R
ABLK	thermal conductivity of material at TABL, Btu/hr-ft-°R
ABLC	specific heat of material at TABL, Btu/lb <sub>m</sub> -°R
NP	number of node points in ablation material
NKC	number of points in char thermal conductivity - temperature table
NPC	number of points in char specific heat - temperature table
NKV	number of points in virgin thermal conductivity - temperature table
NCPV	number of points in virgin specific heat - temperature table
NREC	number of points in surface recession - temperature <u>or</u> time table
TKC	temperature values in char thermal conductivity - temperature table, °R
XKC	thermal conductivity values in char thermal conductivity - temperature table, Btu/ft-hr-°R
TCPC	temperature values in char specific heat - temperature table, °R
CPC	specific heat values in char specific heat - temperature table, Btu/lb <sub>m</sub> -°R
TKV	temperature values in virgin thermal conductivity - temperature table, °R
XKV	thermal conductivity values in virgin thermal conductivity - temperature table, Btu/ft-hr-°R
TCPV	temperature values in virgin specific heat - temperature table, °R

CPV	specific heat values in virgin specific heat temperature table, $\text{Btu/lb}_m\text{-}^\circ\text{R}$
TS	temperature ( $^\circ\text{R}$ ) or time (sec) values in the surface recession table
SR	surface recession values in the surface recession - temperature or time table, in./sec
NTRAPT	number of time points in the trajectory input table
TIME	the array of (NTRAPT) trajectory time values, sec
QCQN	the corresponding array of cold wall convective heating rates, $\text{Btu/ft}^2\text{-sec}$
QRAD	the corresponding array of radiative heating rates, $\text{Btu/ft}^2\text{-sec}$
VEL	the corresponding array of flight velocity, ft/sec
NMB	number of materials in backup structure
NPBS	total number of node points in backup structure
BL	total thickness of backup structure, in.
XNPM	number of nodes in <u>each individual</u> material in backup structure
NKPB	number of points in <u>each individual</u> backup structure material thermal conductivity - temperature table
NCPB	number of points in <u>each individual</u> backup structure material specific heat - temperature table
XIDNT	any 72 alphanumeric characters used to describe <u>each individual</u> material in the backup structure
TXK	temperature values in backup material thermal conductivity - temperature tables, $^\circ\text{R}$
XX	thermal conductivity values in backup material thermal conductivity - temperature tables, $\text{Btu/ft-hr-}^\circ\text{R}$

TCP	temperature values in backup material specific heat - temperature tables, °R
CPX	specific heat values in backup material specific heat - temperature tables, Btu/lb <sub>m</sub> - °R
RH/BX	density of individual materials in backup, lb/ft <sup>3</sup>
XEM	thickness of individual materials in backup, in.
EMFB	emissivity of front surface of each material in backup
EMBB	emissivity of back surface of each material in backup
H	film coefficient between adjacent materials in backup, Btu/hr-ft <sup>2</sup> - °R
GAPX	width of gap between adjacent materials in backup, in.
FTEST, BTEST	tests to determine the mode of heat transfer between materials for the front and backface of each material respectively
=0	conduction only between materials
=+1	convective heat transfer only
=-1	radiation only or radiation and convection heat transfer
TENV	temperature of interior cabin environment, °R
HENV	film coefficient to interior cabin environment, Btu/ft <sup>2</sup> -hr-°R
FENV	view factor and emissivity product for radiative heat transfer to cabin interior
QL/SS	boundary condition between last node of the backup structure and cabin environment
=0	adiabatic surfaces
=+1	radiation and/or convective loss

TEST2	determines the proper heat shield initial temperature distribution
=0	constant, uniform initial temperature distribution
=-1	arbitrary initial temperature distribution
=+1	linear temperature distribution
TEMPI	temperature to be used when constant temperature distribution option is used, °R
TXØ	initial temperature at front surface of heat shield to be used in computing initial linear temperature gradient, °R
TEMPI	arbitrary temperature distribution values, to be used only if TEST2 is negative, R
NHP	number of points in enthalpy - temperature curve fit
HX	enthalpy values in enthalpy - temperature table, Btu/lb <sub>m</sub>
TW	corresponding temperature values in enthalpy - temperature table, °R

NOTE: This table is used for computing the wall enthalpy. An input deck for NHP, HX, and TW has been prepared for air and is available upon request.

### Input Data Card Preparation

The input data are given in the following order. Each number below refers to a separate record and must begin on a new data card. The input data has been grouped, where possible, into various sections dealing with a particular part of the input, that is, ablation material properties, trajectory data, backup structure, et cetera. This permits the use of a minimum number of input cards for running successive problems. The title card as described in the input nomenclature controls the input for successive problems.

1. The first data card contains the value of NCASE. NCASE is an integer (I5 format) and must end in column 5. This card tells how many problems are to be run and is entered only once at the start of the data deck.

2. Columns 1 through 72 of the second data card contain any title or identification information desired - any alphanumeric character may be used. This card will be printed at the top of the first page of the output. This card must be included in all successive problems to be run.

a. Problem Time Section

3. TITLE card - if blank, the following 2 cards must be submitted; if 6 asterisks are punched in columns 1 through 6, skip to record number 6.

4. This record contains, in the following order: TLIM, TINT, NPTT, NPL~~OT~~. TLIM and TINT are entered as floating point numbers and must end in columns 12 and 24. NPTT and NPL~~OT~~ are integers entered with an I5 format and must end in columns 30 and 35.

5. Start entering the values of TTABLE, DELTT, IPRC. TTABLE and DELTT are floating point numbers and must end in columns 12 and 24. IPRC is entered as integer with an I5 format and must end in column 30. Use as many cards as required to enter NPTT values.

b. Heating Rate Factors Section

6. TITLE card - if blank, the following card must be submitted; if 6 asterisks are punched in columns 1 through 6, skip to record number 8.

7. Enter the following: FC~~ONV~~, FRAD. These numbers are entered as floating point numbers and must end in columns 12 and 24.

c. Ablation Material Section

8. TITLE card - if blank, the following cards 9 through 18 must be submitted; if 6 asterisks are punched in columns 1 through 6, skip to record number 19.

9. HEADNG card - any alphanumeric characters in columns 1 through 72. Records 9 through 18 contain input data for the ablation material.

10. Enter the following: TABL, TCHAR, TREC, RH~~OV~~, RH~~OC~~, FBL~~OW~~. These numbers are entered as floating point numbers (6E12.8 format) must end in columns 12, 24, 36, 48, 60 and 72.

11. Enter the following: EMV, EMC, H300, VL, HV, VPT. Use same format as card 10.

12. Enter the following: FV, TV, CHARK, CHARC, ABLK, ABLC. Use same format as card 10.

13. This card contains, in the following order: NP, NKC, NCP, NKC, NCPV, NREC. These numbers are fixed point integers and must end in columns 5, 10, 15, 20, 25, and 30. An I5 format is used to read in these numbers.

14. Start entering the curve of TKC versus XKC, with the values of TKC ending in columns 12, 36, and 60. The corresponding values of XKC must end in columns 24, 48, and 72; for example, three TKC-XKC points are contained on one card. The numbers are entered as floating point numbers. Use as many cards as required to enter NKC points on the curve.

15. Start entering the curve of TCPC versus CPC with the values of TCPC, ending in columns 12, 36, and 60. The corresponding values of CPC must end in columns 24, 48, and 72; for example, three TCPC-CPC points are contained on one card. The numbers are entered as floating point numbers. Use as many cards as required to enter NCP points on the curve.

16. Start entering the curve of TKV versus XKV with the values of TKV ending in columns 12, 36, and 60. The corresponding values of XKV must end in columns 24, 48, and 72; for example, three TKV-XKV points are contained on one card. The numbers are entered as floating point. Use as many cards as required to enter the NKV points on the curve.

17. Start entering the curve of TCPV versus CPV with the values of TCPV, ending in columns 12, 36, and 60. The corresponding values of CPV must end in columns 24, 48, and 72; for example, three TCPV-CPV points are contained on one card. The numbers are entered as floating point. Use as many cards as required to enter NCPV points on the curve.

18. Start entering the curve of TS versus SR with the values of TS, ending in columns 12, 36, and 60. The corresponding values of SR must end in columns 24, 48, and 72; for example, three TS-SR points are contained on one card. The numbers are entered as floating point. Use as many cards as required to enter NREC points on the curve.

#### d. Trajectory Data Section

19. TITLE card - if blank, the following cards 20 through 22 must be submitted; if 6 asterisks are punched in columns 1 through 6, skip to record number 23.



20. HEADNG card - any alphanumeric characters in columns 1 through 72. Records 21 through 22 contain trajectory input data.

21. Enter the following: NTRAPT. This number is an integer and must end in column 5. An I5 format is used to read in this number.

22. Start entering the trajectory data in the following order: TIME, QCØN, QRAD, VEL. These values are entered as floating point numbers and must end in columns 12, 24, 36, and 48. There are four trajectory data points on one card. Use as many cards as required to enter NTRAPT points in the trajectory.

e. Backup Structure Section

23. TITLE card - if blank, the following cards 24 through 32 must be submitted; if 6 asterisks are punched in columns 1 through 6, skip to record number 33.

24. HEADNG card - any alphanumeric characters in columns 1 through 72. Records 25 through 32 contain properties of backup structure.

25. Enter the following: NMB, NPBS, BL. These three values must end in columns 5, 10 and 24. NMB and NPBS are integers and are read in under an I5 format. BL is a floating point number.

26. Enter the values of XNPM. XNPM is in floating point form and must end in columns 12, 24, 36, 48, 60 and 72. Use as many cards as required to enter NMB points.

27. Enter the values of NKPB and NCPB. These numbers are integers and NKPB must end in columns 5, 15, 25, 35, and 45; and the corresponding values of NCPB must end in columns 10, 20, 30, 40, and 50. An I5 format is used to read these values. Five NKPB-NCPB values are contained on one card. Use as many cards as are required to enter NMB points.

28. XIDNT card - any alphanumeric characters in columns 1 through 72. This card contains a description of each backup material.

29. Start entering the curve of TXK versus XK with the values of TXK, ending in columns 12, 36, and 60. The corresponding values of XK must end in columns 24, 48, and 72; for example, three TXK-XK points are contained on one card. The numbers are entered as floating point. Use as many cards as required to enter NKPB points on the curve.

30. Start entering the curve of TCP versus CPX with the values of TCP, ending in columns 12, 36, and 60. The corresponding values of CPX must end in columns 24, 48, and 72; for example, three TCP-CPX points are contained on one card. The numbers are entered as floating point. Use as many cards as required to enter NCPB points on the curve.

NOTE: Repeat records 28, 29, and 30 until the properties for NMB materials have been entered. The maximum number for NMB is 12.

31. Start entering the following values in order: RHØBX, XBM, EMFB, EMBB. These values are entered as floating point numbers (6E12.8 format) and must end in columns 12, 24, 36, 48, 60, and 72. Use as many cards as required to enter NMB points.

32. Start entering the following values in order: H, GAPX, FTEST, BTEST. These values are entered as floating point numbers (6E12.8 format) and must end in columns 12, 24, 36, 48, 60, and 72. Use as many cards as required to enter NMB points.

#### f. Interior Environment Section

33. TITLE card - if blank, the following cards 34 through 35 must be submitted; if 6 asterisks are punched in columns 1 through 6, skip to record number 36.

34. HEADNG card - any alphanumeric characters in columns 1 through 72. Record 35 contains properties of environment.

35. Enter the following: TENV, HENV, FENV, QLØSS. The values are entered as floating point numbers and must end in columns 12, 24, 36, and 48.

#### g. Initial Temperature Section

36. TITLE card - if blank, the following records 37 through 38 must be submitted; if 6 asterisks are punched in columns 1 through 6, skip to record 40.

37. HEADNG card - any alphanumeric characters in columns 1 through 72. Records 38 through 39 contain initial temperature distribution input.

38. Enter the following: TEST2, TEMPI, TXO. These values are entered as floating point numbers and must end in columns 12, 24, and 36.

NOTE: If TEST2 is a negative number, record 39 must be submitted; otherwise, skip to record 40.

39. Enter the arbitrary temperature distribution values, TEMDI. These values are entered as floating points with a 6E12.8 format. Use as many cards as required to enter NP plus NPBS node points.

#### h. Enthalpy - Temperature Section

40. TITLE card - if blank, the following records 41 and 42 must be submitted; if 6 asterisks are punched in columns 1 through 6, this is the last data card in the problem input.

41. Enter the following: NHP. This value is an integer and must end in column 5. An I5 format is used to read in this number.

42. Start entering the curve of HX versus TW with the value of HX ending in columns 12, 36, and 60. The corresponding values of TW must end in columns 24, 48, and 72; for example, three HX-TW points are contained on one card. The numbers are entered as floating point. Use as many cards as required to enter NHP points on the curve. Record 42 consists of the last data cards required as input for a problem.

As many successive problems as you wish may be run at one time by proper input preparation. STAB II has been designed to save all input information until changed by new input data. Therefore, the use of the TITLE control card is very important when running more than one problem and using the input data of the previous problem(s). As shown, each input section starts with a TITLE control card for determining whether new input data is to be used. If any data is changed within a section, then all data cards required for that section must be submitted.

STAB II can also be used for solving one dimensional transient heat conduction problems of nonablating materials. The following input parameters must be adhered to:

a. TABL must be greater than the maximum temperature expected during the calculation. Also,  $TABL > TCHAR > TREC$ .

b. The ablation material must be considered to be the first material in the structure for calculational purposes.

c. The virgin and char properties must be inputted as described above but can have the same values; that is,  $XKV = XKC$ ,  $CPC = CPV$ ,  $RH\phi V = RH\phi C$ , et cetera.

The following dimensions statements and program limitations should not be violated when preparing the input described above for ablating and nonablating structure:

- a. All property tables can have a maximum of 20 points (i.e., a temperature and specific heat value constitute one point).
- b. The surface recession table can have a maximum of 50 points (TS and SR constitute one point).
- c. The trajectory table can have a maximum of 300 points (TIME, QCON, QRAD, VEL constitute one point).
- d. The ablation material can be broken into a maximum of 50 nodes. The backup structure can consist of up to 12 different materials with a maximum of 10 nodes per material.
- e. A minimum of 3 nodes per material (ablation or backup) must be specified.
- f. A minimum of two materials must be specified (ablation material and one backup structure material).
- g. Pure conduction only is allowed between the ablation material and the first material in the backup.
- h. If any data input is changed in the Ablation Material Section on successive problems, the Ablation Material Section data cards plus the Initial Temperature Section data cards must be submitted.

#### Program Output Information

The computed results are available in two forms of output; tabular and plot outputs. The tabular output presents the computed results in block type form for each computation step as controlled by the print count control number. As discussed in the preparation of input data, both the computational time step and print control can be varied throughout the running of a problem. Therefore, excessive printed output is avoided, as well as a considerable savings in actual machine computation time. The plot outputs are printed and plotted only when the entire set of problems to be run are completed.

Tabular output.- The program prints a listing of the data input parameters for identification of the problem and ease in determining if there are any input mistakes. For stacked problems, the program prints only that input information that is changed from the previous problem. The following calculated problem output is printed:

- a. Time, sec
- b. Cold wall convective heating rate without blowing,  $\text{Btu/ft}^2\text{-sec}$
- c. Radiative heating rate,  $\text{Btu/ft}^2\text{-sec}$
- d. Velocity,  $\text{ft/sec}$
- e. Gas ablation rate,  $\text{lb}_m/\text{ft}^2\text{-hr}$
- f. Char ablation rate,  $\text{lb}_m/\text{ft}^2\text{-hr}$
- g. Total ablation rate,  $\text{lb}_m/\text{ft}^2\text{-hr}$
- h. Surface recession depth from original surface, in.
- i. Hot wall convective heating rate without blowing,  $\text{Btu/ft}^2\text{-sec}$
- j. Temperature distribution in ablation material,  $^{\circ}\text{R}$
- k. Temperature distribution in backup structure,  $^{\circ}\text{R}$

The temperatures printed for the ablation material are for fixed distances from the original surface. These distances are calculated from the initial ablation material thickness and number of nodes in ablation material. For example:

let

$$VL = 1.0 \text{ in.}$$

$$NP = 11$$

then

$$\Delta X = \frac{VL}{NP - 1} = 0.1$$

The temperatures will be printed for X distances of 0, 0.1, 0.2, 0.3, et cetera, from the original surface until the surface has receded

beyond these fixed distances at which time the node no longer exists and is dropped from the printout. This is illustrated in the following way using the above example; let surface recession = 0.26 in., then the first temperature printed is the surface temperature of the material, located 0.26 in. from the original material surface. The following printed ablation material temperatures are for X distances of 0.3, 0.4, 0.5, .... 1.0 in.

The format for the temperature distribution printout is E16.5 with six temperatures printed per line.

Plot output. - The plot output gives the following ablative material performance parameters as a function of time:

- a. Surface depth, in.
- b. Bondline temperature between ablator and backup structure, °R
- c. Two selected isotherm depths

These values are also printed in tabular form for ease in checking and replotting of the results. The plotted curves contain all maximum and minimum values of the parameters.

#### PROGRAM VERIFICATION

As discussed in the previous sections, approximations and assumptions were made in the analytical model to afford both a quick and accurate solution in predicting the thermal response of a charring heat shield. These simplifying assumptions and approximations are expected to introduce only minor errors; however, the validity of the analyses and resultant accuracy can be judged only by a comparison with exact theoretical solutions and experimental data. Three examples have been selected and a comparison of the STAB II results with the theoretical and test data is discussed in the following paragraphs.

An elementary transient heating example was chosen to demonstrate the accuracy and numerical stability of the STAB II program. A steel slab 6 inches thick was selected and assumed to be at uniform initial temperature of 460° R (0° F). The thermal properties were considered constant. The front surface was subjected to a heating rate of 72 Btu/sec-ft<sup>2</sup> and an adiabatic back surface was assumed. Figure 5 shows a comparison of the STAB II calculated in depth temperatures as a function of time with the exact solution taken from reference 8.

To demonstrate the STAB II solution with a moving boundary, a slab with constant properties, uniform initial temperature, front surface moving with a constant velocity, and constant surface temperature was chosen. The exact solution for semi-infinite slab with these boundary and initial conditions is presented in reference 9. Figure 6 presents a comparison of the STAB II temperature response with the exact solutions. As can be seen from this figure, the two solutions are not in agreement for approximately the first 50 to 60 seconds of the transient. This disagreement is the result of the quasi-steady state

$$\left( \left( \frac{\partial T}{\partial \theta} \right)_{\xi=0} = 0; k \left( \frac{\partial T}{\partial X} \right)_{X=0} = \dot{S} \rho c_p \Delta T \right)$$

assumption made in the exact solution analysis. A calculation was made to estimate the induction time (time at which  $\frac{\partial T}{\partial \theta} = 0$  is a good assumption) and found to be approximately 60 seconds, which is in agreement with the STAB II results.

Finally, to verify the fully charring ablation model, an example of a typical charring material was chosen. The charring ablation material is initially 1.6 inches thick with an adiabatic back surface and a constant heat flux of 95 Btu/sec-ft<sup>2</sup> applied to the front surface. The surface is assumed to recede at a constant velocity of 3.05 (10<sup>-3</sup>) in./sec. Figure 7 presents a comparison of the in-depth temperatures with actual test results obtained in an arc tunnel. The results are in good agreement, with the largest deviations between calculated and measured values occurring for the thermocouple located 1.0 inches in depth. The disagreement could be attributed to several possible errors; thermal property values, incorrect location of thermocouples, et cetera. The effect of varying the thermal properties (thermal conductivity, specific heat, etc.) is presently being investigated and will be reported in a future report.

Tables I and II present the input and output data used for this example. Figures 8, 9, and 10 are the resulting plot routine output.

The comparisons presented above between the computer results and the exact solutions and test results are considered satisfactory. As discussed previously, the assumptions used in the analytical model will be examined more critically as additional test data and analyses become available. The program will be revised and updated as required to reflect these additional studies.

## CONCLUDING REMARKS

An analyses and computer program for predicting the transient thermal response of a charring ablation thermal protection system has been described. The numerical formulation of the equations is such that an implicit solution is obtained. This method of solution affords both a rapid and accurate solution for both ablating and nonablating type problems.

Provision is made in the program for a number of surface boundary conditions. These provisions allow efficient use of the program for analyzing both ground and flight test data and trajectory synthesis.

The computer program has been checked out with both exact solutions and actual ablation test data. The numerical results are in good agreement with the exact solutions and test data. However, the analysis depends upon using good property values and some effort must be expended in obtaining the best possible thermal properties. The analysis and program will continue to be checked as additional flight and ground test data becomes available, to both update the thermal property values and eliminate the individual approximations and assumptions used in the analysis when possible.



## REFERENCES

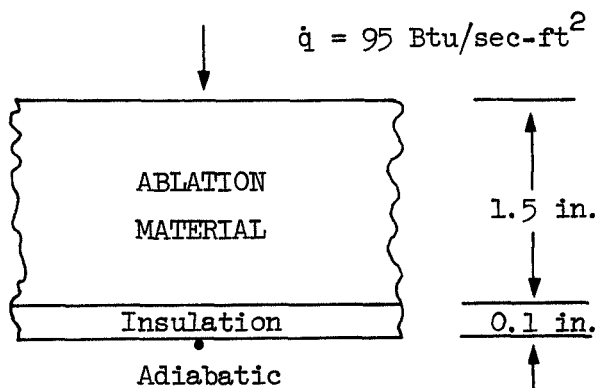
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## APPENDIX A

## SAMPLE PROBLEM

The following sample problem is shown to indicate the form of the data input and the program output. A typical charring material subjected to a constant heating experienced in arc tunnel is presented. A sketch of the model is given below:



The various material properties and dimensions are shown in table II, program output. The insulation is assumed to be ablation material for this problem. The problem coding sheet and subsequent data card listing are shown in table I. The initial temperature of the structure was assumed uniform and equal to  $530^\circ \text{ R}$  ( $70^\circ \text{ F}$ ). Figures 8, 9, and 10 are the output data obtained from the plot routines.



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APPENDIX B

PROGRAM IN FORTRAN STATEMENTS



```

SIBFTC MAIN
C
C   STRUCTURES AND MECHANICS DIVISION
C   THERMO-STRUCTURES BRANCH
C   THERMAL PROTECTION SYSTEMS SECTION
C
C   THIS PROGRAM DETERMINES THE PERFORMANCE OF A CHARRING ABLATOR
C
C   ANALYSIS AND PROGRAM DEVELOPED BY DONALD M. CURRY * ES32
C
  DIMENSION ESAVE1(3),ESAVE2(3),ESAVE3(3)
  DIMENSION TITLE(12),HEADNG(12),XIDNT(12,12),TKC(20),XKC(20),
1CPC(20),TKV(20),XKV(20),TCPV(20),CPV(20),TIME(300),QCON(300),
2QRAD(300),VEL(300),XNPM(12),NKPB(12),NCPR(12),TXK(20,12),XK(20,12)
3,TCP(20,12),CPX(20,12),RHOBX(12),XBM(12),FMFB(12),EMBR(12),HXX(12)
4,GAPX(12),FTEST(12),RTEST(12),TEMPI(200),TX1(200),TX2(200),
5TX2T(10,12),TUL1(200),TUL2(200),HX(50),TW(50),IR(50),IR1(50),
6IR2(50),TUL(50),IFM(50),TY(200),A(200),R(200),C(200),D(200),
7R(50),RHO(50),CP(50),DXR(12),XKR(10,12),CPB(10,12),XMDG(50),
8YK(50),AB(10,12),RB(10,12),CR(10,12),DB(10,12),SR(10,12),
9RR1(10,12),RR2(10,12),H(12),S(50),NPM(12)
  DIMENSION TTUL(50),RHOY1(50),RHOY2(50),DRHO(50),TCPC(20)
  DIMENSION TIMFP(300),PRES(300),XC(50),TX2C(50),XV(50),XDV(50)
  DIMENSION TS(50),SR(50)
  DIMENSION TTABLE(20),DELTT(20),IPRC(20)
  DIMENSION ASAVE1(3),ASAVE2(3),ASAVE3(3),BSAVE1(3),BSAVE2(3),
1BSAVE3(3),CSAVE1(3),CSAVE2(3),CSAVE3(3),HEAD(12),
1DSAVE1(3),DSAVE2(3),DSAVE3(3)
  DIMENSION XRA(30),YA(30)
C
  COMMON TKC,XKC,TCPC,CPC,TKV,XKV,TCPV,CPV,XNPM,RHOBX,XRM,FMBB,
1FMFB,NKPB,NCPR,TXK,XK,TCP,CPX,NPM,GAPX,FTEST,RTEST,TEMPI,TX1,
2TX2,TX2T,TUL,TUL1,TUL2,IR,IR1,IR2,A,B,C,D,S,R,AR,RB,CR,DB,SR,
3RR1,RR2,TY,RHOY1,RHOY2,XMDG,RHO,CP,YK,XKR,CPB,DXR,DT,XLOST,
4TABL,TCHAR,TRFC,RHOV,RHOC,FLOW,FMV,EMC,H300,NKC,NCPC,NKV,NCPV,
5NP,NMR,NPRS,NPF,TEST2,TEMPI,TX0,TENV,HENV,FENV,QLOSS,TLIM,TINT
  COMMON I1,I2,I3,I4,I5,I6,QIN,INT,DX,XMT,TL,VL,BL,DMP,FRR1,ERR2,
1FRR3,ERR4,HV,VPT,CHARK,CHARC,ABLK,ABLC,XMDC,H
C
3000 FORMAT(12A6)
3001 FORMAT(1X,12A6)
3002 FORMAT(6E12.8)
3003 FORMAT(6I5)
3004 FORMAT(1I5)
3005 FORMAT(2I5)
3007 FORMAT(2I5,1E14.8)
3008 FORMAT(///1X,12A6)
3009 FORMAT(1H1,1X,12A6)
3010 FORMAT(4E12.8)
3011 FORMAT(2E12.8,I6,I5,F13.8,E12.8)
3012 FORMAT(2E12.8,I6)
  DATA PRVOIS/0545454545454/
  REWIND 11
  STOP=9999.
  READ(5,3003)NCASE
  LPLOT=0
  JCNT=0

```

50	NK=1	A0570
	I1=2	A0580
	I2=2	A0590
	I3=2	A0600
	I4=2	A0610
	I5=2	A0620
	I6=2	A0630
	I17=2	A0640
	IINT=1	A0650
	XLOST=0.0	A0660
	XMT=0.0	A0670
	XMDT=0.0	A0680
	FRR1=0.0	A0690
	FRR2=0.0	A0700
	FRR3=0.0	A0710
	FRR4=0.0	A0720
	ICT=0	A0730
	ICONT=0	A0740
	XMDC=0.0	A0750
	NKP=1	A0760
	XISTV=0.0	A0770
	NRS=2	A0780
	FRR5=0.0	A0790
	IPCT=0	A0800
	ICTP=0	A0810
	IPLOT=1	A0820
	NXA=1	A0830
	NYB=1	A0840
	NXC=1	A0850
	NYD=1	A0860
	SAVY3=-100.	A0870
	SAVY4=-100.	A0880
	SX0=0.0	A0890
	SNOT=0.0	A0900
C		A0910
C	GENERAL TITLE OF PROBLEM	A0920
100	READ(5,3000) (HEAD(K),K=1,12)	A0930
	WRITE(6,3009) (HEAD(K),K=1,12)	A0940
	LPL0T=LPL0T+1	A0950
	WRITE (11)(HEAD(I),I=1,12)	A0960
	WRITE(6,110)	A0970
110	FORMAT(//1X,11HINPUT DATA,//)	A0980
	READ(5,3000) (TITLE(L),L=1,12)	A0990
	IF(TITLE(1).EQ.PRVIOUS) GO TO 150	A1000
	READ(5,3011) TLIM,TINT,NPTT,NPLOT,DMP,TDMP	A1010
	READ(5,3012) (TTABLE(I),DEFLT(I),IPRC(I),I=1,NPTT)	A1020
	T=TINT	A1030
	NTS=DEFLT(1)	A1040
	DT=DEFLT(1)/3600.0	A1050
	WRITE(6,120) TLIM,TINT,NPTT	A1060
120	FORMAT(1H0,11HTIME LIMIT=,1PE10.4,4X,13HINITIAL TIME=,1PE10.4,4X,5	A1070
	1HNPTT=,I4)	A1080
	WRITE(6,122)	A1090
122	FORMAT(//8X,4HTIME,10X,9HTIME STEP,6X,13HPRINT CONTROL)	A1100
	WRITE(6,124) (TTABLE(I),DEFLT(I),IPRC(I),I=1,NPTT)	A1110
124	FORMAT(5X,1PE10.4,6X,1PE10.4,9X,I4)	A1120
C		A1130



C	LOCATION FACTORS FOR CONVECTIVE AND RADIATIVE HEATING	A1140
150	READ(5,3000) (TITLE(L),L=1,12)	A1150
	IF(TITLE(1).EQ.PRVOUS) GO TO 200	A1160
	READ(5,3002) FCONV,FRAD	A1170
	WRITE(6,155) FCONV,FRAD	A1180
155	FORMAT(1H0,6HFCONV=,1PE12.5,4X5HFRAD=,1PF12.5/)	A1190
C		A1200
C	PROPERTIES OF ABLATION MATERIAL	A1210
200	READ(5,3000) (TITLE(L),L=1,12)	A1220
	IF(TITLE(1).EQ.PRVOUS) GO TO 300	A1230
	READ(5,3000) (HEADNG(K),K=1,12)	A1240
	READ(5,3002) TABL,TCHAR,TREC,PHOV,RHOC,FRLow,FMV,PMC,H300,VL,HV,	A1250
	1VPT,FV,TV,CHARK,CHARC,ABLK,ABLC	A1260
	RFA (5,3003) NP,NKC,NCPC,NKV,NCPV,NREC	A1270
	READ(5,3002) (TKC(K),XKC(K),K=1,NKC)	A1280
	READ(5,3002) (TCPC(M),CPC(M),M=1,NCPC)	A1290
	READ(5,3002) (TKV(L),XKV(L),L=1,NKV)	A1300
	READ(5,3002) (TCPV(N),CPV(N),N=1,NCPV)	A1310
	READ(5,3002) (TS(I),SR(I),I=1,NREC)	A1320
	WRITE(6,3008) (HEADNG(K),K=1,12)	A1330
	WRITE(6,210) TABL,TCHAR,TREC,PHOV,RHOC,FRLow,FMV,PMC,H300,VL,HV,	A1340
	1VPT,FV,TV,CHARK,CHARC,ABLK,ABLC	A1350
210	FORMAT(1H0,5HTABL=,1PF12.5,3X,6HTCHAR=,1PF12.5,3X,5HTREC=,1PF12.5,	A1360
	13X,5HRHOV=,1PF12.5,3X,5HRHOC=,1PF12.5,21X/1X,6HFRLow=,1PF12.5,4X,4	A1370
	2HEMV=,1PF12.5,4X,4HEMC=,1PF12.5,3X,5HH300=,1PF12.5,5X,3HVL=,1PF12.	A1380
	35/4X,3HHV=,1PF12.5,4X,4HVPT=,1PF12.5,5X,3HFV=,1PF12.5,5X,3HTV=,1PF	A1390
	112.5,2X,6HCHARK=,1PF12.5/1X,6HCHARC=,1PF12.5,3X,5HABLK=,1PF12.5,3X	A1400
	2,5HABLC=,1PF12.5/)	A1410
	VL=VL	A1420
	VL=VL/12.0	A1430
	VL=VL	A1440
	WRITE(6,220) NP,NKC,NCPC,NKV,NCPV,NREC	A1450
220	FORMAT(2X,3HNP=,1I4,4X,4HNKC=,1I4,4X,5HNCPC=,1I4,4X,4HNKV=,1I4,4X,	A1460
	15HNCPV=,1I4,4X,5HNREC=,1I4)	A1470
	WRITE(6,221)	A1480
221	FORMAT(/32X,15HVIRGIN MATERIAL/20X,7HTHERMAL,38X,8HSPECIFIC/3X,11H	A1490
	1TEMPERATURE,4X,12HCONDUCTIVITY,19X,11HTEMPERATURE,7X,4HHEAT)	A1500
	KLLL=MIN0(NKV,NCPV)	A1510
	WRITE(6,222) (TKV(L),XKV(L),TCPV(L),CPV(L),L=1,KLLL)	A1520
222	FORMAT(2X,1PE12.5,4X,1PE12.5,18X,1PE12.5,3X,1PE12.5)	A1530
	IF(NKV-NCPV) 223,227,225	A1540
223	KLLLL=KLLL+1	A1550
	WRITE(6,224) (TCPV(L),CPV(L),L=KLLLL,NCPV)	A1560
224	FORMAT(48X,1PF12.5,3X,1PF12.5)	A1570
	GO TO 227	A1580
225	KLLLL=KLLL+1	A1590
	WRITE(6,226) (TKV(L),XKV(L),L=KLLLL,NKV)	A1600
226	FORMAT(2X,1PE12.5,4X,1PE12.5)	A1610
227	WRITE(6,228)	A1620
228	FORMAT(/33X,14HCHAR MATERIAL/20X,7HTHERMAL,38X,8HSPECIFIC/3X,11H	A1630
	1TEMPERATURE,4X,12HCONDUCTIVITY,19X,11HTEMPERATURE,7X,4HHEAT)	A1640
	KLLL=MIN0(NKC,NCPC)	A1650
	WRITE(6,222) (TKC(L),XKC(L),TCPC(L),CPC(L),L=1,KLLL)	A1660
	IF(NKC-NCPC) 230,235,232	A1670
230	KLLLL=KLLL+1	A1680
	WRITE(6,224) (TCPC(L),CPC(L),L=KLLLL,NCPC)	A1690
	GO TO 235	A1700

232	KLLLL=KLLL+1	A1710
	WRITE(6,226) (TKC(L),XKC(L),L=KLLLL,NKC)	A1720
235	WRITE(6,240)	A1730
240	FORMAT(/28X,23HSURFACE RECESSION TABLE//25X,11HTEMPERATURE,8X,11H	A1740
	1SR = IN/SEC)	A1750
	WRITE(6,245) (TS(I),SR(I),I=1,NRFC)	A1760
245	FORMAT(24X,1PF12.5,7X,1PF12.5)	A1770
C		A1780
C	PROPERTIES OF TRAJECTORY	A1790
300	READ(5,3000) (TITLE(L),L=1,12)	A1800
	IF(TITLE(1).EQ.PRVIOUS) GO TO 400	A1810
	READ(5,3000) (HEADNG(L),L=1,12)	A1820
	READ(5,3004) NTRAPT	A1830
	READ(5,3010) (TIME(K),QCON(K),GRAD(K),VEL(K),K=1,NTRAPT)	A1840
	WRITE(6,3008) (HEADNG(L),L=1,12)	A1850
	WRITE(6,310) NTRAPT	A1860
310	FORMAT(1H0,27H NO. OF TRAJECTORY POINTS =,1I4)	A1870
	WRITE(6,320)	A1880
320	FORMAT(/8X,4HTIME,8X,12HQ CONVECTIVE,4X,11HQ RADIATIVE,7X,8HVELOC	A1890
	1ITY)	A1900
	WRITE(6,330) (TIME(K),QCON(K),GRAD(K),VEL(K),K=1,NTRAPT)	A1910
330	FORMAT(1P4E16,5)	A1920
C		A1930
C	PROPERTIES OF BACK-UP STRUCTURE	A1940
400	READ(5,3000) (TITLE(L),L=1,12)	A1950
	IF(TITLE(1).EQ.PRVIOUS) GO TO 500	A1960
	WRITE(6,410)	A1970
410	FORMAT(/10X,31H PROPERTIES OF BACKUP STRUCTURE/)	A1980
	READ(5,3007) NMB,NPBS,BL	A1990
	READ(5,3002) (XNPM(K),K=1,NMB)	A2000
	READ(5,415) (NKPBI),NCPBI,I=1,NMB)	A2010
415	FORMAT(10I5)	A2020
	DO 420 K=1,NMB	A2030
	NPM(K)=XNPM(K)+0.00000002	A2040
420	CONTINUE	A2050
	WRITE(6,425) NMB,NPBS,BL	A2060
425	FORMAT(/4X,35HNO. OF MATERIALS IN BACK-UP SHIELD=,1I4/4X,40HTOTAL	A2070
	1NUMBER OF NODES IN BACK-UP SHIELD=,1I4/4X,28HTHICKNESS OF BACK-UP	A2080
	2SHIELD=,1PE12.5//)	A2090
	BL=BL/12.0	A2100
	DO 440 I=1,NMB	A2110
	LK=NKPBI	A2120
	LCP=NCPBI	A2130
	READ(5,3000) ((XIDNT(K,I)),K=1,12)	A2140
	READ(5,3002) ((TXK(J,I),XK(J,I)),J=1,LK)	A2150
	READ(5,3002) ((TCP(J,I),CPX(J,I)),J=1,LCP)	A2160
	WRITE(6,432) (XIDNT(K,I),K=1,12)	A2170
432	FORMAT(/12A6)	A2180
	WRITE(6,433)	A2190
433	FORMAT(/20X,7HTHERMAL,38X,8HSPECIFIC/3X,11HTEMPERATURE,4X,12HCOND	A2200
	1UCTIVITY,19X,11HTEMPERATURE,7X,4HHEAT)	A2210
	KLLL=MIN0(LK,LCP)	A2220
	DO 434 N=1,KLLL	A2230
	WRITE(6,222) (TXK(N,I),XK(N,I),TCP(N,I),CPX(N,I))	A2240
434	CONTINUE	A2250
	IF(LK-LCP) 435,440,437	A2260
435	KLLLL=KLLL+1	A2270

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      DO 436 N=KLLLL,LCP
      WRITE(6,224) (TCP(N,I),CPX(N,I))
436 CONTINUE
      GO TO 440
437 KLLLL=KLLLL+1
      DO 438 N=KLLLL,LK
      WRITE(6,226) (TXK(N,I),XK(N,I))
438 CONTINUE
440 CONTINUE
      READ(5,3002) (RHORX(L),XPM(L),EMFR(L),EMRB(L),L=1,NMR)
      READ(5,3002) (H(J),GAPX(J),FTFST(J),BTFST(J),J=1,NMR)
      WRITE(6,450)
450 FORMAT(//55X,10HEMISIVITY/8X,8HMATERIAL,5X,7HDENSITY,7X,9HTHICKN
1FSS,7X,5HFRONT,9X,4HBACK,7X,14HNODES/MATERIAL/)
      DO 460 LLJ=1,NMR
      WRITE(6,455) LLJ,RHORX(LLJ),XPM(LLJ),FMFR(LLJ),FMRB(LLJ),XNPM(LLJ)
455 FORMAT(11X,1I1,8X,1PF10.4,4X,1PF10.4,4X,1PF10.4,4X,1PF10.4,6X,1PF1
10.4/)
460 CONTINUE
      WRITE(6,465)
465 FORMAT(//4X,60HADDITIONAL DATA FOR INDIVIDUAL MATERIALS IN BACKUP
1STRUCTURE//11X,8HMATERIAL,5X,16HFILM COEFFICIENT,5X,13HGAP THICKNE
2SS,8X,5HFTFST,13X,5HBTFST)
      DO 480 J=1,NMR
      WRITE(6,470) J, H(J),GAPX(J),FTFST(J),BTFST(J)
470 FORMAT(13X,1I3,12X,1PF10.4,9X,1PF10.4,7X,1PF11.4,7X,1PF11.4/)
480 CONTINUE

C
C   PROPERTIES OF ENVIRONMENT
500 READ(5,3000) (TITLE(L),L=1,12)
      IF(TITLE(1).EQ.PRVIOUS) GO TO 600
      READ(5,3000) (HEADNG(L),L=1,12)
      READ(5,3002) TENV,HENV,FFNV,QLOSS
      WRITE(6,3008) (HFADNG(L),L=1,12)
      WRITE(6,520) TENV,HENV,FFNV,QLOSS
520 FORMAT(/4X,12HTEMPERATURE=,1PF12.5,4X,17HFILM COEFFICIENT=,1PF12.5
1,4X,12HVIFW FACTOR=,1PF12.5,4X,7H0 LOST=,1PF12.5)

C
C   INITIAL TEMPERATURE DISTRIBUTION
600 READ(5,3000) (TITLE(L),L=1,12)
      IF(TITLE(1).EQ.PRVIOUS) GO TO 700
      READ(5,3000) (HEADNG(L),L=1,12)
      NPF=NP+NPRS
      TL=VL+BL
      XNP=NP
      DX=VL/(XNP-1.0)
      DX=DX
      READ(5,3002) TEST2,TFMPI,TX0
      IF(TEST2) 610,620,620
610 READ(5,3002) (TEMPI(K),K=1,NPF)
      DO 615 K=1,NPF
      TX1(K)=TEMPI(K)
      TX2(K)=TX1(K)
      TUL1(K)=TX1(K)
      TUL2(K)=TX1(K)
615 CONTINUE
      L=NP+1

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DO 619 I=1,NMP	A2850
IN=NPM(I)	A2860
DO 617 J=1,LN	A2870
TX2T(J,I)=TFMDI(L)	A2880
I=L+1	A2890
617 CONTINUE	A2900
619 CONTINUE	A2910
GO TO 625	A2920
620 CALL TEMPD	A2930
625 WRITE(6,3008) (HEADNG(L),L=1,12)	A2940
IF(TEST2) 630,635,640	A2950
630 WRITE(6,632)	A2960
632 FORMAT(4X,52HTEMPERATURE DISTRIBUTION IN HEAT SHIELD IS ARBITRARY/ 1)	A2970
WRITE(6,633) (TFMDI(K),K=1,NPF)	A2980
633 FORMAT(1PE12,5)	A2990
GO TO 645	A3000
635 WRITE(6,637) TEMPI	A3010
637 FORMAT(/,4X,64HTEMPERATURE DISTRIBUTION IN HEAT SHIELD IS UNIFORM 1AND EQUAL TO ,1PE10.4/)	A3020
GO TO 645	A3030
640 WRITE(6,641)	A3040
641 FORMAT(4X,54HLINEAR TEMPERATURE DISTRIBUTION ASSUMED IN HEAT SHIELD 10/)	A3050
WRITE(6,633) (TEMPI(L),L=1,NPF)	A3060
645 IF(DMP) 700,700,646	A3070
646 WRITE(6,647)	A3080
647 FORMAT(/)	A3090
648 WRITE(6,649) (TX1(L),TX2(L),L=1,NPF)	A3100
649 FORMAT(2X,1PE12.5,4X,1PE12.5)	A3110
WRITE(6,650)	A3120
650 FORMAT(/)	A3130
	A3140
	A3150
	A3160
	A3170
C ENTHALPY AS A FUNCTION OF TEMPERATURE	A3180
700 READ(5,3000) (TITLE(L),L=1,12)	A3190
IF(TITLE(1).EQ.PRVIOUS) GO TO 725	A3200
READ(5,3004) NHP	A3210
READ(5,3002) (HX(K),TW(K),K=1,NHP)	A3220
725 DO 728 I=1,NP	A3230
TF(I)=0	A3240
TP1(I)=0	A3250
TP2(I)=0	A3260
TFM(I)=0	A3270
XMDG(I)=0.0	A3280
728 CONTINUE	A3290
WRITE(6,730)	A3300
730 FORMAT(1H1,12HOUTPUT DATA,/) )	A3310
XC(1)=0.0	A3320
DO 740 I=2,NP	A3330
XC(I)=XC(I-1)+DX	A3340
740 CONTINUE	A3350
750 IF(T-TIME(NK)) 765,770,760	A3360
760 NK=NK+1	A3370
IF(NK-NTRAPT) 750,750,762	A3380
762 WRITE(6,763) NK	A3390
763 FORMAT(1H0,33H THE VALUE OF NK IS IN ERROR, NK=,1I4)	A3400
GO TO 905	A3410

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765 IF(NK-2) 762,766,766
766 QCONX=QCON(NK-1)+((QCON(NK)-QCON(NK-1))/(TIME(NK)-TIME(NK-1)))
1*(T-TIME(NK-1))
QCONX=FCONV*QCONX
QADX=QAD(NK-1)+((QAD(NK)-QAD(NK-1))/(TIME(NK)-TIME(NK-1)))
1*(T-TIME(NK-1))
QADX=FRAD*QADX
VELX=VEL(NK-1)+((VEL(NK)-VEL(NK-1))/(TIME(NK)-TIME(NK-1)))
1*(T-TIME(NK-1))
GO TO 775
770 QCONX=FCONV*QCON(NK)
QADX=FRAD*QAD(NK)
VELX=VEL(NK)
C
C COMPUTE HEAT BLOCKAGE AT FRONT SURFACE
775 IF(I17-1) 778,778,776
776 IF(I17-NHP) 777,777,778
777 IF(TX2(INT)-TW(I17)) 782,788,780
778 WRITE(6,779) TX2(INT)
779 FORMAT(1H0,80H THE RANGE OF THE ENTHALPY-TEMPERATURE CURVE FIT WAS
1EXCEEDED AT A TEMPERATURE OF,1E10.4)
GO TO 905
780 I17=I17+1
GO TO 776
782 IF(TX2(INT)-TW(I17-1)) 784,788,786
784 I17=I17-1
GO TO 775
786 HW=HX(I17-1)+((HX(I17)-HX(I17-1))/(TW(I17)-TW(I17-1)))
1*(TX2(INT)-TW(I17-1))
GO TO 789
788 HW=HX(I17)
789 HTX=H300+((VELX**2)/50056.5)
QBLOCK=(FLOW*XMDG(INT)*(HTX-HW))/3600.0
C
C COMPUTE HEAT IN DUE TO SURFACE COMBUSTION
XMD0=XMDC
CALL OXIDAT(XMD0,QOXID)
C
C COMPUTE Q-HOT WALL
IF(TDMP.EQ.0.) GO TO 4001
IF(T.GE.TDMP) DMP=1.0
4001 Z=(HTX-HW)/(HTX-H300)
IF(Z-1.0) 790,792,793
790 IF(Z) 791,791,793
791 QHW=0.0
GO TO 1790
792 QHW=QCONX
GO TO 1790
793 QHW=Z*QCONX
1790 ZZZ=(QHW-QBLOCK)/QHW
IF(ZZZ-0.2) 1798,1798,1794
1798 QBLOCK=0.8*QHW
C
C NET HEAT INTO FRONT SURFACE
1794 IF(IEM(INT)) 795,795,797
795 IF(TX2(INT)-TCHAR) 796,796,797
796 FMX=EMV

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GO TO 798	A3990
797 IFM(INT)=1	A4000
FMX=EMC	A4010
798 QIN=QGRDX+QHW+QOXID-QRLOCK-(4.8333E-13)*FMX*FV*((TX2(INT)**4)-	A4020
1(TV**4))	A4030
IF(DMP) 804,804,800	A4040
800 WRITE(6,801)	A4050
801 FORMAT(///)	A4060
WRITE(6,802) QCONX,QGRDX,VELX,HTX,HW,Z,QRLOCK,QHW,QOXID,QIN	A4070
802 FORMAT(1X,6HQCONX=,1PF12.5,2X,6HQGRDX=,1PF12.5,2X,5HVFLX=,1PF12.5,	A4080
12X,4HHTX=,1PF12.5,2X,3HHW=,1PF12.5/1X,2H7=,1PF12.5,2X,7HQRLLOCK=,1P	A4090
2F12.5,2X,4HQHW=,1PF12.5,2X,6HQOXID=,1PF12.5,2X,4HQIN=,1PF12.5/)	A4100
804 QIN=QIN*3600.0	A4110
C	A4120
C CHECK FOR FRONT SURFACE RECESSION (CHAR LAYER REMOVAL)	A4130
CALL RECESS(XMDC,XLOST,TRFC,DT,RHOC,TS,SR,TX2(1),NREC,NRS,ERR5,SYN	A4140
1,SDOT,DMP)	A4150
IF(ERR5) 8050,8050,905	A4160
8050 VLV=VLV-XLOST	A4170
XLSTV=XLSTV+XLOST	A4180
XLSTI=XLSTV*12.0	A4190
DXV=VLV/(XNP-1.0)	A4200
XV(1)=0.0	A4210
DO 1780 I=2,NP	A4220
XV(I)=XV(I-1)+DXV	A4230
1780 CONTINUE	A4240
DX=DXV	A4250
IF(ERR4) 806,806,805	A4260
805 GO TO 905	A4270
806 CALL COEFF(NPFT,SDOT)	A4280
IF(DMP) 8069,8069,8061	A4290
8061 WRITE(6,8062)	A4300
8062 FORMAT(/1X,23H COEFFICIENTS FOR SWIFT/)	A4310
DO 8066 I=1,NPFT	A4320
WRITE(6,8064) A(I),B(I),C(I),D(I),I	A4330
8064 FORMAT(1H0,5HA(I)=,1PF12.5,2X,5HB(I)=,1PF12.5,2X,5HC(I)=,1PF12.5,2	A4340
1X,5HD(I)=,1PF12.5,2X,2HI=,I3)	A4350
8066 CONTINUE	A4360
8069 IF(ERR2) 807,807,805	A4370
807 IF(ERR3) 810,810,808	A4380
808 WRITE(6,809) IKK	A4390
809 FORMAT(1H0,18H THE VALUE OF IKK=,1I4)	A4400
GO TO 905	A4410
810 CALL SWIFT(A,B,C,D,TY,NPFT,DMP)	A4420
827 DO 828 I=1,NP	A4430
TX1(I)=TX2(I)	A4440
TX2(I)=TY(I)	A4450
828 CONTINUE	A4460
CALL DON2(XLOST,XV,TX2,NP,XC,TX2C,XDV,KKV,XLSTV,DX)	A4470
830 CALL ABLATE	A4480
XMDT=XMDG(INT)+XMDC	A4490
LT=NP+1	A4500
DO 1815 I=1,NMB	A4510
LLT=NPM(I)	A4520
IF(I.FQ.1) GO TO 1812	A4530
IF(GAPX(I-1).FQ.0.) GO TO 1812	A4540
KKT=1	A4550

GO TO 1813	A4560
1812 KKT=2	A4570
1813 DO 1815 J=KKT,LLT	A4580
TX2T(J,I)=TY(LT)	A4590
LT=LT+1	A4600
1815 CONTINUE	A4610
DO 1819 I=1,NMB	A4620
IF(I,FQ.1) GO TO 1816	A4630
IF(GAPX(I-1),FQ.0.) GO TO 1817	A4640
GO TO 1819	A4650
1816 TX2T(1,I)=TY(NP)	A4660
GO TO 1819	A4670
1817 LX=NPM(I-1)	A4680
TX2T(1,I)=TX2T(LX,I-1)	A4690
1819 CONTINUE	A4700
LM=NP+1	A4710
DO 833 I=1,NMR	A4720
L7=NPM(I)	A4730
DO 833 J=1,L7	A4740
TX2(LM)=TX2T(J,I)	A4750
LM=LM+1	A4760
833 CONTINUE	A4770
DO 5834 I=2,NPTT	A4780
IF(T-TTABLE(I)) 5835,5835,5834	A4790
5835 DTS=DELT(I-1)	A4800
IPRCT=IPRC(I-1)	A4810
DT=DELT(I-1)/3600.0	A4820
GO TO 5836	A4830
5834 CONTINUE	A4840
DTS=DELT(NPTT)	A4850
IPRCT=IPRC(NPTT)	A4860
DT=DELT(NPTT)/3600.0	A4870
5836 ICT=ICT+1	A4880
5838 VLTEM=SAVY3	A4890
CALL ISOTHM(XV, TX2, 1060., NP, SAVEIT)	A4900
SAVEIT=SAVEIT+XLSTV	A4910
IF(SAVY3, LT, SAVEIT) SAVY3=SAVEIT	A4920
IF(VLTEM, FQ, SAVY3) GO TO 839	A4930
SAVX=T	A4940
SAVY1=XLSTI	A4950
SAVY2=TX2(NP)	A4960
CALL ISOTHM(XV, TX2, 1460., NP, SAVY4)	A4970
839 BLTEM=SAVY4X	A4980
CALL ISOTHM(XV, TX2, 1460., NP, WFKFEP)	A4990
WFKFEP=WEKEEP+XLSTV	A5000
IF(SAVY4X, LT, WEKEEP) SAVY4X=WEKEEP	A5010
IF(BLTEM, FQ, SAVY4X) GO TO 838	A5020
SAVEXX=T	A5030
SAVY1X=XLSTI	A5040
SAVY2X=TX2(NP)	A5050
CALL ISOTHM(XV, TX2, 1060., NP, SAVY3X)	A5060
838 CONTINUE	A5070
IF(IPRCT-ICT) 835, 835, 840	A5080
835 WRITE(6, 837) T, QCONX, QGRADY, VELX, XMDG(INT), XMDC, XMDT, XLSTI, QHW	A5090
837 FORMAT(1H0, 5HTIME=,	A5100
1 1PF12.5, 2X, 12HQCONVECTIVE=, 1PF12.5, 2X, 11HORADIAT	A5110
1IVE=, 1PE12.5, 2X, 9HVELOCITY=, 1PE12.5/1X, 1AHGAS APLATION RATE=, 1PF12	A5120

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2.5,2X,19HCHAR ABLATION RATE=,1PE12.5,2X,20HTOTAL ABLATION RATE=,1P
3F12.5/1X,16HRCFSSION DEPTH=,1PE12.5,2X,10HGHOT WALL=,1PE12.5)
840 T=T+DTS
841 IF(NPLOT.NE.1) GO TO 842
CALL SAVE(ASAVE1,ASAVE2,ASAVE3,USFA,NXA,XLSTI,DTS,TLIM,T,VALUEA)
CALL SAVE(BSAVE1,BSAVE2,BSAVE3,USFB,NXB,TX2(NP),DTS,TLIM,T,VALUEB)
CALL ISOTHM(XV,TX2,1060.,NP,Y3)
CALL SAVE(CSAVE1,CSAVE2,CSAVE3,USFC,NXC,Y3,DTS,TLIM,T,VALUEC)
CALL ISOTHM(XV,TX2,1460.,NP,Y4)
CALL SAVE(DSAVE1,DSAVE2,DSAVE3,USFD,NXD,Y4,DTS,TLIM,T,VALUED)
IF(USFA.NF.0.0)GO TO 9842
IF(USFB.NF.0.0)GO TO 9842
IF(USFC.NF.0.0)GO TO 9842
IF(USFD.NF.0.0)GO TO 9842
GO TO 9843
9842 XPLOT=T-DTS
YPLOT1=VALUEA
IF(USFA.NF.0.0)YPLOT1=USFA
YPLOT2=VALUEB
IF(USFB.NF.0.0)YPLOT2=USFB
YPLOT3=VALUEC
IF(USFC.NF.0.0)YPLOT3=USFC
YPLOT4=VALUED
IF(USFD.NF.0.0)YPLOT4=USFD
WRITE (11)XPLOT,YPLOT1,YPLOT2,YPLOT3,YPLOT4
9843 IF(ICTP.NF.0) GO TO 842
ICTP=1
XPLOT=T
YPLOT1=XLSTI
YPLOT2=TX2(NP)
CALL ISOTHM(XV,TX2,1060.,NP,YPLOT3)
CALL ISOTHM(XV,TX2,1460.,NP,YPLOT4)
WRITE (11)XPLOT,YPLOT1,YPLOT2,YPLOT3,YPLOT4
842 IF(IPCT-ICT) 845,845,900
845 WRITE(6,850) T
IPCT=IPCT+1
IF(IPCT.EQ.2)IPCT=0
IF(IPCT.EQ.0)ICTP=0
850 FORMAT(1H0,7HTEMPERATURE DISTRIBUTION IN HEAT SHIELD AT THE END O
1F THE TIME STEP, T= ,1PE12.5,1X,7HSECONDS//)
WRITE(6,860)
860 FORMAT(4X,49HTEMPERATURE DISTRIBUTION IN THE ABLATING MATERIAL//)
KKV=KKV+1
WRITE(6,862) (TX2(I),I=1,KKV)
862 FORMAT(6X,1PE12.5,1P5F16.5)
IJ=NP+1
WRITE(6,864)
864 FORMAT(//4X,40HTEMPERATURE DISTRIBUTION IN THE BACK-UP STRUCTURE//
1)
WRITE(6,862) (TX2(I),I=IJ,NPF)
WRITE(6,865)
865 FORMAT(//)
ICT=0
900 CONTINUE
IF(T-TLIM) 750,750,905
905 IF(NPLOT.NE.1) GO TO 909
XAVY3=SAVY3-SAVY1/12.

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A5130  
A5140  
A5150  
A5160  
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A5660  
A5670  
A5680  
A5690



XAVY4X=SAVY4X-SAVY1X/12.	A5700
IF(SAVX.EQ.XPLOT)GO TO 9005	A5710
WRITE(11)SAVX,SAVY1,SAVY2,XAVY3,SAVY4	A5720
9005 IF(SAVEXX.EQ.XPLOT)GO TO 9006	A5730
SAV4I=SAVY4X*12.	A5760
9006 SAV3I=SAVY3*12.	A5750
WRITE(11)SAVEXX,SAVY1X,SAVY2X,SAVY3X,XAVY4X	A5740
WRITE(6,929)SAV3I,SAV4I	A5770
929 FORMAT(1H0,23HMAXIMUM 1060 ISOTHERM =E16.8,2X23HMAXIMUM 1460 ISOTH	A5780
1ERM =F16.8)	A5790
WRITE(11)STOP,STOP,STOP,STOP,STOP	A5800
909 IF(LPLOT.NE.NCASE)GO TO 911	A5810
DATA FND/6H FND /	A5820
WRITE(11)FND,FND,FND,FND,FND,FND,FND,FND,FND,FND,FND	A5830
QUIT=ABAB.	A5840
WRITE(11)QUIT,QUIT,QUIT,QUIT,QUIT	A5850
END FILE 11	A5860
REWIND 11	A5870
911 IF(TEST2) 910,930,930	A5880
910 DO 920 JJK=1,NPF	A5890
TX1(JJK)=TEMPT(JJK)	A5900
TX2(JJK)=TX1(JJK)	A5910
TUL1(K)=TX1(K)	A5920
TUL2(K)=TX1(K)	A5930
920 CONTINUE	A5940
IL=NP+1	A5950
DO 926 I=1,NMR	A5960
TIN=NPM(1)	A5970
DO 924 J=1,ILN	A5980
TX2T(J,I)=TEMPI(IL)	A5990
IL=IL+1	A6000
924 CONTINUE	A6010
926 CONTINUE	A6020
GO TO 940	A6030
930 CALL TEMPD	A6040
940 T=TINT	A6050
DX=DXX	A6060
NTS=DFLTT(1)	A6070
NT=DELTT(1)/3600.0	A6080
VL.V=VL	A6090
GO TO 50	A6100
END	A6110

SIBFTC COEF

C THIS SUBROUTINE DETERMINES THE COEFFICIENTS OF THE MATRIX  
SUBROUTINE COEFF(NPFT,SDOT)

C

DIMENSION TITLE(12),HFDNG(12),XIDNT(12,12),TKC(20),XKC(20),  
1CPC(20),TKV(20),XKV(20),TCPV(20),CPV(20),TIME(300),QCON(300),  
2ORAD(300),VEL(300),XNPM(12),NKPR(12),NCPR(12),TXK(20,12),XK(20,12),  
3TCP(20,12),CPX(20,12),RHOBX(12),XBM(12),FMFB(12),EMBR(12),HXX(12),  
4GAPX(12),FTEST(12),RTEST(12),TEMPI(200),TX1(200),TX2(200),  
5TX2T(10,12),TUL1(200),TUL2(200),HX(50),TW(50),IR(50),IR1(50),  
6IR2(50),TUL(50),IEM(50),TY(200),A(200),R(200),C(200),D(200),  
7R(50),RHO(50),CP(50),DXP(12),XKR(10,12),CPB(10,12),XMDG(50),  
8YK(50),AB(10,12),RB(10,12),CR(10,12),DB(10,12),SR(10,12),  
9RR1(10,12),RR2(10,12),H(12),S(50),NPM(12)  
DIMENSION TTUL(50),RHOY1(50),RHOY2(50),DRHO(50),TCPC(20)

C

COMMON TKC,XKC,TCPC,CPC,TKV,XKV,TCPV,CPV,XNPM,RHORX,XRM,FMFB,  
1FMFB,NKPB,NCPR,TXK,XK,TCP,CPX,NPM,GAPX,FTEST,RTEST,TEMPI,TX1,  
2TX2,TX2T,TUL,TUL1,TUL2,IR,IR1,IR2,A,B,C,D,S,R,AP,BB,CR,DB,SR,  
3RR1,RR2,IY,RHOY1,RHOY2,XMDG,RHO,CP,YK,XKR,CPB,DXR,DT,XLOST,  
4TABL,TCHAR,TRFC,RHOV,RHOC,FBLW,FMV,EMC,H300,NKC,NCPC,NKV,NCPV,  
5NPM,NMR,NPRS,NPF,TEST2,TEMPI,TX0,TENV,HENV,FENV,QLOSS,TLIM,TINT  
COMMON I1,I2,I3,I4,I5,I6,QIN,INT,DX,XMT,TL,VL,BL,DMP,FRR1,ERR2,  
1FRR3,FRR4,HV,VPT,CHARK,CHARC,ABLK,ABLC,XMDC,H

C

CALL PROP  
YNP=NP  
S(INT)=(RHO(INT)\*DX\*CP(INT))/(2.0\*DT)  
R(INT)=(1.0)/((DX/2.0)\*((1.0/YK(INT))+((1.0/YK(INT+1))))  
A(INT)=0.0  
R(INT)=(-(XMDG(INT)+XMDC)\*CP(INT)+S(INT)+R(INT)-RHO(INT)\*CP(INT)  
1\*(SDOT/(2.0\*(YNP-1.0))))  
C(INT)=XMDG(INT+1)\*CP(INT+1)+R(INT)+RHO(INT+1)\*CP(INT+1)\*SDOT  
1\*(YNP-1.5)/(YNP-1.0))  
D(INT)=(-(QIN+S(INT)\*TX2(INT)))+(XMDG(INT)-XMDG(INT+1))\*HV  
NPP=NP-1  
JNT=INT+1  
DO 10 I=JNT,NPP  
XI=I  
S(I)=(RHO(I)\*DX\*CP(I))/DT  
R(I)=(1.0)/((DX/(2.0\*YK(I)))+(DX/(2.0\*YK(I+1))))  
A(I)=R(I-1)  
R(I)=(-(XMDG(I)\*CP(I)+R(I-1)+R(I)+S(I)+RHO(I)\*CP(I)\*SDOT\*((YNP-XI  
1-0.5)/(YNP-1.0))))  
C(I)=XMDG(I+1)\*CP(I+1)+R(I)+RHO(I+1)\*CP(I+1)\*SDOT\*((YNP-XI-0.5)  
1/(YNP-1.0))  
D(I)=(-(S(I)\*TX2(I)))+(XMDG(I)-XMDG(I+1))\*HV  
10 CONTINUE  
R(NP)=(1.0)/((DXB(1)/(2.0\*XKR(1,1)))+(DXB(1)/(2.0\*XKR(2,1))))  
S(NP)=(RHO(NP)\*DX\*CP(NP)+RHORX(1)\*CPR(1,1)\*DYB(1))/(2.0\*DT)  
A(NP)=R(NP-1)  
R(NP)=(-(XMDG(NP)\*CP(NP)+R(NP-1)+R(NP)+S(NP)))  
C(NP)=R(NP)  
D(NP)=(-S(NP)\*TX2(NP))+XMDG(NP)\*HV  
DO 200 I=1,NMR  
IF(I-1) 20,20,30  
20 AR(1,I)=A(NP)

R0000  
R0010  
R0020  
R0030  
R0040  
R0050  
R0060  
R0070  
R0080  
R0090  
R0100  
R0110  
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R0180  
R0190  
R0200  
R0210  
R0220  
R0230  
R0240  
R0250  
R0260  
R0270  
R0280  
R0290  
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R0370  
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R0480  
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R0540  
R0550  
R0560

RR(1,I)=B(NP)	R0570
CP(1,I)=C(NP)	R0580
DP(1,I)=D(NP)	R0590
GO TO 65	R0600
30 I=NPM(I-1)	R0610
IF(FTFST(I)) 45,40,45	R0620
40 CR(1,I)=(RHOBX(I)*CPR(1,I)*DXP(I)+RHORX(I-1)*CPR(L,I-1)*DXB(I-1))/	R0630
1(2.0*DT)	R0640
RR1(1,I)=(1.0)/((DXB(I-1)/(2.0*XKR(L,I-1)))+(DXR(I-1)/(2.0*XKR(L-1	R0650
1,I-1))))	R0660
RR2(1,I)=(1.0)/((DXR(I)/(2.0*XKR(1,I)))+(DXB(I)/(2.0*XKR(2,I))))	R0670
AR(1,I)=RR1(1,I)	R0680
RR(1,I)=(-(RR1(1,I)+RR2(1,I)+SB(1,I)))	R0690
CP(1,I)=RR2(1,I)	R0700
DP(1,I)=(-(SR(1,I)*TX2T(1,I)))	R0710
GO TO 65	R0720
45 IF(FTFST(I)) 50,40,55	R0730
50 G=(1.73E-09)/(1.0/EMBR(I-1)+1.0/FMFR(I)-1.0)	R0740
GO TO 60	R0750
55 G=0.0	R0760
60 CR(1,I)=(RHOBX(I)*CPR(1,I)*DXP(I))/(2.0*DT)	R0770
RR2(1,I)=(1.0)/((DXB(I)/(2.0*XKR(1,I)))+(DXR(I)/(2.0*XKR(2,I))))	R0780
AR(1,I)=H(I-1)+4.0*G*(TX2T(L,I-1)**3)	R0790
RR(1,I)=(-(H(I-1)+4.0*G*(TX2T(1,I)**3)+RR2(1,I)+SB(1,I)))	R0800
CP(1,I)=RR2(1,I)	R0810
DP(1,I)=3.0*G*((TX2T(L,I-1)**4)-(TX2T(1,I)**4))-SR(1,I)*TX2T(1,I)	R0820
65 IF=NPM(I)-1	R0830
DO 100 J=2,LF	R0840
CR(J,I)=(RHOBX(I)*CPR(J,I)*DXP(I))/DT	R0850
RR1(J,I)=(1.0)/((DXB(I)/(2.0*XKR(J-1,I)))+(DXR(I)/(2.0*XKR(J,I))))	R0860
RR2(J,I)=(1.0)/((DXB(I)/(2.0*XKR(J+1,I)))+(DXR(I)/(2.0*XKR(J,I))))	R0870
AR(J,I)=RR1(J,I)	R0880
RR(J,I)=(-(RR1(J,I)+RR2(J,I)+SB(J,I)))	R0890
CP(J,I)=RR2(J,I)	R0900
DP(J,I)=(-(SR(J,I)*TX2T(J,I)))	R0910
100 CONTINUE	R0920
IF(I-NMR) 110,250,250	R0930
110 LNF=NPM(I)	R0940
IF(RTFST(I)) 120,115,120	R0950
115 CR(LNF,I)=(RHOBX(I)*CPB(LNF,I)*DXP(I)+RHORX(I+1)*CPB(1,I+1)*DXB(I+1	R0960
11))/(2.0*DT)	R0970
RR1(LNF,I)=(1.0)/((DXR(I)/(2.0*XKR(LNF-1,I)))+(DXB(I)/(2.0*XKR(LNF	R0980
1,I))))	R0990
RR2(LNF,I)=(1.0)/((DXR(I+1)/(2.0*XKR(1,I+1)))+(DXR(I+1)/	R1000
1(2.0*XKR(2,I+1))))	R1010
AR(LNF,I)=RR1(LNF,I)	R1020
RR(LNF,I)=(-(RR1(LNF,I)+RR2(LNF,I)+SB(LNF,I)))	R1030
CP(LNF,I)=RR2(LNF,I)	R1040
DP(LNF,I)=(-(SB(LNF,I)*TX2T(LNF,I)))	R1050
GO TO 200	R1060
120 IF(RTFST(I)) 125,115,127	R1070
125 G=(1.73E-09)/(1.0/EMBR(I)+1.0/EMFR(I+1)-1.0)	R1080
GO TO 130	R1090
127 G=0.0	R1100
130 CR(LNF,I)=(RHOBX(I)*CPB(LNF,I)*DXP(I))/(2.0*DT)	R1110
RR1(LNF,I)=(1.0)/((DXR(I)/(2.0*XKR(LNF-1,I)))+(DXB(I)/(2.0*XKR(LNF	R1120
1,I))))	R1130

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      AR(LNF,I)=RR1(LNF,I)
      RR(LNF,I)=(- (RB1(LNF,I)+H(I)+SB(LNF,I)+4.0*G*(TX2T(LNF,I)**3)))
      CR(LNF,I)=H(I)+4.0*G*(TX2T(1,I+1)**3)
      DR(LNF,I)=3.0*G*((TX2T(1,I+1)**4)-(TX2T(LNF,I)**4))-SR(LNF,I)*TX2T
1(LNF,I)
200 CONTINUE
250 MN=NPM(NMR)
      IF (QLOSS) 270,260,270
260 SR(MN,NMB)=(RHORX(NMR)*CPR(MN,NMR)*DXR(NMR))/(2.0*DT)
      RR1(MN,NMR)=(1.0)/((DXB(NMB)/(2.0*XKR(MN-1,NMB)))+(DXR(NMB)/(2.0*XK
1R(MN,NMR)))
      AR(MN,NMB)=RR1(MN,NMR)
      RR(MN,NMB)=(- (RR1(MN,NMR)+SB(MN,NMB)))
      CR(MN,NMB)=0.0
      DR(MN,NMB)=(- (SR(MN,NMB)*TX2T(MN,NMR)))
      GO TO 280
270 SR(MN,NMB)=(RHORX(NMR)*CPR(MN,NMR)*DXR(NMR))/(2.0*DT)
      RR1(MN,NMR)=(1.0)/((DXB(NMB)/(2.0*XKB(MN-1,NMR)))+(DXR(NMB)/(2.0*X
1KR(MN,NMB)))
      AR(MN,NMB)=RR1(MN,NMR)
      RR(MN,NMB)=(- (RR1(MN,NMR)+HENV+(1.73E-09)*FFNV*4.0*(TX2T(MN,NMB)**
13)+SB(MN,NMB)))
      CR(MN,NMB)=0.0
      DR(MN,NMB)=(- (HENV*TFNV+FFNV*(1.73E-09)*((TFNV**4)+3.0*(TX2T(MN,NM
1R)**4))+SR(MN,NMB)*TX2T(MN,NMP)))
280 I=NP+1
      DO 300 I=1,NMP
      K=NPM(I)
      IF (I.FQ.1) GO TO 282
      IF (GAPX(I-1).FQ.0.) GO TO 282
      KT=1
      GO TO 285
282 KT=2
285 DO 290 J=KT,K
      A(L)=AB(J,I)
      B(L)=RB(J,I)
      C(L)=CB(J,I)
      D(L)=DB(J,I)
      IF (DMP) 289,289,286
286 WRITE(6,287) AB(J,I),RB(J,I),CB(J,I),DB(J,I),J,I,A(L),B(L),C(L),D(
1I),L
287 FORMAT(1H0,8HAB(J,I)=,1PF12.5,2X,8H RB(J,I)=,1PE12.5,2X,8H CB(J,I)=,
11PE12.5,2X,8H DB(J,I)=,1PF12.5,2X,2HJ=,I3,2X,2HI=,I3/1X,5HA(L)=,1PF
212.5,2X,5HB(L)=,1PE12.5,2X,5HC(L)=,1PF12.5,2X,5HD(L)=,1PE12.5,2X,2
3HL=,I3)
289 I=L+1
290 CONTINUE
300 CONTINUE
      NPFT=L-1
      RETURN
      END

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R1140  
R1150  
R1160  
R1170  
R1180  
R1190  
R1200  
R1210  
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R1570  
R1580  
R1590  
R1600  
R1610  
R1620  
R1630  
R1640

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$IBFTC PRP                                C0000
C      THIS SUBROUTINE DETERMINES THE PHYSICAL PROPERTIES OF THE C0010
C      HEAT SHIELD STRUCTURE C0020
C      SUBROUTINE PROP C0030
C C0040
C      DIMENSION TITLE(12),HFADNG(12),XIDNT(12,12),TKC(20),XKC(20), C0050
C      1CPC(20),TKV(20),XKV(20),TCPV(20),CPV(20),TIME(300),QCON(300), C0060
C      2ORAD(300),VEL(300),XNPM(12),NKPB(12),NCPB(12),TXK(20,12),XK(20,12) C0070
C      3,TCP(20,12),CPX(20,12),RHOBX(12),XBM(12),FMFB(12),EMBR(12),HXX(12) C0080
C      4,GAPX(12),FTFST(12),RTEST(12),TEMPI(200),TX1(200),TX2(200), C0090
C      5TX2T(10,12),TUL1(200),TUL2(200),HX(50),TW(50),IR(50),IR1(50), C0100
C      6IR2(50),TUL(50),IFM(50),TY(200),A(200),R(200),C(200),N(200), C0110
C      7R(50),RHO(50),CP(50),DXP(12),XKB(10,12),CPB(10,12),XMDG(50), C0120
C      8YK(50),AB(10,12),RB(10,12),CR(10,12),DB(10,12),SB(10,12), C0130
C      9RR1(10,12),RR2(10,12),H(12),S(50),NPM(12) C0140
C      DIMENSION TTUL(50),RHOY1(50),RHOY2(50),DRHO(50),TCPC(20) C0150
C C0160
C      COMMON TKC,XKC,TCPC,CPC,TKV,XKV,TCPV,CPV,XNPM,RHOBX,XBM,FMFB, C0170
C      1FMFB,NKPB,NCPB,TXK,XK,TCP,CPX,NPM,GAPX,FTFST,RTEST,TEMPI,TX1, C0180
C      2TX2,TX2T,TUL,TUL1,TUL2,IR,IR1,IR2,A,B,C,N,S,R,AR,RB,CR,DR,SR, C0190
C      3RR1,RR2,TY,RHOY1,RHOY2,XMDG,RHO,CP,YK,XKB,CPB,DXR,DT,XLOST, C0200
C      4TABL,TCHAR,TRFC,RHOV,RHOC,FLOW,FMV,EMC,H300,NKC,NPC,NKV,NCPV, C0210
C      5NP,NMR,NPRS,NPF,TEST2,TEMPI,TX0,TENV,HENV,FENV,QLOSS,TLIM,TINT C0220
C      COMMON I1,I2,I3,I4,I5,I6,QIN,INT,DX,XMT,TL,VL,BL,DMP,FRR1,ERR2, C0230
C      1FRR3,ERR4,HV,VPT,CHARK,CHARC,ABLK,ARLC,XMDC,H C0240
C C0250
C      KINT=INT C0260
C      DO 170 I=KINT,NP C0270
C10 IF (IR(I)) 12,12,100 C0280
C12 TUL(I)=AMAX1(TX1(I),TX2(I)) C0290
C      IF(TUL(I).LE.TABL) GO TO 20 C0300
C      IR(I)=1 C0310
C      GO TO 100 C0320
C20 IF(I1-1) 25,25,21 C0330
C21 IF(I1-NKV) 22,22,25 C0340
C22 IF(TX2(I)-TKV(I1)) 35,55,30 C0350
C25 WRITE(6,26) TX2(I) C0360
C26 FORMAT(1H0,87H THE RANGE OF ONE OF THE ABLATION PROPERTY CURVE FIT C0370
C      1S WAS EXCEEDED AT A TEMPERATURE OF ,1PE12.5) C0380
C      FRR2=1.0 C0390
C      GO TO 355 C0400
C30 I1=I1+1 C0410
C      GO TO 21 C0420
C35 IF(TX2(I)-TKV(I1-1)) 40,55,50 C0430
C40 I1=I1-1 C0440
C      GO TO 20 C0450
C50 YK(I)=XKV(I1-1)+((XKV(I1)-XKV(I1-1))/(TKV(I1)-TKV(I1-1))) C0460
C      1*(TX2(I)-TKV(I1-1)) C0470
C      GO TO 60 C0480
C55 YK(I)=XKV(I1) C0490
C60 IF(I2-1) 25,25,61 C0500
C61 IF(I2-NCPV) 62,62,25 C0510
C62 IF(TX2(I)-TCPV(I2)) 70,85,65 C0520
C65 I2=I2+1 C0530
C      GO TO 61 C0540
C70 IF(TX2(I)-TCPV(I2-1)) 75,85,80 C0550
C75 I2=I2-1 C0560

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GO TO 60	C0570
80 CP(I)=CPV(I2-1)+((CPV(I2)-CPV(I2-1))/(TCPV(I2)-TCPV(I2-1)))	C0580
1*(TX2(I)-TCPV(I2-1))	C0590
GO TO 90	C0600
85 CP(I)=CPV(I2)	C0610
90 RHO(I)=RHOV	C0620
GO TO 170	C0630
100 TUL(I)=AMAX1(TUL(I),TX2(I))	C0640
IF(TUL(I)-TCHAR) 110,110,115	C0650
110 RHO(I)=RHOV+(RHOV-RHOC)*((TUL(I)-TABL)/(TABL-TCHAR))	C0660
YK(I)=CHARK+(ABLK-CHARK)*((RHO(I)-RHOC)/(RHOV-RHOC))	C0670
CP(I)=CHARC+(ABLC-CHARC)*((RHO(I)-RHOC)/(RHOV-RHOC))	C0680
GO TO 170	C0690
115 IF(VPT) 116,116,117	C0700
116 TTUL(I)=TUL(I)	C0710
GO TO 120	C0720
117 TTUL(I)=TX2(I)	C0730
120 IF(I3-1) 25,25,121	C0740
121 IF(I3-NKC) 122,122,25	C0750
122 IF(TTUL(I)-TKC(I3)) 124,135,123	C0760
123 I3=I3+1	C0770
GO TO 121	C0780
124 IF(TTUL(I)-TKC(I3-1)) 125,135,130	C0790
125 I3=I3-1	C0800
GO TO 120	C0810
130 YK(I)=XKC(I3-1)+((XKC(I3)-XKC(I3-1))/(TKC(I3)-TKC(I3-1)))	C0820
1*(TTUL(I)-TKC(I3-1))	C0830
GO TO 140	C0840
135 YK(I)=XKC(I3)	C0850
140 IF(I4-1) 25,25,141	C0860
141 IF(I4-NCP) 142,142,25	C0870
142 IF(TTUL(I)-TCPC(I4)) 150,165,145	C0880
145 I4=I4+1	C0890
GO TO 141	C0900
150 IF(TTUL(I)-TCPC(I4-1)) 155,165,160	C0910
155 I4=I4-1	C0920
GO TO 140	C0930
160 CP(I)=CPC(I4-1)+((CPC(I4)-CPC(I4-1))/(TCPC(I4)-TCPC(I4-1)))	C0940
1*(TTUL(I)-TCPC(I4-1))	C0950
GO TO 166	C0960
165 CP(I)=CPC(I4)	C0970
166 RHO(I)=RHOC	C0980
170 CONTINUE	C0990
C	C1000
C DETERMINATION OF PROPER BACK-UP SHIELD MATERIAL PROPERTY	C1010
C	C1020
DO 300 I=1,NMR	C1030
DXR(I)=XBM(I)/((XNPM(I)-1.0)*12.0)	C1040
LKP=NKPR(I)	C1050
LCP=NCPR(I)	C1060
NN=NPM(I)	C1070
DO 280 J=1,NN	C1080
200 IF(I5-1) 203,203,201	C1090
201 IF(I5-LKP) 202,202,203	C1100
202 IF(TX2T(J,I)-TXK(I5,I)) 206,220,205	C1110
203 WRITE(6,204) I,TX2T(J,I)	C1120
204 FORMAT(1H0,32H THE RANGE OF ONE OF THE NUMBER ,I2,71H BACKUP STRUC	C1130

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1) TURE PROPERTY CURVE FITS WAS EXCEEDED AT A TEMPERATURE OF ,1PF12.5. C1140
2) C1150
   FRR2=1.0 C1160
   GO TO 355 C1170
205 I5=I5+1 C1180
   GO TO 201 C1190
206 IF (TX2T(J,I)-TXK(I5-1,I)) 210,220,215 C1200
210 I5=I5-1 C1210
   GO TO 200 C1220
215 XK(I5,I)=XK(I5-1,I)+((XK(I5,I)-XK(I5-1,I))/(TXK(I5,I)-TXK(I5-1,I)) C1230
   I)*(TX2T(J,I)-TXK(I5-1,I)) C1240
   GO TO 230 C1250
220 XK(I5,I)=XK(I5,I) C1260
230 IF (I6-1) 203,203,231 C1270
231 IF (I6-LCP) 232,232,203 C1280
232 IF (TX2T(J,I)-TCP(I6,I)) 234,245,233 C1290
233 I6=I6+1 C1300
   GO TO 231 C1310
234 IF (TX2T(J,I)-TCP(I6-1,I)) 235,245,240 C1320
235 I6=I6-1 C1330
   GO TO 230 C1340
240 CP(I6,I)=CP(I6-1,I)+((CP(I6,I)-CP(I6-1,I))/(TCP(I6,I)-TCP(I6-1, C1350
   I)))*(TX2T(J,I)-TCP(I6-1,I)) C1360
   GO TO 280 C1370
245 CP(I6,I)=CP(I6,I) C1380
280 CONTINUE C1390
   I5=2 C1400
   I6=2 C1410
300 CONTINUE C1420
310 IF (DMP) 355,355,320 C1430
320 WRITE(6,330) C1440
330 FORMAT(/1X,32H PROPERTIES OF ABLATION MATERIAL/) C1450
   WRITE(6,335) C1460
335 FORMAT(/5X,5HYK(I),9X,5HCP(I),9X,6HRHO(I)/) C1470
   WRITE(6,340) (YK(I),CP(I),RHO(I),I=1,NP) C1480
340 FORMAT(2X,1PF12.5,2X,1PF12.5,2X,1PF12.5) C1490
   WRITE(6,345) C1500
345 FORMAT(/1X,32H PROPERTIES OF BACK-UP STRUCTURE/) C1510
   WRITE(6,347) C1520
347 FORMAT(/5X,8HYKR(J,I),7X,8HCPR(J,I),7X,8HRHOX(I),7X,7HFMFB(I),8X, C1530
   17HEMBR(I),9X,6HDXR(I)/) C1540
   DO 350 I=1,N4P C1550
   KL=NPM(I) C1560
   DO 349 J=1,KL C1570
   WRITE(6,348) YKR(J,I),CPR(J,I),RHOX(I),FMFB(I),FMBR(I),DXB(I) C1580
348 FORMAT(3X,1PF12.5,3X,1PF12.5,3X,1PF12.5,3X,1PF12.5,3X,1PF12.5,3X,1 C1590
   1PF12.5) C1600
349 CONTINUE C1610
350 CONTINUE C1620
355 RETURN C1630
   END C1640

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```

SUBFTC ABL                                00000
C      THIS SUBROUTINE DETERMINES THE MASS FLOW RATE FROM THE 00010
C      ABLATING NODES                                00020
C      SUBROUTINE ABLATE                                00030
C                                                    00040
C      DIMENSION TITLE(12),HEADNG(12),XTDNT(12,12),TKC(20),XKC(20), 00050
1CPC(20),TKV(20),XKV(20),TCPV(20),CPV(20),TIME(300),QCON(300), 00060
2QRAD(300),VEL(300),XNPM(12),NKPR(12),NCPB(12),TXK(20,12),XK(20,12) 00070
3,TCP(20,12),CPX(20,12),RHOBX(12),XBM(12),FMFB(12),EMBR(12),HXX(12) 00080
4,GAPX(12),FTFST(12),RTEST(12),TEMPI(200),TX1(200),TX2(200), 00090
5TX2T(10,12),TUL1(200),TUL2(200),HX(50),TW(50),IR(50),IR1(50), 00100
6IR2(50),TUL(50),IEM(50),TY(200),A(200),B(200),C(200),D(200), 00110
7R(50),RHO(50),CP(50),DXP(12),XKB(10,12),CPB(10,12),XMDG(50), 00120
8YK(50),AB(10,12),RB(10,12),CR(10,12),DB(10,12),SB(10,12), 00130
9RP1(10,12),RR2(10,12),H(12),S(50),NPM(12) 00140
C      DIMENSION TTUL(50),RHOY1(50),RHOY2(50),DRHO(50),TCPC(20) 00150
C                                                    00160
C      COMMON TKC,XKC,TCPC,CPC,TKV,XKV,TCPV,CPV,XNPM,RHORX,XRM,FMFB, 00170
1FMFB,NKPB,NCPB,TXK,XK,TCP,CPX,NPM,GAPX,FTFST,RTEST,TEMPI,TX1, 00180
2TX2,TX2T,TUL,TUL1,TUL2,IR,IR1,IR2,A,B,C,D,S,R,AB,RB,CR,DB,SB, 00190
3RP1,RR2,TY,RHOY1,RHOY2,XMDG,RHO,CP,YK,XKR,CPB,DXR,DT,XLOST, 00200
4TABL,TCHAR,TRFC,RHOV,RHOC,FLOW,FMV,EMC,H300,NKC,NCPC,NKV,NCPV, 00210
5NP,NMR,NPRS,NPF,TEST2,TEMP1,TX0,TENV,HENV,FFNV,QLOSS,TLIM,TINT 00220
C      COMMON I1,I2,I3,I4,I5,I6,QIN,INT,DX,XMT,TL,VL,BL,DMP,FRR1,ERR2, 00230
1FRR3,FRR4,HV,VPT,CHARK,CHARC,ABLK,ABLC,XMDG,M 00240
C                                                    00250
C      XMT=0.0 00260
C      LINT=INT 00270
C      KI=NP 00280
C      IF(DMP) 8,8,3 00290
3 WRITE(6,5) 00300
5 FORMAT(//1X,20HMASS FLOW FROM ABLATING NODES//) 00310
8 DO 200 KKI=LINT,NP 00320
C      IF(IR1(KKI)) 11,11,12 00330
11 IF(TX1(KKI).LE.TABL) GO TO 9 00340
12 TUL1(KKI)=AMAX1(TUL1(KKI),TX1(KKI)) 00350
C      TP1(KKI)=1 00360
C      GO TO 20 00370
9 IF(TX1(KKI)-TABL) 10,10,20 00380
10 RHOY1(KKI)=RHOV 00390
C      GO TO 50 00400
20 IF(TUL1(KKI)-TCHAR) 40,30,30 00410
30 RHOY1(KKI)=RHOC 00420
C      GO TO 50 00430
40 RHOY1(KKI)=RHOV+(RHOV-RHOC)*((TUL1(KKI)-TABL)/(TABL-TCHAR)) 00440
50 IF(IR2(KKI)) 52,52,54 00450
52 IF(TX2(KKI).LE.TABL) GO TO 56 00460
54 TUL2(KKI)=AMAX1(TUL2(KKI),TX2(KKI)) 00470
C      IR2(KKI)=1 00480
C      GO TO 70 00490
56 IF(TX2(KKI)-TABL) 60,60,70 00500
60 RHOY2(KKI)=RHOV 00510
C      GO TO 95 00520
70 IF(TUL2(KKI)-TCHAR) 90,80,80 00530
80 RHOY2(KKI)=RHOC 00540
C      GO TO 95 00550
90 RHOY2(KKI)=RHOV+(RHOV-RHOC)*((TUL2(KKI)-TABL)/(TABL-TCHAR)) 00560

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95	DRHO(KI)=((RHOY1(KI)-RHOY2(KI))/NT)*DX	00570
	IF(KI-NP) 97,96,96	00580
96	DRHO(KI)=DRHO(KI)/2.0	00590
	GO TO 98	00600
97	IF(KI-IN1) 96,96,98	00610
98	IF(DRHO(KI)) 110,120,120	00620
110	DRHO(KI)=0.0	00630
120	XMT=XMT+DRHO(KI)	00640
	XMDG(KI)=XMT	00650
	IF(DMP) 190,190,150	00660
150	WRITE(6,160) XMDG(KI),DRHO(KI),RHOY2(KI),RHOY1(KI)	00670
160	FORMAT(1X,5HXMDG=,1PF12.5,2X,5HDRHO=,1PF12.5,2X,6HRHOY2=,1PF12.5,2	00680
	1X,6HRHOY1=,1PF12.5)	00690
190	KI=KI-1	00700
200	CONTINUE	00710
	RETURN	00720
	END	00730

\$IBFTC OXID

C

C THIS SUBROUTINE CALCULATES THE HEATING RATE DUE TO COMBUSTION  
C IT IS ASSUMED THAT OXYGEN AND CARBON REACT TO FORM CO ONLY.

C

C SUBROUTINE OXIDAT(XMDO,QOXID)

C

QOXID=XMDO\*4000.0/3600.0

QOXID=0.0

RETURN

END

F0000

F0010

F0020

F0030

F0040

F0050

F0060

F0070

F0080

F0090

F0100

```

$IBFTC SWIFT
C      THIS SUBROUTINE DETERMINES THE FORWARD TIME STEP TEMPERATURES
C      BY SOLVING THE TRI-DIAGONAL MATRIX
      SUBROUTINE SWIFT(A,R,C,D,T,N,DMP)
      DIMENSION A(200),R(200),C(200),D(200),T(200),CP(200),DP(200)
      CP(1)=C(1)/R(1)
      DP(1)=D(1)/R(1)
      DO 100 I=2,N
      CP(I)=(C(I)-(R(I)-A(I)*CP(I-1)))/R(I)
      DP(I)=(D(I)-(R(I)-A(I)*DP(I-1)))/R(I)-A(I)*CP(I-1)
100  CONTINUE
      T(N)=DP(N)
      NM1=N-1
      DO 200 J=1,NM1
      I=N-J
      T(I)=DP(I)-CP(I)*T(I+1)
200  CONTINUE
      IF(DMP) 300,300,250
250  WRITE(6,260)
260  FORMAT(//1X,43HCOEFFICIENTS CALCULATED BY SUBROUTINE SWIFT//)
      WRITE(6,270)
270  FORMAT(6X,5HCP(I),10X,5HDP(I),10X,4HT(I)/)
      WRITE(6,275) (CP(I),DP(I),T(I),I=1,N)
275  FORMAT(2X,1PE12.5,2X,1PE12.5,2X,1PE12.5)
300  RETURN
      END

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```

F0000
F0010
F0020
F0030
F0040
F0050
F0060
F0070
F0080
F0090
F0100
F0110
F0120
F0130
F0140
F0150
F0160
F0170
F0180
F0190
F0200
F0210
F0220
F0230
F0240
F0250

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```

SUBFTC REC
C
C      THIS SUBROUTINE DETERMINES THE FRONT FACE LOCATION AND CHAR MASS
C      REMOVAL RATE
C
C      SUBROUTINE RECESS(XMDC,XLOST,TRFC,DT,RHOC,TS,SR,TX2,NREC,NRS,FRR5,
C      1CX0,SDOT,DMP)
C
C      DIMENSION TS(50),SR(50)
C      IF(TX2-TRFC) 10,20,20
10  XMDC=0.0
C      XLOST=0.0
C      SDOT=0.0
C      GO TO 60
20  IF(NRS-1) 25,25,21
21  IF(NRS-NRFC) 22,22,25
22  IF(TX2-TS(NRS)) 32,40,30
25  WRITE(6,26) TX2
26  FORMAT(1H0,75H THE RANGE OF THE SURFACE RECESSION TABLE WAS EXCEED
C      1FD AT A TEMPERATURE OF ,1PE12,5)
C      FRR5=1.0
C      GO TO 60
30  NRS=NRS+1
C      GO TO 21
32  IF(TX2-TS(NRS-1)) 34,40,36
34  NRS=NRS-1
C      GO TO 20
36  SX=SR(NRS-1)+((SR(NRS)-SR(NRS-1))/(TS(NRS)-TS(NRS-1)))
C      1*(TX2-TS(NRS-1))
C      GO TO 50
40  SX=SR(NRS)
50  XLOST=300.0*SX*DT
C      XMDC=(XLOST*RHOC)/DT
C      SDOT=SX*300.0
C      IF(DMP) 60,60,52
52  WRITE(6,54) SX,XLOST,XMDC
54  FORMAT(1H0,3HSX=,1PE12,5,3X,6HXLOST=,1PE12,5,3X,5HXMDC=,1PE12,5)
60  RETURN
C      END

```

```

$IBFTC TEMP                                H00000
C      THIS SUBROUTINE DETERMINES THE INITIAL TEMPERATURE DISTRIBUTION H00010
C      IN THE HEAT SHIELD STRUCTURE H00020
C      SUBROUTINE TEMPD H00030
C H00040
C      DIMENSION TITL(12),HEADNG(12),XTDNT(12,12),TKC(20),XKC(20), H00050
C      1CPC(20),TKV(20),XKV(20),TCPV(20),CPV(20),TIME(300),QCON(300), H00060
C      2QPAD(300),VEL(300),XNPM(12),NKPR(12),NCPR(12),TXK(20,12),XK(20,12) H00070
C      3,TCP(20,12),CPX(20,12),RHOBX(12),XBM(12),FMFB(12),EMBR(12),HXX(12) H00080
C      4,GAPX(12),FTEST(12),RTEST(12),TFMDI(200),TX1(200),TX2(200), H00090
C      5TX2T(10,12),TUL1(200),TUL2(200),HX(50),TW(50),IR(50),IR1(50), H00100
C      6IR2(50),TUL(50),IFM(50),TY(200),A(200),B(200),C(200),D(200), H00110
C      7R(50),RHO(50),CP(50),DXR(12),XKR(10,12),CPB(10,12),XMDG(50), H00120
C      8YK(50),AB(10,12),RB(10,12),CR(10,12),DB(10,12),SR(10,12), H00130
C      9RR1(10,12),RR2(10,12),H(12),S(50),NPM(12) H00140
C      DIMENSION TTUL(50),RHOY1(50),RHOY2(50),DRHO(50),TCPC(20) H00150
C H00160
C      COMMON TKC,XKC,TCPC,CPC,TKV,XKV,TCPV,CPV,XNPM,RHOBX,XRM,FMFB, H00170
C      1FMFB,NKPR,NCPR,TXK,XK,TCP,CPX,NPM,GAPX,FTEST,RTEST,TEMPI,TX1, H00180
C      2TX2,TX2T,TUL,TUL1,TUL2,IR,IR1,IR2,A,B,C,D,S,R,AP,AB,CR,DB,SR, H00190
C      3RR1,RR2,TY,RHOY1,RHOY2,XMDG,RHO,CP,YK,XKR,CPB,DXR,DT,YLOST, H00200
C      4TABL,TCHAR,TRFC,RHOV,RHOC,FLOW,FMV,EMC,H300,NKC,NCPC,NKV,NCPV, H00210
C      5NP,NMR,NPRS,NPF,TFT2,TFMPI,TX0,TENV,HENV,FFNV,QLOSS,TLIM,TINT H00220
C      COMMON I1,I2,I3,I4,I5,I6,QIN,TNT,DX,XMT,TL,VL,BL,DMP,FRR1,ERR2, H00230
C      1FRR3,FRR4,HV,VPT,CHARK,CHARC,ABLK,ABLC,XMDC,H H00240
C H00250
C      X=0.0 H00260
C      TF(TEST2) 300,100,200 H00270
100 DO 150 L=1,NPF H00280
C      TX1(L)=TEMPI H00290
C      TX2(L)=TEMPI H00300
C      TUL1(L)=TX1(L) H00310
C      TUL2(L)=TX2(L) H00320
C      TFMDI(L)=TEMPI H00330
150 CONTINUE H00340
C      DO 160 I=1,NMR H00350
C      JN=NPM(I) H00360
C      DO 155 M=1,JN H00370
C      TX2T(M,I)=TEMPI H00380
155 CONTINUE H00390
160 CONTINUE H00400
C      GO TO 320 H00410
200 DO 220 L=1,NP H00420
C      TFMDI(L)=TX0+((TENV-TX0)/TL)**X H00430
C      TX1(L)=TFMDI(L) H00440
C      TX2(L)=TX1(L) H00450
C      TUL1(L)=TX1(L) H00460
C      TUL2(L)=TX1(L) H00470
C      X=X+DX H00480
220 CONTINUE H00490
C      I=NP+1 H00500
C      DO 270 I=1,NMR H00510
C      KJ=NPM(I) H00520
C      DO 250 J=1,KJ H00530
C      TFMDI(L)=TX0+((TENV-TX0)/TL)**X H00540
C      TX1(L)=TFMDI(L) H00550
C      TX2(L)=TFMDI(L) H00560

```

	TX2T(J,I)=TEMPI(L)	H0570
	X=X+DX8(I)	H0580
	L=L+1	H0590
250	CONTINUE	H0600
	X=X+(GAPX(I)/12.0)	H0610
270	CONTINUE	H0620
	GO TO 320	H0630
C	AN ARBITRARY TEMPERATURE DISTRIBUTION CAN BE READ IN FROM INPUT	H0640
C	DATA IF TEST2 IS A NEGATIVE NUMBER	H0650
300	WRITE(6,310)	H0660
310	FORMAT(1H0,79H THE VALUE OF TEST2 WAS NEGATIVE, SUBROUTINE TEMPD S	H0670
	HOULD NOT HAVE BEEN CALLED.)	H0680
	FRR1=1.0	H0690
320	RETURN	H0700
	END	H0710

\$IBFTC DON2	Y0000
C THIS SUBROUTINE DETERMINES THE TEMPERATURE OF POINTS A FIXED	Y0010
C DISTANCE FROM A REFERENCE PLANE FROM THE TEMPERATURES CALCULATED	Y0020
C IN A VARYING THICKNESS	Y0030
C	Y0040
SUBROUTINE DON2(XLSTV,XARRAY,TARRAY,NA,XNODE,TEMP,XNODEV,KK,XLSTV,	Y0050
IDX)	Y0060
C	Y0070
DIMENSION XARRAY(50),TARRAY(50),XNODE(50),TEMP(50),XNODEV(50)	Y0080
C	Y0090
K=0	Y0100
DXT=0.0	Y0110
DO 100 I=1,NA	Y0120
IF(XLSTV.LE.DXT) GO TO 150	Y0130
K=K+1	Y0140
100 DXT=DXT+DX	Y0150
150 KK=NA-K	Y0160
XK=K	Y0170
XNODEV(1)=XLSTV	Y0180
TFMP(1)=TARRAY(1)	Y0190
DO 200 I=1,KK	Y0200
XNODE(I)=XK*DX-XLSTV	Y0210
CALL DISCT3(XNODE(I),XARRAY,TARRAY,NA,TFMP(I+1) )	Y0220
XNODEV(I+1)=XK*DX	Y0230
200 XK=XK+1.0	Y0240
RETURN	Y0250
END	Y0260

\$IBFTC UINTRP	J0000
SUBROUTINE UINTRP(X,XTBL,Y,YTBL,N,J)	J0010
DIMENSION XTBL(50),YTBL(50)	J0020
I=J	J0030
IF(I.GT.N.OR.I.LT.2) I=2	J0040
10 IF(XTBL(I-1).LE.X.AND.X.LE.XTBL(I)) GO TO 40	J0050
IF(X.GT.XTBL(I)) GO TO 30	J0060
20 I=I-1	J0070
IF(I.GE.2) GO TO 10	J0080
I=2	J0090
GO TO 40	J0100
30 I=I+1	J0110
IF(I.LE.N) GO TO 10	J0120
I=N	J0130
40 FRACT=(X-XTBL(I-1))/(XTBL(I)-XTBL(I-1))	J0140
Y=YTBL(I-1)+(YTBL(I)-YTBL(I-1))*FRACT	J0150
RETURN	J0160
END	J0170



\$IBFTC ISOT	K0000
SUBROUTINE ISOTHM(DEPTH,TEMP,ROND,N,ANS)	K0010
DIMENSION DEPTH(1),TEMP(1)	K0020
ANS=-1.	K0030
K=N-1	K0040
DO 100 I=1,K	K0050
IF(TEMP(I)-BOND)2,1,3	K0060
1 ANS=DEPTH(I)	K0070
GO TO 100	K0080
2 IF(TEMP(I+1)-ROND)100,100,4	K0090
4 ANS=DEPTH(I+1)-(TEMP(I+1)-BOND)*(DEPTH(I+1)-DEPTH(I))/(TEMP(I+1)-	K0100
TEMP(I))	K0110
GO TO 100	K0120
3 IF(TEMP(I+1)-ROND)5,100,100	K0130
5 ANS=(TEMP(I)-ROND)*(DEPTH(I+1)-DEPTH(I))/(TEMP(I)-TEMP(I+1))+DEPTH	K0140
1(I)	K0150
100 CONTINUE	K0160
IF(ROND.EQ.TEMP(N))ANS=DEPTH(N)	K0170
RETURN	K0180
END	K0190

\$IBFTC SAVE	L0000
SUBROUTINE SAVE(SAVE1,SAVF2,SAVF3,USE,NX1,VALUE,DT,TFINAL,TIME,	L0010
1THING)	L0020
DIMENSION SAVF1(1),SAVE2(1),SAVE3(1)	L0030
USE=0.0	L0040
SAVE1(NX1)=VALUE	L0050
NX2=NX1-1	L0060
IF(NX2.EQ.0)NX2=3	L0070
SAVE2(NX2)=VALUE	L0080
NX3=NX2-1	L0090
IF(NX3.EQ.0)NX3=3	L0100
SAVF3(NX3)=VALUE	L0110
IF((TIME.LT.(2.*DT)).OR.(TIME.GE.(TFINAL-3.*DT)))GO TO 4	L0120
GO TO (1,2,3),NX1	L0130
1 IF(((ABS(SAVF2(1)-SAVF2(2))).LE..001).OR.(ABS(SAVE2(2)-SAVE2(3))	L0140
1,LE..001))GO TO 5	L0150
IF(((SAVE2(1).LT.SAVF2(2)).AND.(SAVF2(2).GT.SAVF2(3))).OR.((SAVE2(	L0160
11).GT.SAVF2(2)).AND.(SAVF2(2).LT.SAVE2(3))))USE=SAVE2(2)	L0170
5 THING=SAVE2(2)	L0180
GO TO 4	L0190
2 IF(((ABS(SAVF3(1)-SAVF3(2))).LE..001).OR.(ABS(SAVE3(2)-SAVE3(3))	L0200
1,LE..001))GO TO 6	L0210
IF(((SAVE3(1).LT.SAVF3(2)).AND.(SAVE3(2).GT.SAVF3(3))).OR.((SAVE3(	L0220
11).GT.SAVF3(2)).AND.(SAVF3(2).LT.SAVE3(3))))USE=SAVF3(2)	L0230
6 THING=SAVF3(2)	L0240
GO TO 4	L0250
3 IF(((ABS(SAVE1(1)-SAVF1(2))).LE..001).OR.(ABS(SAVE1(2)-SAVE1(3))	L0260
1,LE..001))GO TO 6	L0270
IF(((SAVE1(1).LT.SAVF1(2)).AND.(SAVE1(2).GT.SAVF1(3))).OR.((SAVE1(	L0280
11).GT.SAVF1(2)).AND.(SAVF1(2).LT.SAVE1(3))))USE=SAVE1(2)	L0290
7 THING=SAVF1(2)	L0300
4 NX1=NX1+1	L0310
IF(NX1.EQ.4)NX1=1	L0320
RETURN	L0330
END	L0340

```
$IBFTC DISCT3
SUBROUTINE DISCT3(XA,TABX,TARY,NY,ANS)
DIMENSION TABX(1),TARY(1)
CALL DISSFR(XA,TABX,1,NY,2,NN)
NNN=3
CALL LAGRAN(XA,TARX(NN),TABY(NN),NNN,ANS)
RETURN
END
```

```
M0000
M0010
M0020
M0030
M0040
M0050
M0060
M0070
```

```

$IBFTC MORE
      DIMENSION TITLE(12),X(2000),Y1(2000),Y2(2000),Y3(2000),Y4(2000)
      RFWIND 11
      RFAD(11) (TITLE(I),I=1,12)
      RFAD(11)X(1),Y1(1),Y2(1),Y3(1),Y4(1)
      Y3(1)=Y3(1)*12.+Y1(1)
      Y4(1)=Y4(1)*12.+Y1(1)
      I=2
30    RFAD(11)X(I),Y1(I),Y2(I),Y3(I),Y4(I)
      IF(X(I)-5001.)10,20,20
10    Y3(I)=Y3(I)*12.+Y1(I)
      Y4(I)=Y4(I)*12.+Y1(I)
      I=I+1
      GO TO 30
20    NPLOT=I-1
      YM1=Y1(1)
      YM2=Y2(1)
      YM3=Y3(1)
      YM4=Y4(1)
      DO 40 K = 2 , NPLOT
      IF (Y1(K).GT.YM1) YM1 = Y1(K)
      IF (Y2(K).GT.YM2) YM2 = Y2(K)
      IF (Y3(K).GT.YM3) YM3 = Y3(K)
      IF (Y4(K).GT.YM4) YM4 = Y4(K)
40    CONTINUE
1000  FORMAT(1H1,(12A6))
      CALL ACCEND(X,Y1,Y2,Y3,Y4,NPLOT)
      XMAX=X(NPLOT)
      CALL APLLOT (X,Y1,XMAX,YM1,TITLE,NPLOT)
      CALL RPLLOT (X,Y2,XMAX,YM2,TITLE)
      CALL CPLLOT (X,Y3,Y4,XMAX,YM3,YM4,TITLE,Y1)
      WRITE(6,1000)(TITLE(I),I=1,12)
      WRITE(6,1001)(X(I),Y1(I),Y2(I),Y3(I),Y4(I),I=1,NPLOT)
1001  FORMAT(5E20.8)
      WRITE(6,1002)XMAX,YM1,YM2,YM3,YM4,NPLOT
1002  FORMAT(///6H XMAX=F10.4,5H YM1=F10.4,5H YM2=F10.4,5H YM3=F10.4,5H
1YM4=F10.4,2X6HNPLOT=I4)
      RFAD (11) (TITLE (I),I = 1,12)
      RFAD(11)X(1),Y1(1),Y2(1),Y3(1),Y4(1)
      I=2
      IF(X(1)-5001.)30,50,50
50    WRITE(6,1003)(TITLE(I),I=1,12)
1003  FORMAT(///12A6)
      RETURN
      END

```

N0000  
 N0010  
 N0020  
 N0030  
 N0040  
 N0050  
 N0060  
 N0070  
 N0080  
 N0090  
 N0100  
 N0110  
 N0120  
 N0130  
 N0140  
 N0150  
 N0160  
 N0170  
 N0180  
 N0190  
 N0200  
 N0210  
 N0220  
 N0230  
 N0240  
 N0250  
 N0260  
 N0270  
 N0280  
 N0290  
 N0300  
 N0310  
 N0320  
 N0330  
 N0340  
 N0350  
 N0360  
 N0370  
 N0380  
 N0390  
 N0400  
 N0410  
 N0420  
 N0430  
 N0440

SIBFTC ACCEN	P0000
SUBROUTINE ACCEND(X,Y,A,R,C,N)	P0010
DIMENSION X(1),Y(1),A(1),R(1),C(1)	P0020
K=1	P0030
101 SMALL=X(K)	P0040
DO 100 I=K,N	P0050
DUMY=X(I)	P0060
SMALL=AMIN1(SMALL,DUMY)	P0070
IF(SMALL.FQ.X(I))INDEX=I	P0080
100 CONTINUE	P0090
X(INDEX)=X(K)	P0100
X(K)=SMALL	P0110
SAVE=Y(K)	P0120
Y(K)=Y(INDEX)	P0130
Y(INDEX)=SAVE	P0140
SAVEA=A(K)	P0150
A(K)=A(INDEX)	P0160
A(INDEX)=SAVEA	P0170
SAVEB=B(K)	P0180
B(K)=B(INDEX)	P0190
B(INDEX)=SAVEB	P0200
SAVEC=C(K)	P0210
C(K)=C(INDEX)	P0220
C(INDEX)=SAVEC	P0230
K=K+1	P0240
IF(K.FQ.N)RETURN	P0250
GO TO 101	P0260
END	P0270

```

SIBFTC APLOT                                00000
SUBROUTINE APLOT (X,Y,XLIM,YLIM,TITLE,IPL OT) 00010
DIMENSION X(300),YTITLE(10),XTITLE(10)      00020
DIMENSION TITLE(12),Y(300),ALONGY(7)        00030
COMMON /ARC / ALLOW(7),ALONGX(7),NPLOT,ZFRO,XMAX,IFIX 00040
DATA (XTITLE(I),I=1,10)/38H                  TIME (SEC.) / 00050
DATA (YTITLE(I),I=1,10)/38H                  SURFACE REFESSION (IN.) / 00060
ZFRO=0.0                                     00070
ALLOW(1)=50.                                00080
ALLOW(2)=100.                                00090
ALLOW(3)=250.                                00100
ALLOW(4)=500.                                00110
ALLOW(5)=1000.                               00120
ALLOW(6)=2500.                               00130
ALLOW(7)=5000.                               00140
NPLOT=IPL OT                                00150
DO 10 I=1,7                                  00160
  II=I                                         00170
  IF(XLIM- ALLOW(I)) 20,20,10                 00180
10 CONTINUE                                  00190
30 WRITE (6,1000) XLIM,YLIM                  00200
1000 FORMAT(///77H APLOT CANNOT BE DONE BECAUSE EITHER XLIM EXCEEDED 50 00210
100. OR YLIM EXCEEDED 5. /6H XLIM=E12.5,5X,6H YLIM=E12.5 // 19H WF 00220
2NOW GO TO BPL OT /// )                     00230
RETURN                                        00240
20 XMAX= ALLOW(II)                           00250
IFIX=II                                       00260
DO 40 I=1,4                                  00270
  II=I                                        00280
  IF(YLIM *100. -ALLOW(I)) 50,50,40          00290
40 CONTINUE                                  00300
GO TO 30                                     00310
50 YMAX =ALLOW(II) /100.                    00320
CALL RSTFRM                                  00330
CALL GRIDGN (123,1023,24,924,18,18,5,5)     00340
CALL PLOT1 (1,1,ZFRO,XMAX,ZERO,YMAX,X,Y,NPL OT,1,1H/) 00350
ALONGX(1)=0.0                                00360
ALONGY(1)=0.0                                00370
DO 60 I=1,6                                  00380
  CALL LABELX (ALONGX(I),1)                  00390
  CALL LABELY (ALONGY(I),1)                  00400
  ALONGX(I+1)= ALONGX(I) +.2* XMAX           00410
60 ALONGY(I+1)= ALONGY(I) +.2* YMAX          00420
CALL PRINT(200,975,12,0,38,XTITLE)          00430
CALL PRINT(47,200,0,12,38,YTITLE)           00440
CALL PRINT(123,1000,12,0,72,TITLE)          00450
CALL DMPBIF                                  00460
RETURN                                        00470
END                                           00480

```

\$IBFTC RPLOT		R0000
SUBROUTINE RPLOT (X,Y,XLIM,YLIM,TITLE)		R0010
DIMENSION X(300),Y(300),YTITLF(10),ALONGY(7),XTITLE(10)		R0020
DIMENSION TITLE(12)		R0030
COMMON /ARC / ALLOW(7),ALONGX(7),NPLOT,ZERO,XMAX,IFIX		R0040
DATA (XTITLE(I),I=1,10)/3AH	TIME (SEC.) /	R0050
DATA (YTITLF(I),I=1,10)/3AH	RONDLIN TEMPERATURE (R) /	R0060
ALONGY(1)=0.0		R0070
DO 10 I=1,7		R0080
YI=I		R0090
IF(YLIM -ALLOW(I)) 20,20,10		R0100
10 CONTINUE		R0110
WRITE (6,1000) YLIM		R0120
1000 FORMAT(/// 37H RPLOT WILL NOT BE DONE BECAUSE YLIM= E12.5 ///)		R0130
RETURN		R0140
20 YMAX =ALLOW(I)		R0150
CALL RSTFRM		R0160
CALL GRIDGN(123,1023,24,924,1A,1A,5,5 )		R0170
CALL PLOT1 (1,1,ZERO,XMAX,ZERO,YMAX,X,Y, NPLOT,1, 1H/ )		R0180
DO 30 I=1,6		R0190
CALL LABELX (ALONGX(I),1)		R0200
CALL LABELY (ALONGY(I),1)		R0210
30 ALONGY(I+1) = ALONGY(I) + .2* YMAX		R0220
CALL PRINT(200,975,12,0,3A,XTITLF)		R0230
CALL PRINT(47,200,0,12,3A,YTITLF)		R0240
CALL PRINT(123,1000,12,0,72,TITLF)		R0250
CALL DMPBUF		R0260
RETURN		R0270
END		R0280

```

$IBFTC CPlot
SUBROUTINE CPlot (X,Y1,Y2,XLIM,YLIM1,YLIM2,TITLE, Y)
DIMENSION X(300),Y1(300),Y2(300),YTITLE(10),YY(2000),XTITLE(10)
DIMENSION TITLE(12),Y(300),ALONGY(7)
DIMENSION CURVE(1),VRUG(4),HRUG(7)
COMMON /ARC / ALLOW(7),ALONGX(7),NPLOT,ZERO,XMAX,IFIX
DATA (VRUG(I),I=1,4) / 100.0,50.0,20.0,10.0 /
DATA (HRUG(I),I=1,7) / 1.0,2.0,5.0,10.0,20.0,50.0,100.0 /
DATA (XTITLE(I),I=1,10)/3RH          TIME (SEC.) /
DATA (YTITLE(I),I=1,10)/3RH          DISTANCE (IN.) /
DATA ONE/4H1060 /,TWO/4H1460 /
DATA WON/1H1 /,TOO/1H2 /
C *** FOUR (4) CHARACTERS ARE ALLOWED FOR CURVE(1)
CURVE(1)=ONE
HFACTOR=HBUG(IFIX)
SYMBOL=WON
YBIG =AMAX1 (YLIM1,YLIM2 )
NCURVE =1
DO 1 I=1,NPLOT
1 YY(I)= Y1(I)
DO 7 I=1,4
  YI= I
  IF(YBIG*100. -ALLOW(I))6,6,7
7 CONTINUE
  WRITE (6,1000) YLIM1,YLIM2
1000 FORMAT (/// 3RH CPlot WILL NOT BE DONE BECAUSE YLIM1=F12.5,10H OR
  YLIM2= F12.5 //// )
  RETURN
6 YMAX =ALLOW (I)/100.
VFACTOR=VBUG(I)
CALL RSTFRM
CALL GRIDGN (123,1023,24.924,18,18,5,5)
J=1
70 DO 10 I=J,NPLOT
  II= I
  IM1 =I-1
  IF( YY(I)-Y(I) )20,10,10
10 CONTINUE
  NOPT=NPLOT-J+1
  LI=J + NOPT/2
  IVLOC=(YMAX-YY(LL))*18.*VFACTOR +24. -4.
  IHLOC= X(LL)*18. /HFACTOR +123. -48.
  CALL PRINT(IHLOC,IVLOC, A,0,4,CURVE)
  CALL PLOT1(1,1,ZERO,XMAX,ZERO,YMAX,X(J),YY(J),NOPT ,1,SYMBOL)
  IF (NCURVE-1 ) 90,85,90
85 DO 86 I=1,NPLOT
86 YY(I)=Y2(I)
  CURVE(1)=TWO
  SYMBOL=TOO
  NCURVE = 2
  J=1
  GO TO 70
20 NPT=II-J
  LL=J + NPT/2
  IVLOC=(YMAX-YY(LL))*18.*VFACTOR +24. -4.
  IHLOC= X(LL)*18. /HFACTOR +123. -48.
  CALL PRINT(IHLOC,IVLOC, A,0,4,CURVE)

```



CALL PLOT1(1,1,ZERO,XMAX,ZERO,YMAX,X(J),YY(J),NPT,1,SYMBOL)	50570
DO 50 IJ= II, NPL0T	50580
IJ= IJ	50590
IF(YY(IJ)- Y(IJ) )50,40,40	50600
50 CONTINUE	50610
IF(NCURVE-1) 00,85,90	50620
40 I= IJ	50630
GO TO 70	50640
90 ALONGY(1)=0.0	50650
DO 100 I=1,6	50660
CALL LABELX(ALONGX(I), 1)	50670
CALL LABELY(ALONGY(I),1)	50680
100 ALONGY(I+1)=ALONGY(I) + .2*YMAX	50690
CALL PRINT(200,975,12,0,38,XTITLE)	50700
CALL PRINT(47,200,0,12,38,YTITLE)	50710
CALL PRINT(123,1000,12,0,72,TITLE)	50720
CALL DMPBIF	50730
RETURN	50740
END	50750



## APPENDIX C

## PROGRAM TERMINOLOGY

<u>Fortran</u>	<u>Description</u>
A	"A" coefficient in matrix, single subscript
AB	"A" coefficient in matrix, double subscript
ABLC	specific heat of material at TABL
ABLK	thermal conductivity of material at TABL
B	"B" coefficient in matrix, single subscript
BB	"B" coefficient in matrix, double subscript
BL	Total thickness of backup structure
BLTEM	value of 1460 isotherm depth from previous time step
BTEST	test to determine mode of heat transfer out of back surface of backup materials
C	"C" coefficient in matrix, single subscript
CB	"C" coefficient in matrix, double subscript
CHARC	specific heat of material at TCHAR
CHARK	thermal conductivity of material at TCHAR
CP	specific heat of a node in ablation material
CPB	specific heat of backup material node
CPC	specific heat values in char specific heat table
CPV	specific heat values in virgin specific heat table
CPX	specific heat values in backup material specific heat tables

<u>Fortran</u>	<u>Description</u>
D	"D" coefficient in matrix, single subscript
DB	"D" coefficient in matrix, double subscript
DELTT	time step in the time step table
DMP	test used for dumping (DMP = 0 skip dump, DMP = 1.0 start dumping)
DRHØ	local mass flow rate of ablation gas
DT	time step from the time step table in hours
DTS	time step from time step table in seconds
DX	thickness of a node in the ablation material
DXB	thickness of a node in a backup structure material
DXV	variable ablation node thickness $\left( = \frac{VLV}{NP - 1} \right)$
DXX	fixed ablation material node thickness $\left( = \frac{VLI}{NP - 1} \right)$
EMBB	emissivity of back surface of each material in backup
EMC	char material emissivity
EMFB	emissivity of front surface of each material in backup
EMV	virgin material emissivity
EMX	emissivity of front surface of ablation material
END	code word for plot routine
ERR1	Control numbers for printing error statements when an input or calculational mistake is made
ERR2	
ERR3	
ERR4	

<u>Fortran</u>	<u>Description</u>
FBL $\phi$ W	blowing efficiency in reducing convective heating
FC $\phi$ NV	factor to correct convective heating rate for various body locations
FENV	emissivity - view factor product to cabin interior
FRAD	factor to correct radiative heating rate for various body locations
FTEST	test to determine mode of heat transfer into front surface of backup materials
FV	view factor for external environment
G	defined by Fortran statement
GAPX	gap width between backup materials
H	film coefficient between backup materials
H300	enthalpy of air at 300° K
HEAD	any 72 alphanumeric characters used to identify problems being run - printed at top of first page of output
HEADNG	any 72 alphanumeric characters used to identify each input section
HENV	film coefficient to cabin environment
HTX	total enthalpy
HV	heat of degradation of virgin material
HW	wall enthalpy computed from enthalpy - temperature table
HX	enthalpy values in enthalpy table
IEM	test used to determine if front surface is virgin or char for using proper emissivity
IPRC	variable print frequency in time-step table
IPRCT	present print control number

<u>Fortran</u>	<u>Description</u>
IR	test to determine if node temperature is greater than TABL
IR1	test used in determining node density at TX1 temperature
IR2	test used in determining node density at TX2 temperature
NCASE	number of problems to be run
NCPB	number of points in each backup material specific heat table
NCP C	number of points in char specific heat temperature table
NCPV	number of points in virgin specific heat temperature table
NKC	number of points in char thermal conductivity - temperature table
NKPB	number of points in each backup material thermal conductivity table
NKV	number of points in virgin thermal conductivity temperature table
NMB	number of materials in backup structure
NP	number of node points in ablation material
NPBS	total number of node points in backup structure
NPF	total number of points in heat shield structure (NP + NPBS)
NPL <del>OT</del>	output plot control number
NPM	number of nodes per material in backup
NHP	number of points in enthalpy - temperature table
NPTT	number of points in time-step table
NREC	number of points in surface recession - temperature or time table
NTRAPT	number of points in trajectory input table

<u>Fortran</u>	<u>Description</u>
NXA	dummy indexes for subroutine Save
NXB	
NXC	
NXD	
NXE	
QBLØCK	amount of convective heat blocked due to mass injection into boundary layer
QCØN	trajectory table convective heating rates
QCØNX	cold wall convective heat rate at present time step
QHW	hot wall convective heat rate without blowing
QIN	net heat flux into front surface
QLØSS	boundary condition for heat transfer to cabin interior
QØXID	heating rate due to combustion
QRAD	trajectory table radiative heating rates
QRADX	radiative heat flux at present time step
QUIT	code word for plot routine
R	thermal resistance due to conductivity between nodes in the ablation material
RB1	thermal resistance due to conductivity between past and present node in backup material
RB2	thermal resistance due to conductivity between present and forward node in backup material
RHØ	density of an ablation material node
RHØBX	density of individual materials in backup
RHØC	mature char material density

<u>Fortran</u>	<u>Description</u>
RH <del>Ø</del> V	virgin ablation material density
RH <del>Ø</del> Y1	density of node at past time step
RH <del>Ø</del> Y2	density of node at present time step
S	thermal capacity of a node in the ablation material
SD <del>Ø</del> T	surface recession rate
SAVEIT	depth of 1060 isotherm at any given time
SAVEXX	time corresponding to maximum depth of 1460 isotherm
SAVX	time corresponding to maximum depth of 1060 isotherm
SAVY1	surface recession depth at maximum 1060 isotherm depth
SAVY2	bondline temperature at maximum 1060 isotherm depth
SAVY3	term that will contain maximum depth of 1060 isotherm
SAVY4	depth of 1460 isotherm at maximum 1060 isotherm depth
SAVY1X	surface recession depth at maximum 1460 isotherm depth
SAVY2X	bondline temperature at maximum 1460 isotherm depth
SAVY3X	depth of 1060 isotherm at maximum 1460 isotherm depth
SAVY4X	term that will contain maximum depth of 1460 isotherm
SR	surface recession values in surface recession table
T	present time
TABL	temperature at which ablation starts
TCHAR	temperature at which ablation stops
TCP	temperature values in backup material specific heat tables
TCPC	temperature values in char specific heat table
TCPV	temperature values in virgin specific heat table



<u>Fortran</u>	<u>Description</u>
TEM DI	arbitrary initial temperature distribution values
TEM PI	constant initial temperature distribution value
TENV	interior cabin temperature
TEST2	test to determine proper heat shield initial temperature distribution
TDMP	time to start dumping or printing information used in check-out of program (sets DMP = 1.0)
TIME	trajectory table time values
TINT	starting time of problem
TITLE	control card used for reading in new data for successive problems
TKC	temperature values in char thermal conductivity table
TKV	temperature values in virgin thermal conductivity table
TL	total thickness of heat shield structure (VL + BL)
TLIM	time limit of problem
TREC	surface temperature or time at which char removal is to start
TS	temperature or time values in surface recession table
TTABLE	time values in time-step table
TTUL	equals TUL if VPT = 0 or equals TX2 if VPT = 1 - used in computing char properties
TUL	maximum value of TX1 and TX2
TUL1	maximum TX1 values - used in computing gas ablation rate
TUL2	maximum TX2 values - used in computing gas ablation rate
TV	sink temperature of external environment
TW	temperature values in enthalpy table

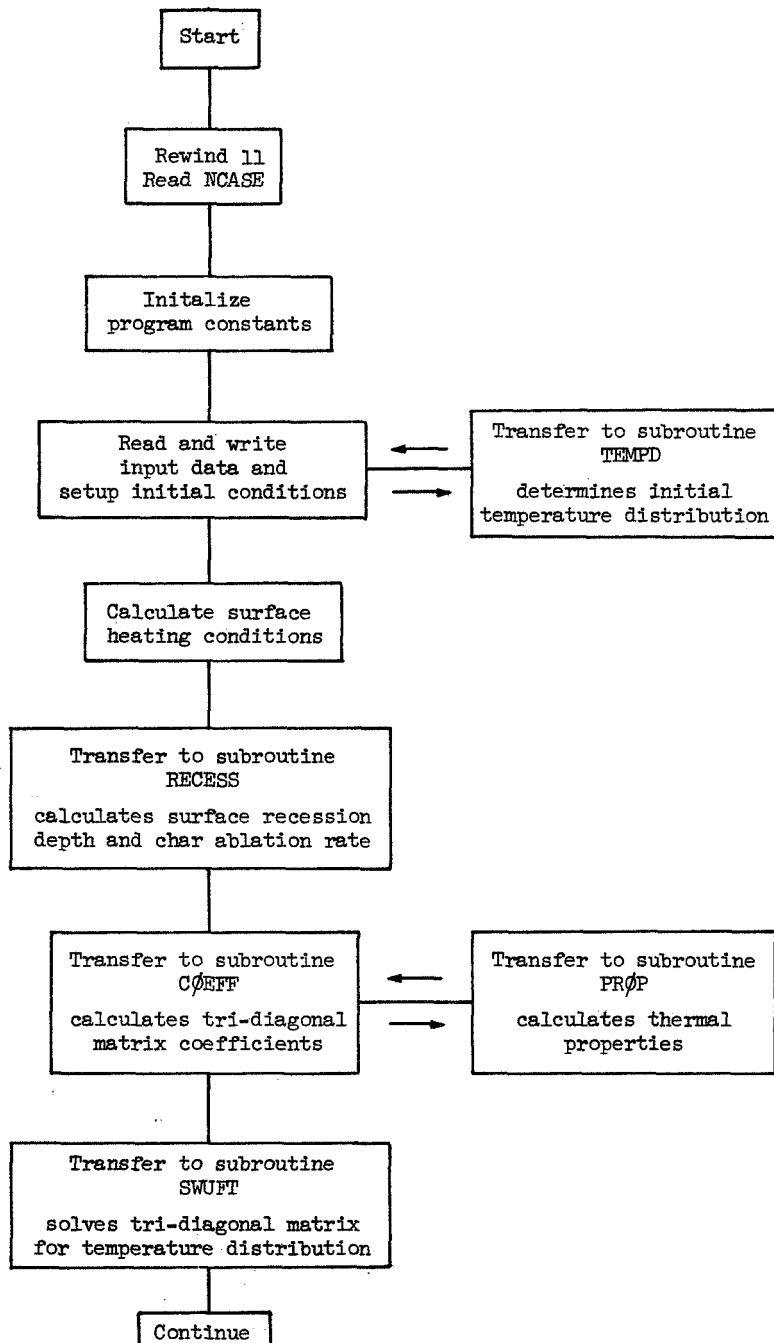
<u>Fortran</u>	<u>Description</u>
TX1	temperature of nodes at past time step
TX2	temperature of nodes at present time step
TX2C	temperature at fixed locations in ablation material as defined by XC
TX2T	temporary storage of TX2 temperatures for computing thermal properties
TXK	temperature values in backup material thermal conductivity tables
TXØ	initial temperature at front surface of heat shield for computing linear temperature gradient
TY	temperature distribution at forward time step
VEL	trajectory table velocity values
VELX	trajectory velocity at present time step
VL	initial virgin material thickness
VLI	initial ablation material thickness
VLTEM	value of 1060 isotherm depth from previous time step
VLV	variable ablation material thickness
VPT	test to determine if properties are irreversible with temperature
WEKEEP	depth of 1460 isotherm at any time
XBM	thickness of individual materials in backup
XC	fixed location of nodes in the ablation material
XI	node number
XIDNT	any 72 alphanumeric characters to identify each material
XK	thermal conductivity values in backup material thermal conductivity table

<u>Fortran</u>	<u>Description</u>
XKB	thermal conductivity of backup material node
XKC	thermal conductivity in char thermal conductivity table
XKV	thermal conductivity value in virgin thermal conductivity table
XLØST	amount of solid ablation material lost in a time step due to surface movement
XLSTI	distance from original surface to present front surface location, inches
XLSTV	distance from original surface to present front surface location, feet
XMDC	mass loss rate of char
XMDG	mass gas ablation rate due to pyrolysis of virgin material
XMDØ	mass flux rate of oxygen to surface
XMDT	total ablation rate
XNP	number of nodes in ablation material
XNPM	number of nodes per backup material
XPLØT	time to be written on tape and plotted
XV	location of nodes in variable ablation material thickness
YK	thermal conductivity of a node in ablation material
YPLØT1	recession depth to be written on tape and plotted
YPLØT2	bondline temperature to be written on tape and plotted
YPLØT3	1060 isotherm depth to be written on tape and plotted
YPLØT4	1460 isotherm depth to be written on tape and plotted
ZZZ	ratio to determine when the limiting value of heat blockage has been reached



## APPENDIX D

## GENERAL FLOW CHART



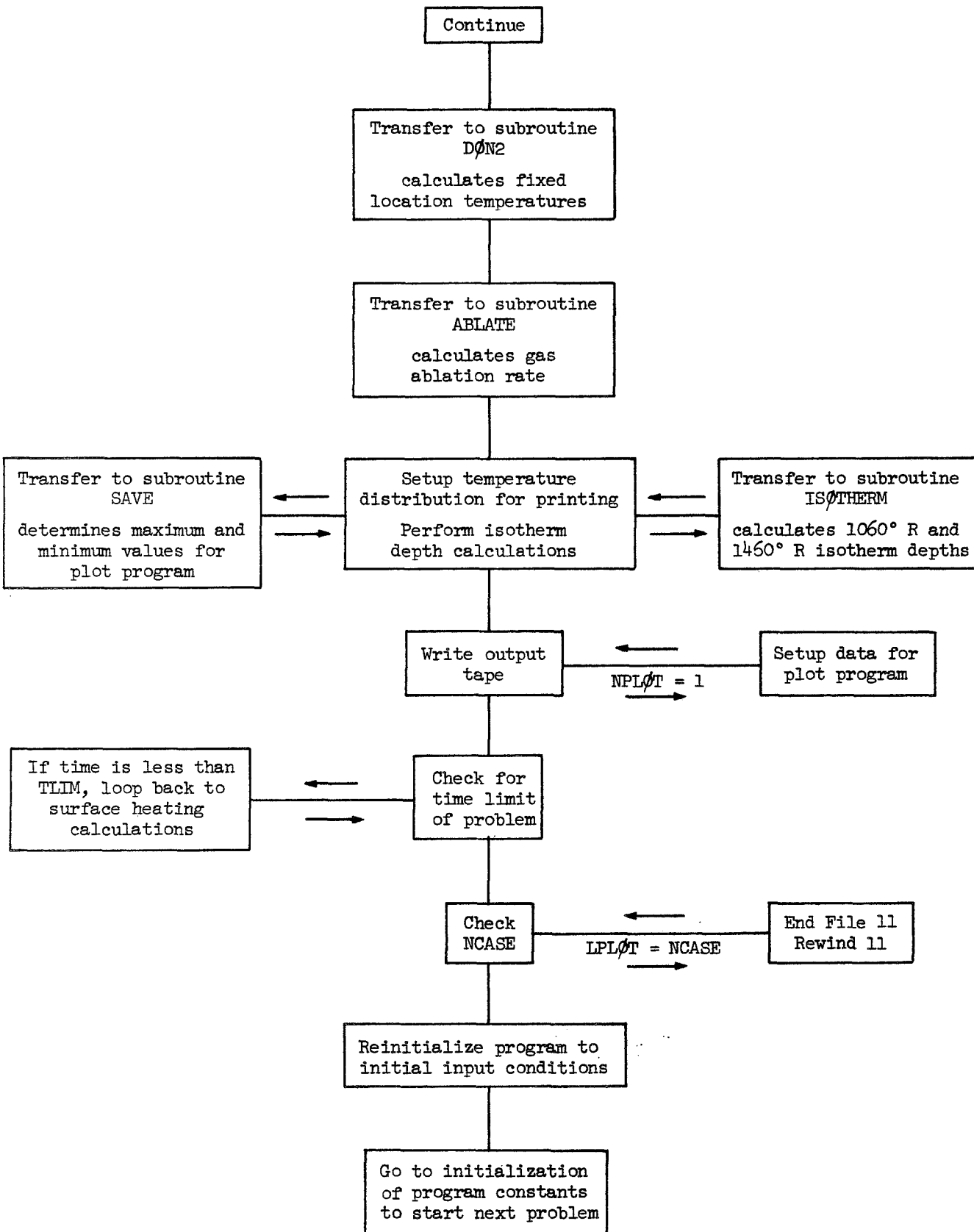


TABLE I.- SAMPLE PROBLEM INPUT

(a) Coding sheet

## TYPICAL CHARRING ABLATOR - TEST CASE - 4/6/65

DONALD M. CURRY

+600.0	+00	+0.0	+00	2	1
+0.0	+00	+0.1	+00	100	
+600.0	+00	+0.1	+00	100	

+1.0	+00	+1.0	+00
------	-----	------	-----

## TYPICAL CHARRING ABLATION MATERIAL PROPERTIES

+1060.0	+00	+1460.0	+00	+0.0	+00	+34.0	+00	+29.0	+00	+0.0	+00
+0.65	+00	+0.75	+00	+129.06	+00	+1.5	+00	+250.0	+00	+0.0	+00
+1.0	+00	+0.0	+00	+0.12	+00	+0.43	+00	+0.070	+00	+0.43	+00
31	2	2	9	2	2						
+1460.0	+00	+0.12	+00	+1.0	+04	+0.12	+00				
+1460.0	+00	+0.43	+00	+1.0	+04	+0.43	+00				
+360.0	+00	+0.065	+00	+460.0	+00	+0.065	+00	+560.0	+00	+0.0655	+00
+660.0	+00	+0.066	+00	+760.0	+00	+0.0672	+00	+860.0	+00	+0.0684	+00
+960.0	+00	+0.069	+00	+1060.0	+00	+0.070	+00	+1160.0	+00	+0.070	+00
+360.0	+00	+0.43	+00	+1100.0	+00	+0.43	+00				
+0.0	+00	+9.0	-04	+600.0	+00	+9.0	-04				

## NO TRAJECTORY - Q=95 BTU/SEC-SQFT

2						
+0.0	+00	+95.0	+00	+0.0	+00	+2.925 +04

CODED IN

+600.0	+00	+95.0	+00	+0.0	+00	+2.925	+04
1	3	+0.1	+00				
+3.0	+00						
9	2						
BACKUP MATERIAL				0.1 INCHES THICK			
+360.0	+00	+0.065	+00	+460.0	+00	+0.065	+00
+660.0	+00	+0.066	+00	+760.0	+00	+0.0672	+00
+960.0	+00	+0.069	+00	+1060.0	+00	+0.07	+00
+360.0	+00	+0.43	+00	+1100.0	+00	+0.43	+00
+34.0	+00	+0.1	+00	+0.9	+00	+0.9	+00
+0.0	+00	+0.0	+00	+0.0	+00	+0.0	+00
HEAT TRANSFER TO CABIN ENVIRONMENT - HENV=0.0							
+560.0	+00	+0.0	+00	+0.0	+00	+0.0	+00
INITIAL TEMPERATURE IS CONSTANT							
+0.0	+00	+530.0	+00	+530.0	+00		
42							
+0.0	+00	+0.0	+00	+342.9	+00	+1400.0	+00
+617.2	+00	+2400.0	+00	+791.0	+00	+3000.0	+00
+1113.0	+00	+4000.0	+00	+1200.0	+00	+4224.0	+00
+1400.0	+00	+4723.0	+00	+1500.0	+00	+4936.0	+00
+1700.0	+00	+5299.0	+00	+1800.0	+00	+5454.0	+00
						+449.7	+00
						+978.0	+00
						+1300.0	+00
						+1600.0	+00
						+1800.0	+00
						+3600.0	+00
						+4486.0	+00
						+5127.0	+00
						+5596.0	+00



+2000.0	+00	+5728.0	+00	+2100.0	+00	+5851.0	+00	+2200.0	+00	+5968.0	+00
+2300.0	+00	+6078.0	+00	+2400.0	+00	+6186.0	+00	+2500.0	+00	+6291.0	+00
+2600.0	+00	+6395.0	+00	+2700.0	+00	+6497.0	+00	+2800.0	+00	+6597.0	+00
+2900.0	+00	+6699.0	+00	+3000.0	+00	+6805.0	+00	+3100.0	+00	+6918.0	+00
+3200.0	+00	+7050.0	+00	+3300.0	+00	+7175.0	+00	+3400.0	+00	+7350.0	+00
+3500.0	+00	+7480.0	+00	+3600.0	+00	+7630.0	+00	+3700.0	+00	+7800.0	+00
+3800.0	+00	+7970.0	+00	+3900.0	+00	+8120.0	+00	+4000.0	+00	+8300.0	+00
+4100.0	+00	+8500.0	+00	+4200.0	+00	+8700.0	+00	+4300.0	+00	+8850.0	+00
+4400.0	+00	+9000.0	+00	+4500.0	+00	+9150.0	+00	+4600.0	+00	+9270.0	+00

TABLE I.- SAMPLE PROBLEM INPUT

(b) Fortran data card listing

1  
TYPICAL CHARRING ABLATOR - TEST CASE - 4/6/65 DONALD M. CURRY

```
+000.0 +00 +0.0 +00 2 1
+0.0 +00 +0.1 +00 100
+000.0 +00 +0.1 +00 100

+1.0 +00 +1.0 +00
```

TYPICAL CHARRING ABLATION MATERIAL PROPERTIES

```
+1060.0 +00 +1060.0 +00 +0.0 +00 +34.0 +00 +20.0 +00 +0.00 +00
+0.05 +00 +0.75 +00 +129.06 +00 +1.50 +00 +250.0 +00 +0.0 +00
+1.0 +00 +0.0 +00 +0.12 +00 +0.43 +00 +0.070 +00 +0.43 +00
  31 2 2 0 2 2
+1060.0 +00 +0.12 +00 +1.0 +04 +0.12 +00
+1060.0 +00 +0.43 +00 +1.0 +04 +0.43 +00
+360.0 +00 +0.065 +00 +460.0 +00 +0.065 +00 +560.0 +00 +0.0655 +00
+660.0 +00 +0.066 +00 +760.0 +00 +0.0672 +00 +860.0 +00 +0.0684 +00
+960.0 +00 +0.069 +00 +1060.0 +00 +0.070 +00 +1160.0 +00 +0.070 +00
+360.00 +00 +0.43 +00 +1100.0 +00 +0.43 +00
+0.0 +00 +9.0 -04 +600.0 +00 +9.0 -04
```

NO TRAJECTORY - 0=95 R10/SEC-SQFT

```
2
+0.0 +00 +95.0 +00 +0.0 +00 +2.925 +04
+000.0 +00 +95.0 +00 +0.0 +00 +2.925 +04
```

```
1 3 +0.1 +00
+0.0 +00
  9 2
```

BACKUP MATERIAL

0.1 INCHES THICK

```
+360.0 +00 +0.065 +00 +460.0 +00 +0.065 +00 +560.0 +00 +0.0655 +00
+660.0 +00 +0.066 +00 +760.0 +00 +0.0672 +00 +860.0 +00 +0.0684 +00
+960.0 +00 +0.069 +00 +1060.0 +00 +0.07 +00 +1160.0 +00 +0.07 +00
+360.00 +00 +0.43 +00 +1100.0 +00 +0.43 +00
+04.0 +00 +0.1 +00 +0.9 +00 +0.9 +00
+0.0 +00 +0.0 +00 +0.0 +00 +0.0 +00
```

HEAT TRANSFER TO CAPIN ENVIRONMENT - HENV=0.0

```
+560.0 +00 +0.0 +00 +0.0 +00 +0.0 +00
```

INITIAL TEMPERATURE IS CONSTANT

```
+0.0 +00 +530.0 +00 +530.0 +00
```

42

```
+0.0 +00 +0.0 +00 +342.9 +00 +1400.0 +00 +449.7 +00 +1800.0 +00
+617.2 +00 +2400.0 +00 +791.0 +00 +3000.0 +00 +978.0 +00 +3600.0 +00
+1113.0 +00 +4000.0 +00 +1200.0 +00 +4224.0 +00 +1300.0 +00 +4486.0 +00
+1400.0 +00 +4723.0 +00 +1500.0 +00 +4936.0 +00 +1600.0 +00 +5127.0 +00
+1700.0 +00 +5299.0 +00 +1800.0 +00 +5454.0 +00 +1900.0 +00 +5596.0 +00
+2000.0 +00 +5728.0 +00 +2100.0 +00 +5851.0 +00 +2200.0 +00 +5968.0 +00
+2300.0 +00 +6078.0 +00 +2400.0 +00 +6186.0 +00 +2500.0 +00 +6291.0 +00
+2600.0 +00 +6395.0 +00 +2700.0 +00 +6497.0 +00 +2800.0 +00 +6597.0 +00
+2900.0 +00 +6699.0 +00 +3000.0 +00 +6805.0 +00 +3100.0 +00 +6918.0 +00
```

+3200.0	+00+7050.0	+00+3300.0	+00+7175.0	+00+3400.0	+00+7350.0	+00
+3500.0	+00+7480.0	+00+3600.0	+00+7630.0	+00+3700.0	+00+7800.0	+00
+3800.0	+00+7970.0	+00+3900.0	+00+8120.0	+00+4000.0	+00+8300.0	+00
+4100.0	+00+8500.0	+00+4200.0	+00+8700.0	+00+4300.0	+00+8850.0	+00
+4400.0	+00+9000.0	+00+4500.0	+00+9150.0	+00+4600.0	+00+9270.00	+00

## TABLE II.- SAMPLE PROBLEM OUTPUT

TYPICAL CHARRING ABLATOR - TEST CASE - 4/6/65 DONALD M. CURRY

## INPUT DATA.

TIME LIMIT=6.0000E 02 INITIAL TIME=0. NPPT= 2

TIME	TIME STEP	PRINT CONTROL
0.	1.0000E-01	100
6.0000E 02	1.0000E-01	100

FCNV= 1.0000E 00 FRAD= 1.0000E 00

## TYPICAL CHARRING ABLATION MATERIAL PROPERTIES

TABL= 1.0600E 03	TCHAR= 1.4600E 03	TREC= 0.	RHOV= 3.4000E 01	RHDC= 2.0000E 01
FBLW= 0.	EMV= 6.5000E-01	EMC= 7.5000E-01	H300= 1.2906E 02	VL= 1.5000E 00
HV= 2.5000E 02	VPT= 0.	FV= 1.0000E 00	TV= 0.	CHARK= 1.2000E-01
CHARC= 4.3000E-01	ABLK= 7.0000E-02	ABLC= 4.3000E-01		

NP= 31 NKC= 2 NCPV= 2 NKV= 9 NCPV= 2 NREC= 2

## VIRGIN MATERIAL

THERMAL		SPECIFIC	
TEMPERATURE	CONDUCTIVITY	TEMPERATURE	HEAT
3.6000E 02	6.5000E-02	3.6000E 02	4.3000E-01
4.6000E 02	6.5000E-02	1.1000E 03	4.3000E-01
5.6000E 02	6.5500E-02		
6.6000E 02	6.6000E-02		
7.6000E 02	6.7200E-02		
8.6000E 02	6.8400E-02		
9.6000E 02	6.9000E-02		
1.0600E 03	7.0000E-02		
1.1600E 03	7.0000E-02		

## CHAR MATERIAL

THERMAL		SPECIFIC	
TEMPERATURE	CONDUCTIVITY	TEMPERATURE	HEAT
1.4600E 03	1.2000E-01	1.4600E 03	4.3000E-01
1.0000E 04	1.2000E-01	1.0000E 04	4.3000E-01

## SURFACE RECESSION TABLE

TIME	SR - IN/SEC
0.	9.0000E-04
6.0000E 02	9.0000E-04

NO TRAJECTORY - Q=95 BTU/SEC-SQFT

NO. OF TRAJECTORY PRINTS = 2

TIME	Q CONVECTIVE	Q RADIATIVE	VELOCITY
0.	9.50000E 01	0.	2.92500E 04
6.00000E 02	9.50000E 01	0.	2.92500E 04

# PROPERTIES OF BACKUP STRUCTURE

NO. OF MATERIALS IN BACK-UP SHIELD= 1  
 TOTAL NUMBER OF NODES IN BACK-UP SHIELD= 3  
 THICKNESS OF BACK-UP SHIELD= 1.00000E-01

BACKUP MATERIAL 0.1 INCHES THICK

THERMAL		SPECIFIC	
TEMPERATURE	CONDUCTIVITY	TEMPERATURE	HEAT
3.60000E 02	6.50000E-02	3.60000E 02	4.30000E-01
4.60000E 02	6.50000E-02	1.10000E 03	4.30000E-01
5.60000E 02	6.55000E-02		
6.60000E 02	6.60000E-02		
7.60000E 02	6.72000E-02		
8.60000E 02	6.84000E-02		
9.60000E 02	6.90000E-02		
1.06000E 03	7.00000E-02		
1.16000E 03	7.00000E-02		

MATERIAL	DENSITY	THICKNESS	EMISSIVITY		NODES/MATERIAL
			FRONT	BACK	
1	3.4000E 01	1.0000E-01	9.0000E-01	9.0000E-01	3.0000E 00

# ADDITIONAL DATA FOR INDIVIDUAL MATERIALS IN BACKUP STRUCTURE

MATERIAL	FILM COEFFICIENT	GAP THICKNESS	FTEST	BTEST
1	0.	0.	0.	0.

HEAT TRANSFER TO CABIN ENVIRONMENT - HENV=0.0

TEMPERATURE= 5.60000E 02 FILM COEFFICIENT= 0. VIEW FACTOR= 0. Q LOST= 0.

INITIAL TEMPERATURE IS CONSTANT

TEMPERATURE DISTRIBUTION IN HEAT SHIELD IS UNIFORM AND EQUAL TO 5.3000E 02

## OUTPUT DATA.

TIME= 9.90000E 00 QCONVECTIVE= 9.50000E 01 QRADIATIVE= 0. VELOCITY= 2.92500E 04  
 GAS ABLATION RATE= 0. CHAR ABLATION RATE= 5.40000E 00 TOTAL ABLATION RATE= 5.40000E 00  
 RECESSON DEPTH= 9.00000E-03 QHOT WALL= 8.89893E 01

TEMPERATURE DISTRIBUTION IN HEAT SHIELD AT THE END OF THE TIME STEP, T= 1.00000E 01 SECONDS

## TEMPERATURE DISTRIBUTION IN THE ABLATING MATERIAL

4.25564E 03	2.70129E 03	1.19740E 03	6.43320E 02	5.43814E 02	5.31490E 02
5.30126E 02	5.30007E 02	5.30000E 02	5.29999E 02	5.30000E 02	5.30000E 02
5.30000E 02	5.30000E 02	5.29999E 02	5.30000E 02	5.30000E 02	5.30000E 02
5.30000E 02	5.30000E 02	5.30000E 02	5.30000E 02	5.30000E 02	5.30000E 02
5.30000E 02	5.30000E 02	5.30000E 02	5.29999E 02	5.30000E 02	5.30000E 02
5.29999E 02					

## TEMPERATURE DISTRIBUTION IN THE BACK-UP STRUCTURE

5.29999E 02	5.30000E 02	5.30000E 02
-------------	-------------	-------------

TIME= 1.99000E 01 QCONVECTIVE= 9.50000E 01 QRADIATIVE= 0. VELOCITY= 2.92500E 04  
 GAS ABLATION RATE= 0. CHAR ABLATION RATE= 5.40000E 00 TOTAL ABLATION RATE= 5.40000E 00  
 RECESSON DEPTH= 1.80000E-02 QHOT WALL= 8.89148E 01

TEMPERATURE DISTRIBUTION IN HEAT SHIELD AT THE END OF THE TIME STEP, T= 2.00000E 01 SECONDS

## TEMPERATURE DISTRIBUTION IN THE ABLATING MATERIAL

4.26944E 03	3.15689E 03	1.77750E 03	1.02157E 03	6.89430E 02	5.66334E 02
5.37192E 02	5.31229E 02	5.30183E 02	5.30023E 02	5.30002E 02	5.30000E 02
5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02
5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02
5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02	5.29999E 02
5.29999E 02					

## TEMPERATURE DISTRIBUTION IN THE BACK-UP STRUCTURE

5.29999E 02	5.29999E 02	5.29999E 02
-------------	-------------	-------------

TIME= 2.99000E 01 QCONVECTIVE= 9.50000E 01 QRADIATIVE= 0. VELOCITY= 2.92500E 04  
 GAS ABLATION RATE= 4.04922E 00 CHAR ABLATION RATE= 5.40000E 00 TOTAL ABLATION RATE= 9.44922E 00  
 RECESSON DEPTH= 2.70000E-02 QHOT WALL= 8.87279E 01

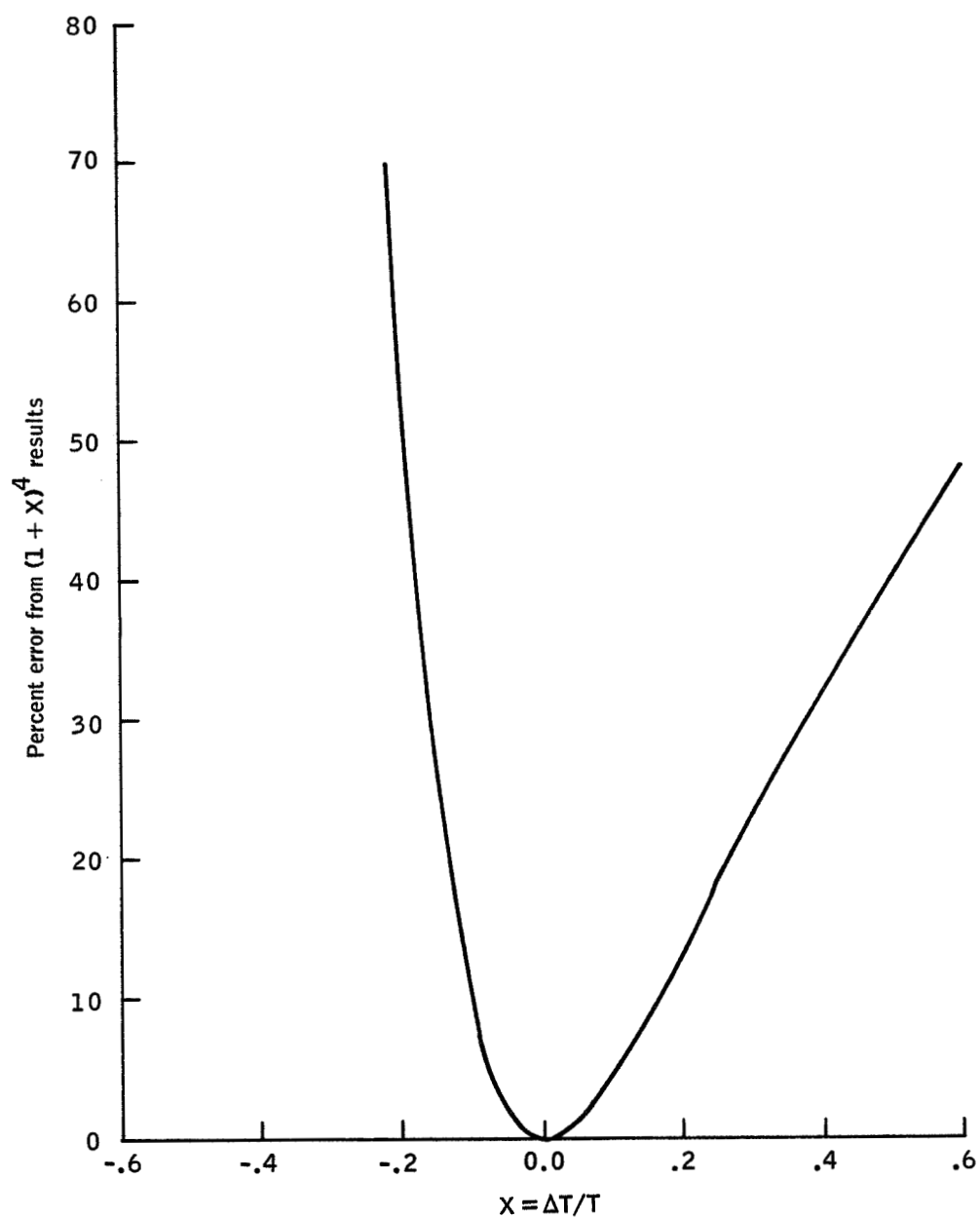


Figure 1.- Radiation temperature approximation error.

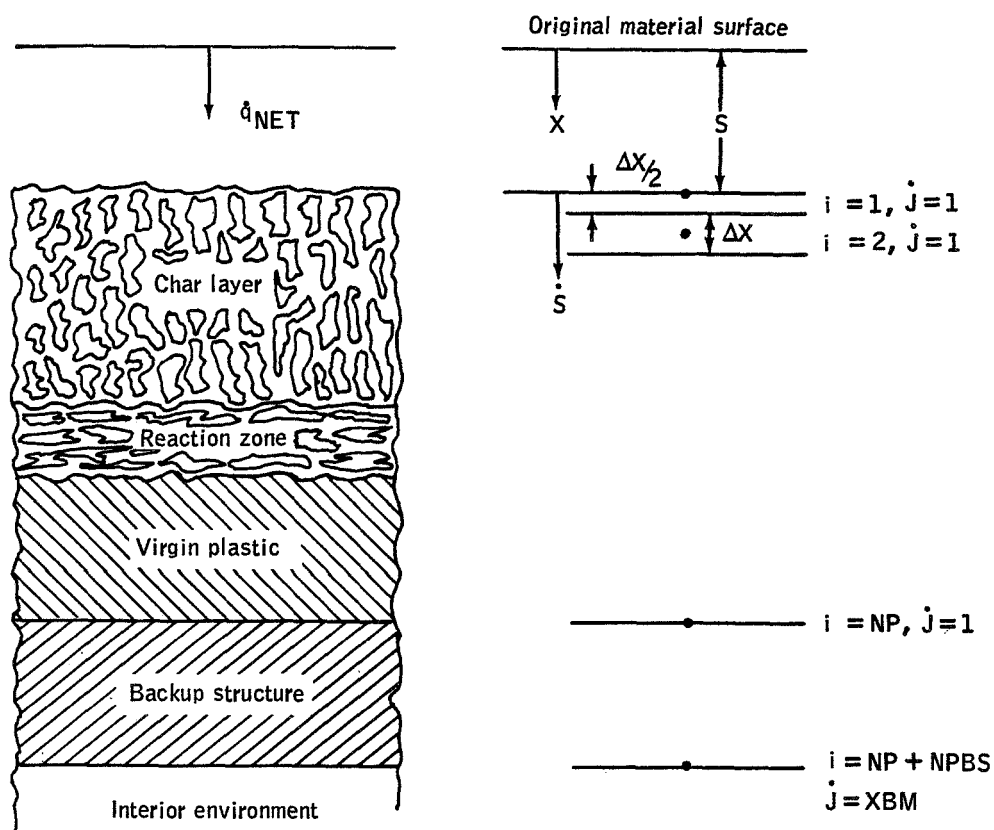


Figure 2.- Schematic diagram of charring ablator thermal protection system.



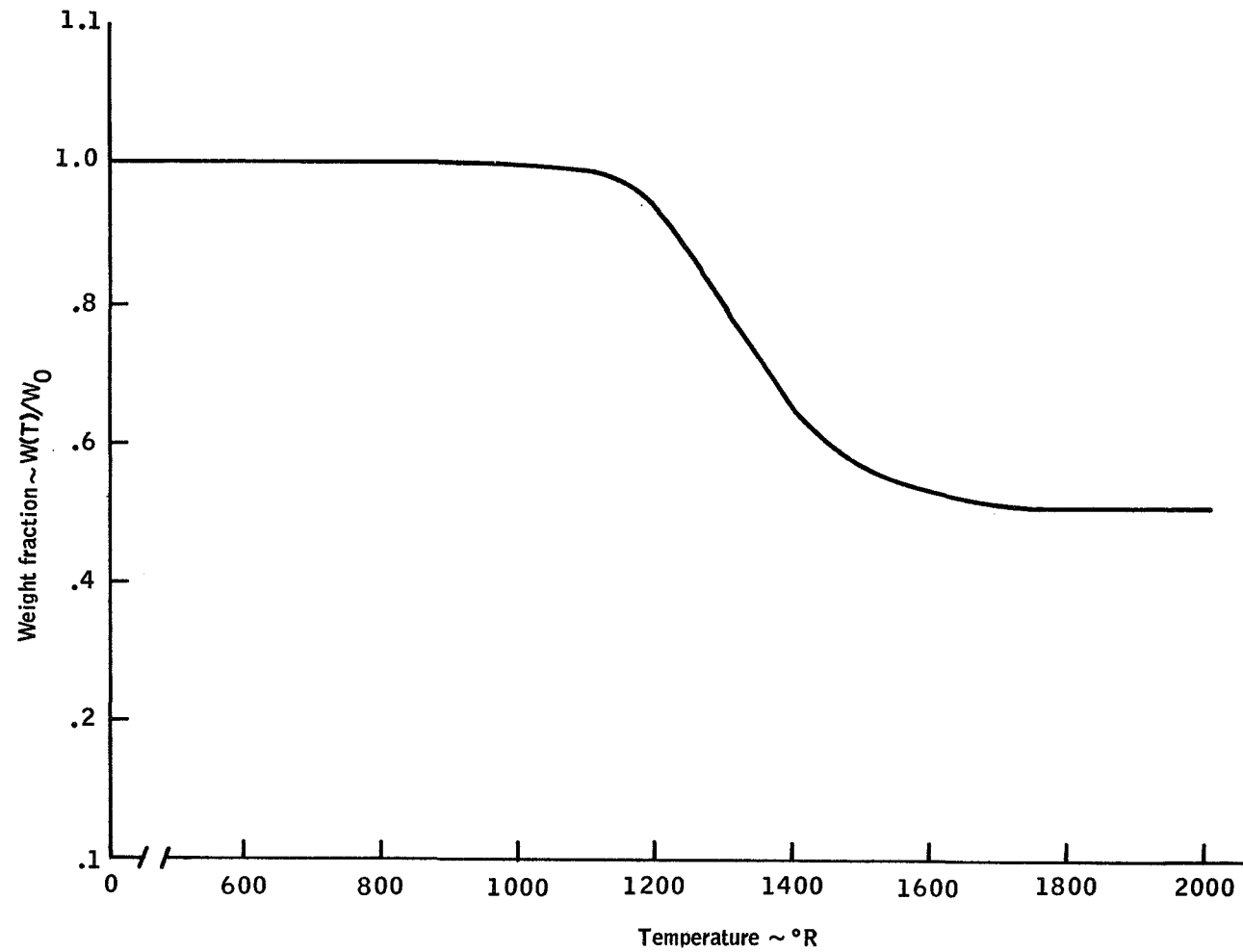


Figure 3.- Thermogravimetric data for typical charring ablation material

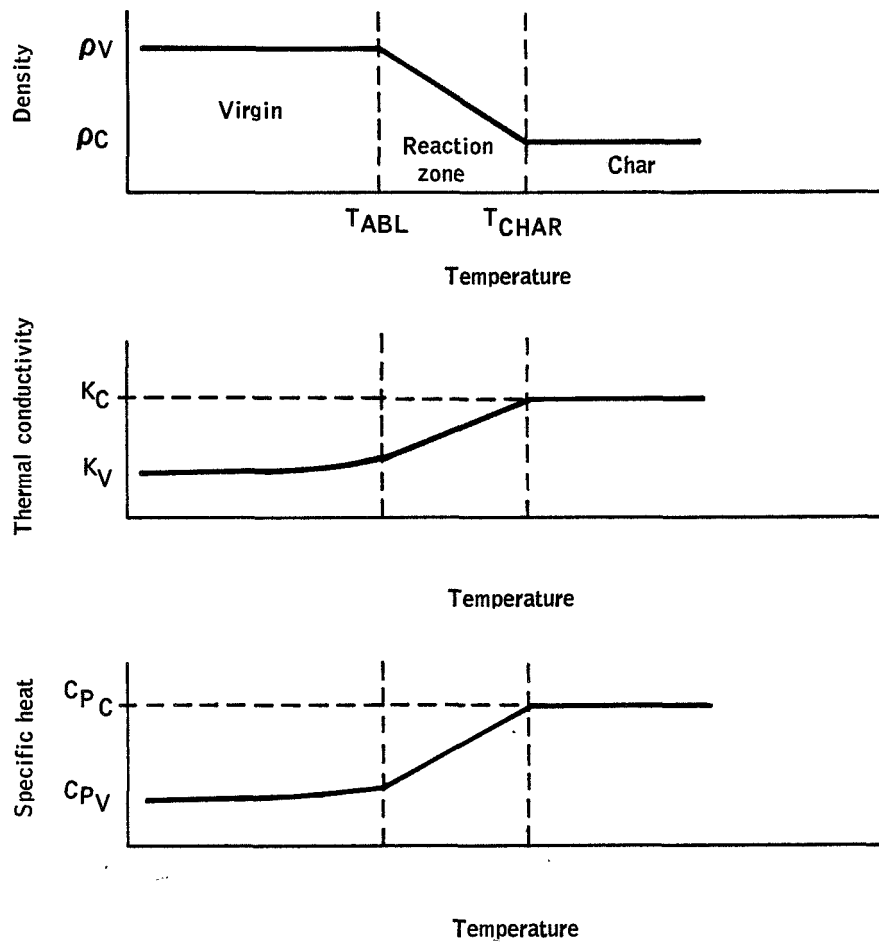


Figure 4.- Charring material property variation used as input to STAB II.

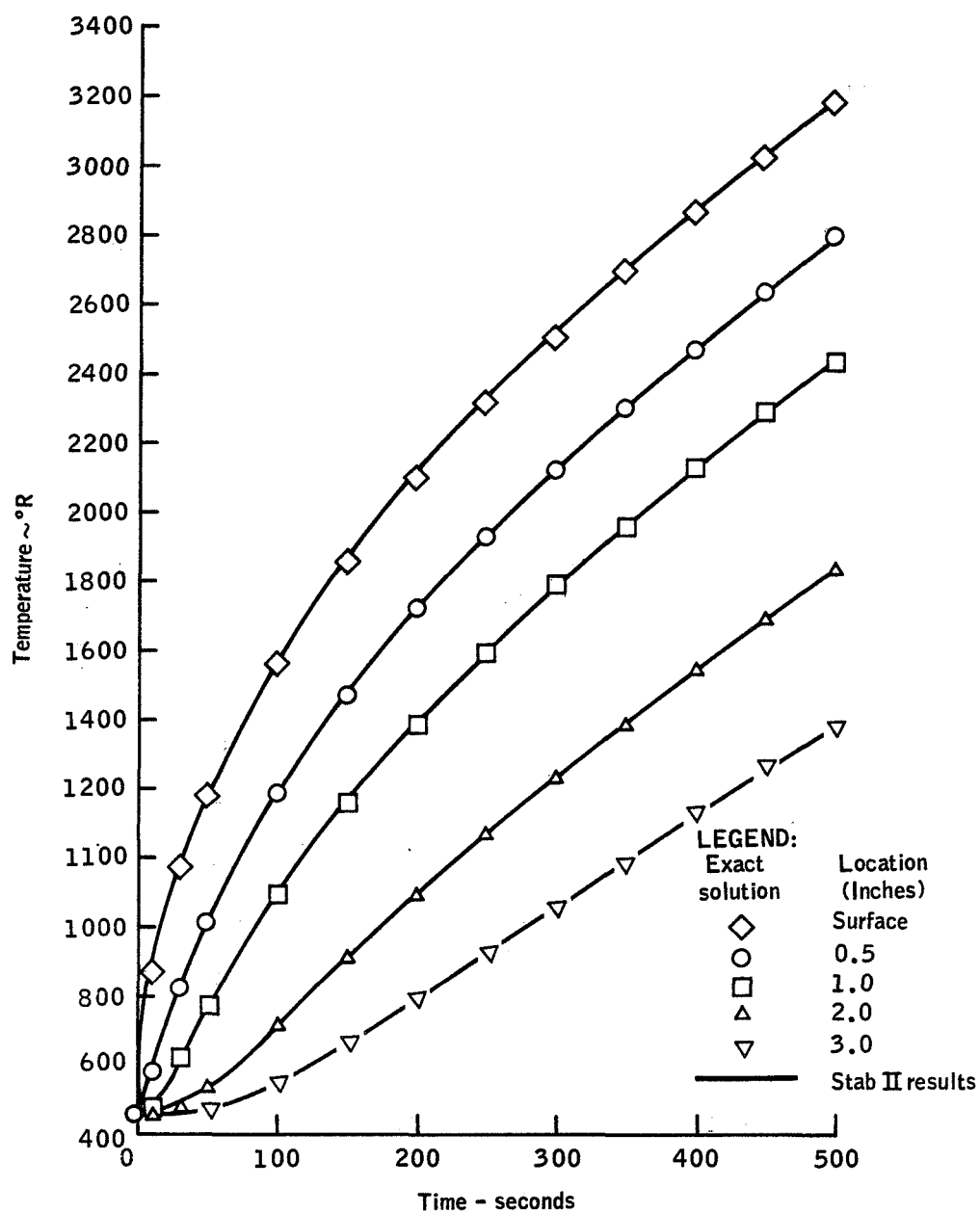


Figure 5.- Comparison of temperature histories for nonablating steel slab (pure conduction).

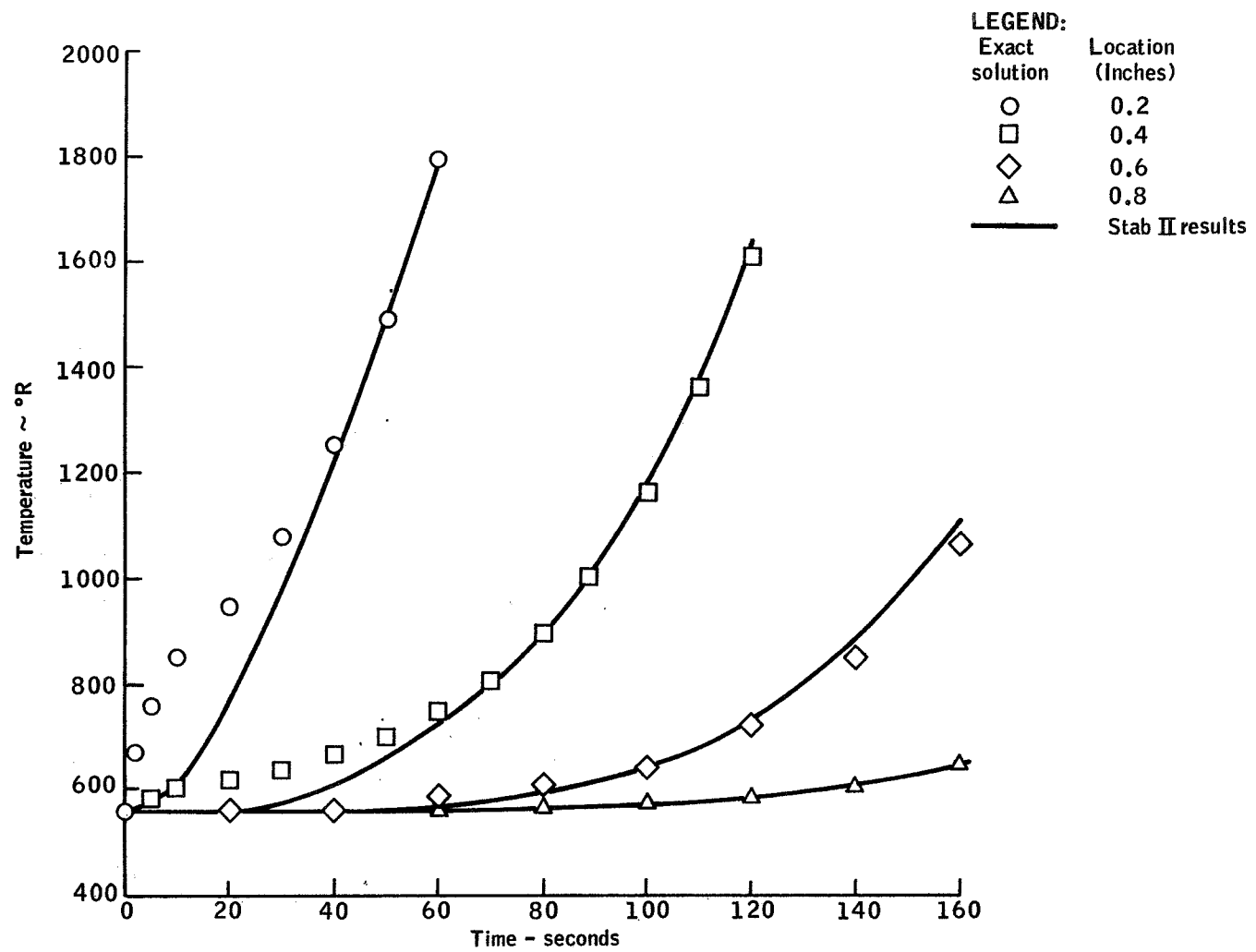


Figure 6.- Comparison of temperature histories for moving boundary model.

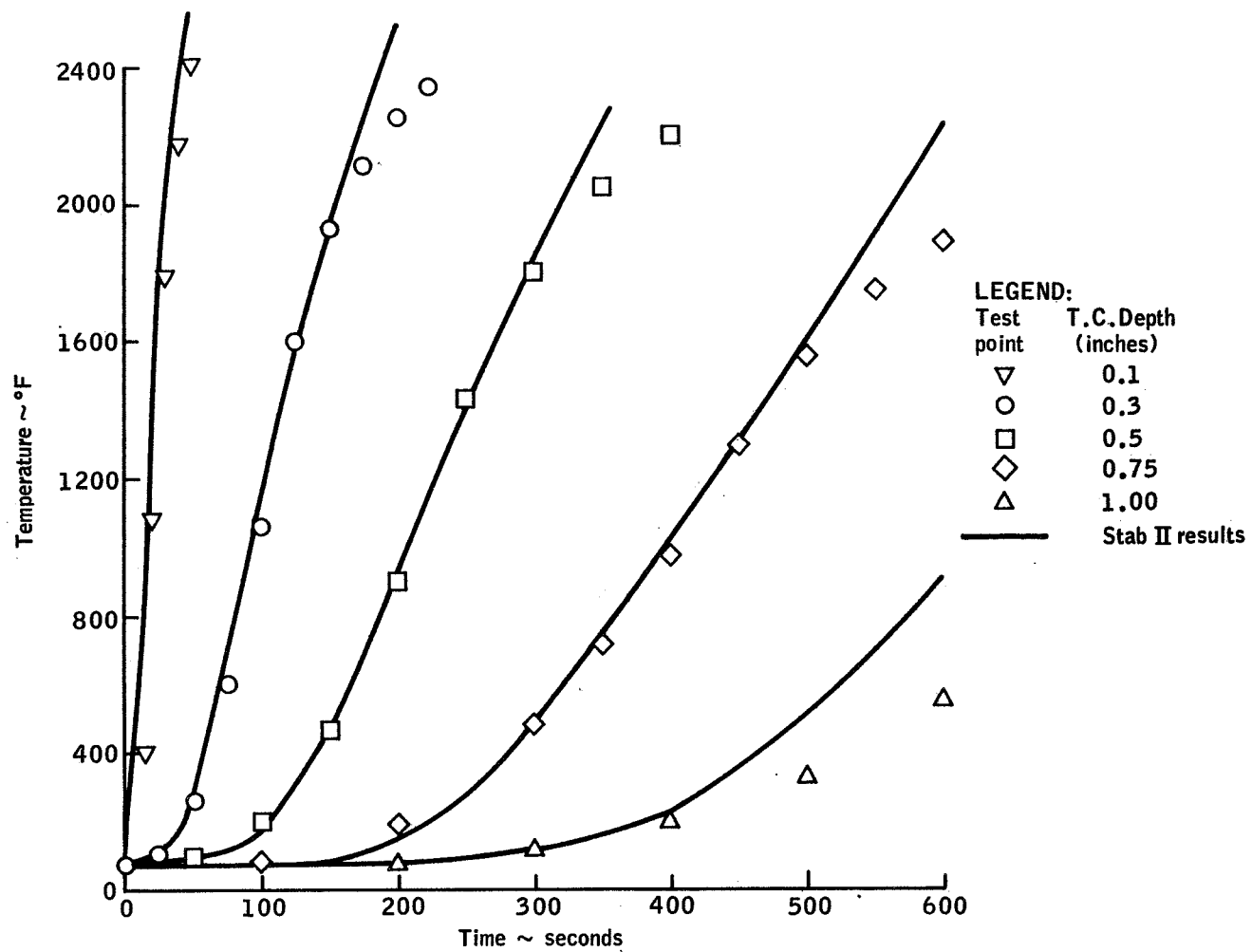


Figure 7.- Comparison of temperature histories for typical charring ablator.

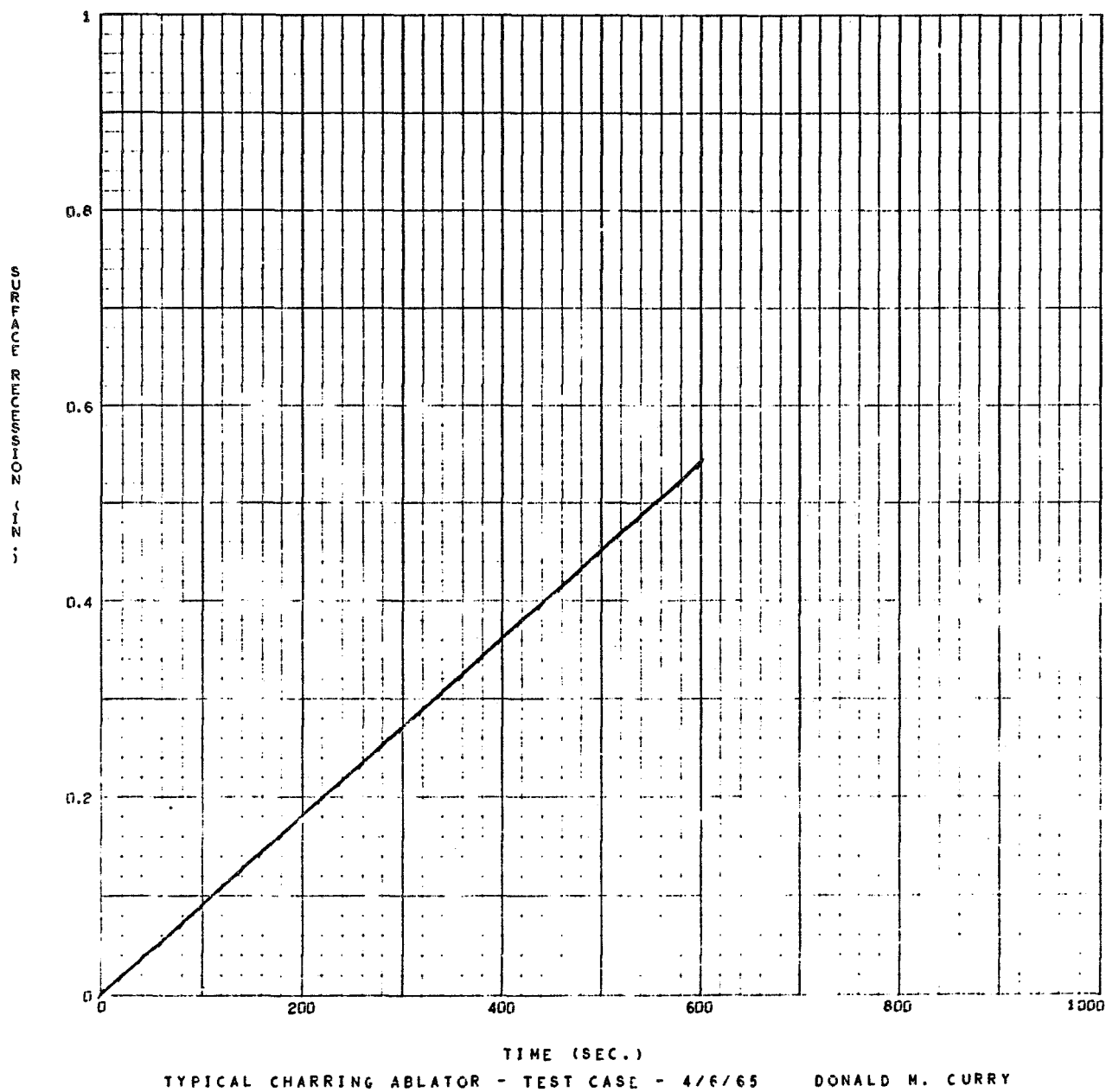


Figure 8. - Plot program surface recession curve from typical charring ablator test case.

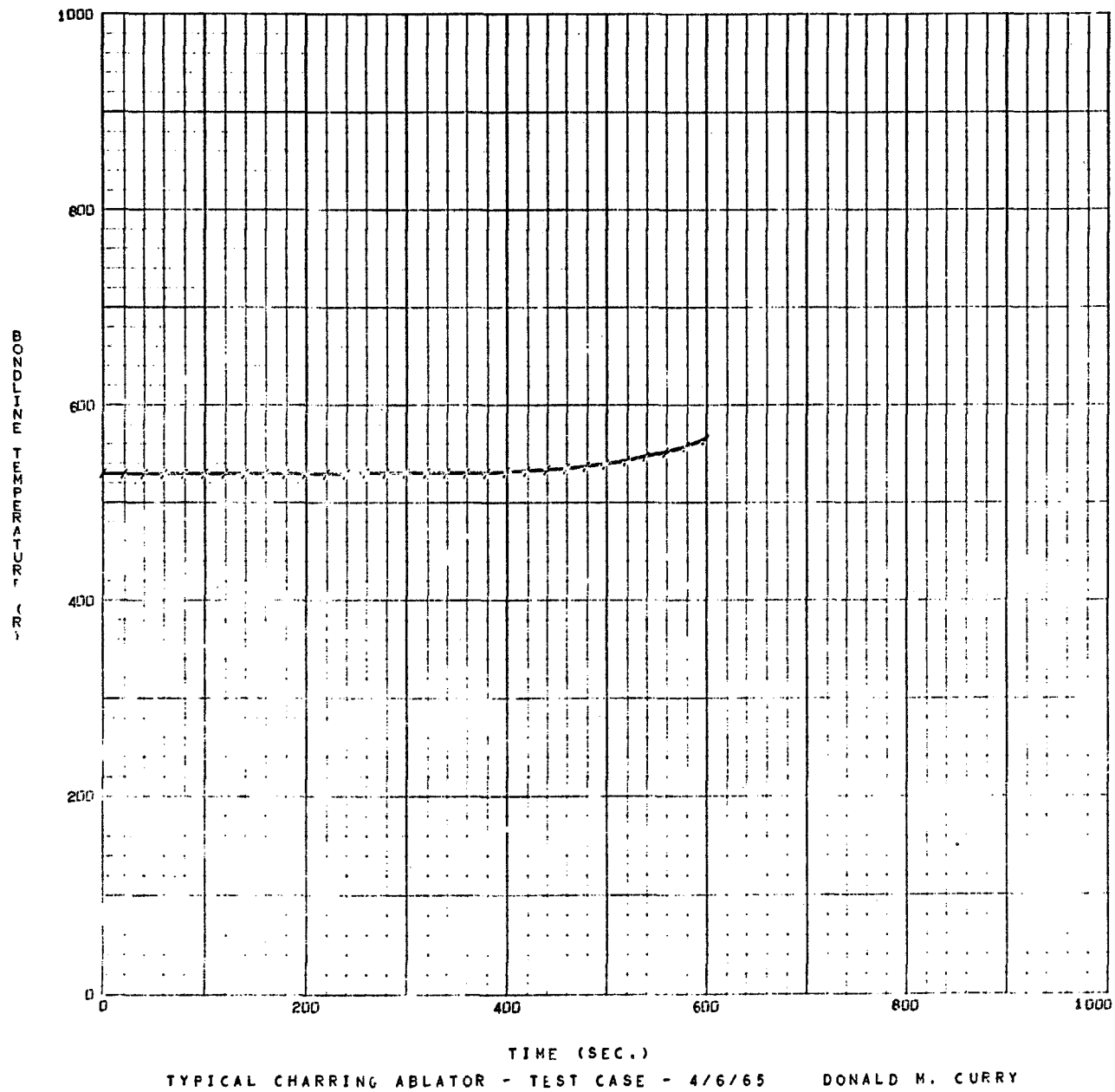
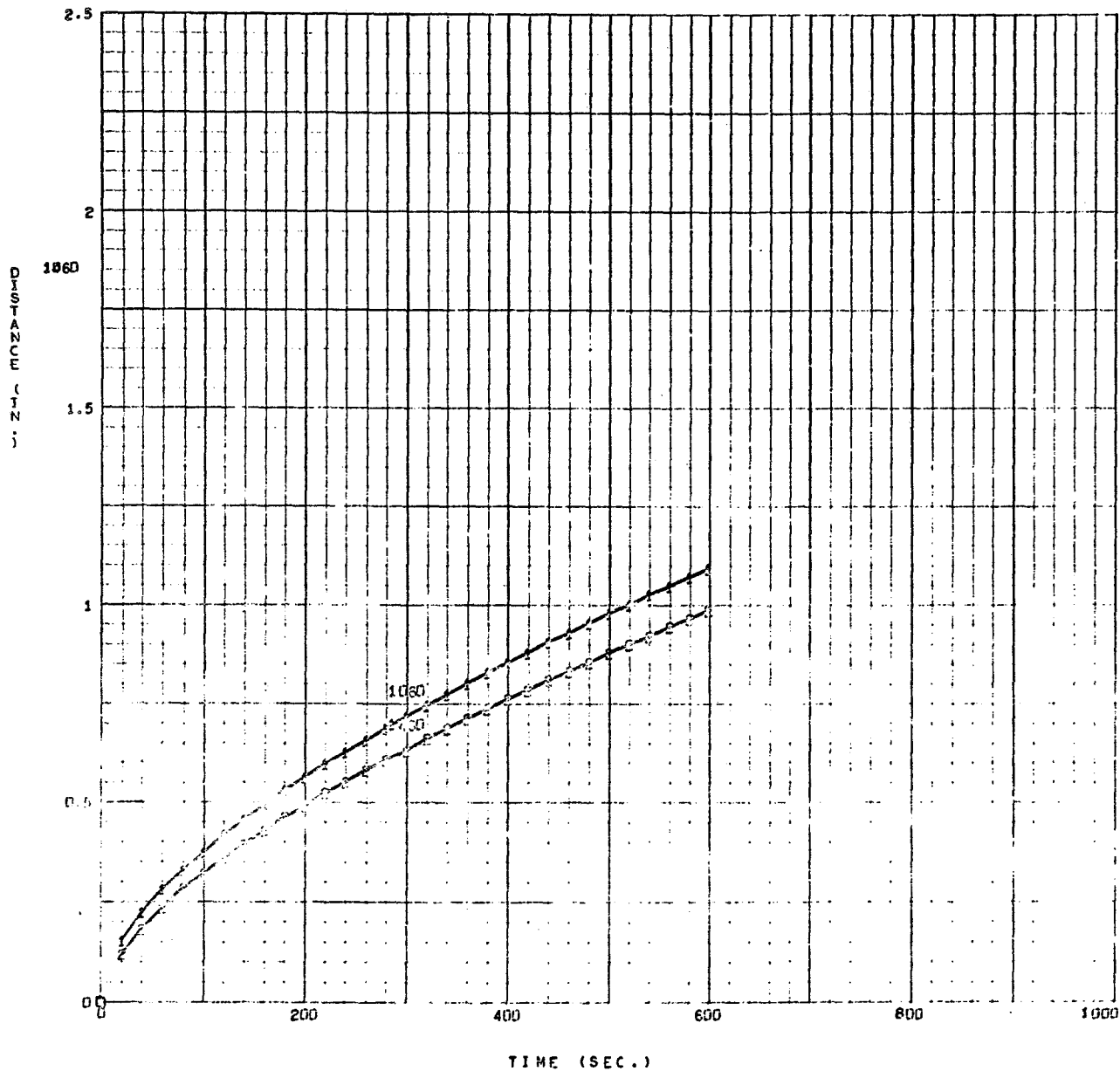


Figure 9. - Plot program bondline temperature curve from typical charring ablator test case.



TYPICAL CHARRING ABLATOR - TEST CASE - 4/6/65 DONALD M. CURRY

Figure 10. - Plot program isotherm curves from typical charring ablator test case.